

# DAVID W. TAYLOR NAVAL SHIP RESEARCH AND DEVELOPMENT CENTER

Bethesda, Md. 20084

A COMPUTER PROGRAM FOR THE PRELIMINARY DESIGN OF

CONTRAROTATING PROPELLERS

by

E. B. Caster and T. A. LaFone



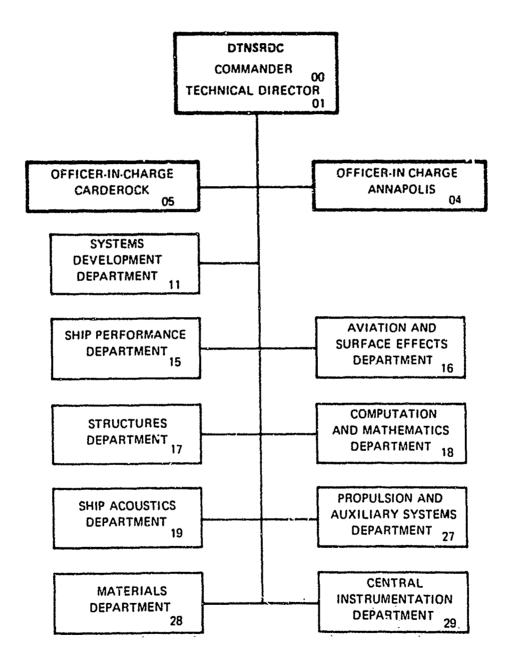
Approved for Public Release; Distribution Unlimited

SHIP PERFORMANCE DEPARTMENTAL REPORT

DECEMBER 1975

REPORT NO. SPD-596-01

### MAJOR DTNSRDC ORGANIZATIONAL COMPONENTS



UNCLASSIFIED SECURITY CLASSIFICATION OF THIS PAGE (When Data Enfered) **READ INSTRUCTIONS** REPORT DOCUMENTATION PAGE BEFORE COMPLETING FORM 2. GOVT ACCESSION NO SPD-596. AID COYMED A Computer Program for the Preliminary Design of Departmental/Final Contrarotating Propallers. Performing org. Report Number SPD-596-01 S. CONTRACT OR GRANT NUMBER(s) Caster LaFone PERFORMING ORGANIZATION NAME AND ADDRESS David W. Taylor Naval Ship Research and Project Elem SF 43432.301 Development Center Task Area 14438. Bethesda, Maryland 20084 Work Unit 1544-256 1. CONTROLLING OFFICE NAME AND ADDRESS Naval Sea Systems Command (034) Washington, D.C. 20362 142 14 MONITORING AGENCY NAME & ADDRESSII different from Controlling Office) 18. SECURITY CLASS, (of this report) Unclassified DECLASSIFICATION DOWNGRADING

17. DISTRIBUTION STATEMENT (of the abstract entered in Block 20, If different from Report)

18. SUPPLEMENTARY NOTES

16. DISTRIBUTION STATEMENT (of this Report)

Approved for Public Release; Distribution

19. KEY WORDS (Continue on reverse elde if necessary and identify by block number)
Propeller design methods
Contrarotating propellers
Propulsion devices

BSTRACT (Continue on reverse side if necessary and identify by block number)

This report presents a new computer program that can be used to design and predict the performance of contrarotating propellers. The new propeller utilizes the latest numerical computation techniques developed for the design of contrarotating propellers. The hydrodynamic pitch angle distribution is specified as input and the design calculations are made using terb's moderately loaded single screw lifting line propeller theory. The propeller interaction effects (the most important new feature of the design procedure) are obtained using Kerwin's field point velocity program developed using finite bladed lifting

DD 1 JAH 73 1473

EDITION OF ! HOY 63 IS OBSOLETE

UNCLASSIFIED

389 692

SECURITY CLASSIFICATION OF THIS PAGE (When Data En

7/2

LUIHITY CLASSIFICATION OF THIS PAGE(When Data Entered)

surface: theory.

An analysis of results obtained for a sample set of contrarotating propellers, designed using the new method presented, show that different design and performance predictions are obtained for the aft propellers when results are compared to those calculated using the old method. Calculations made using the new design method are considered more accurate due to the improved method of determining the propeller interaction effects.

A FORTRAN listing of the new propeller, developed to run on the computer at the David W. Taylor Naval Ship Research and Pevelopment Center (DTNSRDC) is presented as well as input and output obtained for a sample set of contrarotating propeller designs.

ACCESSION for

NTIS White Section (I)

DDC Buil Section (I)

CHAHNOUNCED

JUSTIFICATION

DIVERSITY TO BE ANALABILITY COMES

Plat A. H. EDS/OF SPECIAL



# TABLE OF CONTENTS

I	Page
ABSTRACT	1
ADMINISTRATIVE INFORMATION	2
INTRODUCTION	2
PROPELLER LIFTING LINE THEORY	6
DESCRIPTION OF INPUT DATA	8
EFFECTIVE POWER, SPEED AND SHAFT POWER	9
NONDIMENSIONAL RADIAL DISTANCE	10
PROPELLER WAKE	10
ADVANCE ANGLE DISTRIBUTION INPUT OPTION	11
HYDRODYNAMIC FLOW ANGLE	12
STATIC HEAD	13
BLADE OUTLINE AND EXPANDED AREA RATIO	13
BLADE THICKNESS RATIO	14
RAKE AND SKEW	15
SECTION DRAG COEFFICIENT	16
LERB'S .XIAL DISTANCE FACTORS	16
DESCRIPTION OF OUTPUT DATA	17
THRUST AND POWER LOADING COEFFICIENTS AND PROPULSIVE EFFICIENCY	17
PROPELLER STRESS CALCULATIONS USING BEAM THEORY	20
PARAMETERS FOR MAKING BLADE SURFACE CAVITATION CHECKS	21
CHORD LENGTHS FOR LIFTING SURFACE PITCH AND CAMBER CALCULATIONS	24

THE STATE OF THE S

1	Page
SPACING BETWEEN BLADES AND FILLETS	25
PROPELLER WEIGHT AND CENTER OF GRAVITY	26
COMPUTER PROGRAM	27
COMPUTER DESIGN THRUST AND POWER OPTIONS	27
DESIGN CALCULATIONS FOR A SAMPLE SET OF CONTRAROTATING PROPELLERS	29
RECOMMENDATIONS	31
APPENDIX A - INPUT AND OUTPUT FORMATS FOR THE COMPUTER PROGRAM DEVELOPED	46
APPENDIX B - FORTRAN LISTING OF GOMPUTER PROGRAM	60
REFERENCES	139

ŧ

# LIST OF FIGURES

				Page
Figure	1	-	Lerbs Distance Factors (g ) for Aft Propeller Diameter Calculations	, 32
Figure	2	-	Hydrodynamic Pitch Angle Distribution for Sample Set of Propellers	. 33
Figure	3	-	Circulation Distributons Calculated for the Forward Propeller	34
Figure	4	-	Circulation Distributions Calculated for the Aft Propeller	35
Figure	5	-	Axial Induced Velocities Calculated for the Forward Propeller	. 36
Figure	6	-	Tangential Induced Velocities Calculated for the Forward Propeller	. 37
Figure	: 7	-	Axial Induced Velocities Calculated for the Aft Propeller	. 38
Figure	. 8	-	Tangential Induced Velocities Calcualted for the Aft Propeller	. 39

ļ

# LIST OF TABLES

			Pa	ıge
Table	1	-	Output Data for the Sample Set of Contrarotating Propellers Using the New Computer Program	40
Table	2	-	Thrust and Power Loading Coefficients and Propulsive Efficiency Calculated Using the	45
			Old and New Design Methods	~ ~

## NOTATION

	NOTATION
A <sub>E</sub>	Expanded blade area, $2\int_{r}^{R}$ c dr
A <sub>E</sub> /A <sub>O</sub>	Propeller expanded area ratio, $(22/\pi) \int_{x_h}^{1} c/D dx$
(A <sub>E</sub> /A <sub>O</sub> ) <sub>k</sub>	Keller's minimum expanded area ratio for eliminating back bubble cavitation, $(2.6+0.6Z) K_T / \{\sigma_{0.7} (J^2 + (0.7\pi)^2)\} + K$
<sup>A</sup> O	Disc area, MD <sup>2</sup> /4
Ap	Estimated propeller projected area, (1.067-0.229(P/D);)A <sub>E</sub>
a (x)	Area of section, $2 c(x) t(x) \int_0^1 t(x,x) dx$
B(x)	Distance of CG from face, $\overline{y} \cos \phi + x \sin \phi - \theta_S x R \tan \phi - \theta_R x + D_H/2$
(c/R) <sub>LE</sub> ,(c/R) <sub>TE</sub>	Chord lengths measured from leading edge and trailing edge of blade to propeller reference line
c <sub>D</sub>	Section drag coefficient
C <sub>FO</sub>	Frictional resistance of section
CG	Center of gravity
c <sub>L</sub>	Blade section lift coefficient
c <sup>b</sup>	Power loading coefficient, $P_{D}/((\rho/2)\pi R^{2}v_{A}^{3})$
C <sub>PS</sub>	Power loading coefficient based on ship speed, $P_D/(\rho/2)\pi R^2 V^3$ ; calculated $\int_{x_h}^1 (1+\epsilon/\tan\beta_1) (dC_{pSi}/dx) dx$
c <sub>TS</sub>	Thrust loading coefficient based on ship speed, $T/((\rho/2)\pi R^2 V^2)$ ; calculated $f_{x_h}^1(1-\epsilon tan\beta_1)(dC_{TSi}/dx)$ dx
C	Propeller blade chord length, c(x)
c <sub>psi</sub>	Inviscid power loading coefficient, $(4z/\lambda_S) \times G ((1-w_X)+U_T/2V)$
c <sub>TSi</sub>	Inviscid thrust loading coefficient, $42G(x/\lambda_s^{-U}A/2V)$

D	Propeller diameter
₫ <sub>Ħ</sub>	Hub diameter
F(x)	Parameter for calculating the fluctuating angles of attack, $1/(1+2\pi \tan(\beta_I - \beta)/C_{I_c})$
f <sub>M</sub>	Camber
g	Acceleration due to gravity
g <sub>a</sub>	Lerbs axial distance factors (Reference 1)
G(r)	Nondimensional circulation about a blade section, $\Gamma/(2\pi RV)$
${\tt G}_{f F}$	Spacing between fillets
$^{\rm G}_{ m Z}$	Spacing between blades at hub
Н	Static head at propeller shaft centerline
I <sub>xo</sub> ,I <sub>yo</sub>	Moment of inertia of blade section about x and y axes
J	Advance coefficient, $V(1-w_T)/(nD) = V_A/(nD)$
$\mathfrak{I}_{\mathbf{v}}$	Ship speed advance coefficient, V/(nD)
K	Kellers' constant for predicting minimum blade area of propeller (see p. 24)
K <sub>Q</sub>	Torque coefficient, Q/(pn <sup>2</sup> D <sup>5</sup> )
$\kappa_{_{\mathbf{T}}}$	Thrust coefficient, $T/(\rho n^2 D^4)$
LI	Propeller lift distribution per unit span for finite element stress calculations
$M_{\mathbf{p}}$	Moment of blades (see p. 24 )
M <sub>Tb</sub> ,M <sub>Qb</sub>	Moment due to thrust and torque
M <sub>xo</sub> ,M <sub>yo</sub>	Moment parallel and perpendicular to the nose-tail line
n	Propeller revolution per unit time

(P/D) i	Estimated propeller pitch ratio at 0.7 radius, 0.7 $\pi tan\beta_{\text{I}}$ in program
P <sub>D</sub>	Delivered power at propeller, 2πQn
PE	Effective power
<sup>p</sup> s	Shaft power
Q	Propeller torque
R	Propeller tip radius
r	Propeller local radius
r <sub>h</sub>	Propeller hub radius
r <sub>&amp;</sub>	Local position along the section chord
Т	Propeller thrust
t	Propeller blade maximum thickness $t(x)$ , thrust deduction fraction
t(x,x <sub>Q</sub> )	Chord wise distribution of section thickness (NACA 66 modified thickness form is used)
U <sub>A</sub> /2V	Axial induced velocity at lifting line
U <sub>T</sub> /2V	Tangential induced velocity at lifting line
v	Ship speed
$v_{\mathbf{A}}$	Speed of advance of the propeller, $V(1-w_{_{{\bf T}}})$
$v_{\mathbf{x}}$	Local velocity along the x axis at any field point
v <sub>r</sub>	Inflow velocity at each propeller section, $V/[(1-w_x)+U_A/2V]^2+[x/\lambda_s-U_T/2V]^2$
w <sub>a</sub> /v	Axial velocity from sources other than the propeller wake $(1-w_{\chi})$
WB	Weight of blades
W <sub>H</sub>	Weight of hub
W <sub>P</sub>	Propeller weight

w <sub>c</sub>	Circumferential mean wake fraction at each radius calculated from wake survey
w <sub>t</sub> /V	Tangential wake velocities from sources other than the propeller wake $(1-w_{\chi})$
$^{w}\mathbf{T}$	Propeller effective wake fraction as determined from thrust identity from self propulsion experiment
w <sub>v</sub>	Volume mean wake fraction
w <sub>x</sub>	Propeller wake fraction
x	Nondimensional radial distance, r/R
× <sub>h</sub>	Nondimensional hub radius, $(r_h/R)$
×Q	Nondimensional distance along section chord, $(r_{\ell}/c)$
Z	Number of blades
z <sub>R</sub>	Propeller rake
z <sub>T</sub>	Total rake, rake plus induced rake
$\alpha_{\mathbf{i}}$	Section ideal angle of attack, $1.54C_L$ for NACA a=0.8 meanline in two-dimensional flow
$lpha_{ exttt{max}}$	Maximum fluctuating angle of attack, $\alpha_i - (-\Delta\beta)F(x)$
$\alpha_{ exttt{min}}$	Minimum fluctuating angle of attack, $\alpha_i = (+\Delta\beta)F(x)$
β	Advance angle of a propeller blade section
β	Hydrodynamic flow angle of a propeller blade section
Γ	Propeller circulation, 2πRVG
ε	Section drag-lift ratio, $C_{\overline{D}}/C_{\overline{L}}$
$\eta_{D}$	Propulsive efficiency, $P_E/P_D = (1-t)C_{TS}/C_{PS}$
$\theta_{\mathbf{R}}$	Blade rake angle in degrees (see p. 15)
$^{ heta}\mathbf{s}$	Blade skew angle in degrees (see p. 15)

Advance ratio of propeller based on ship speed, V/( nD)  $\rho \qquad \text{Water density}$   $\rho_p \qquad \text{Density of propeller material}$   $\phi \qquad \text{Pitch angle}$   $\sigma \qquad \text{Section cavitation number, } 2gH/V_r^2$   $\sigma_{0.7} \qquad \frac{\text{Burrill cavitation number, }}{2gH/\{(V(1-W_{x=0.7}))^2+(0.7\pi\text{nD})^2\}}$   $\tau_c \qquad \frac{\text{Burrill thrust loading coefficient, }}{2gH/\{(V(1-W_{x=0.7}))^2+(0.7\pi\text{nD})^2\}}$ 

#### ABSTRACT

This report presents a new computer program that can be used to design and predict the performance of contrarotating propellers. The new program utilizes the latest numerical computation techniques developed for the design of contrarotating propellers. The hydrodynamic pitch angle distribution is specified as input and the design calculations are made using Lerbs' moderately loaded single screw lifting line propeller theory. The propeller interaction effects (the most important new feature of the design procedure) are obtained using Kerwin's field point velocity program developed using finite bladed lifting surface theory.

An analysis of results obtained for a sample set of contrarotating propellers, designed using the new method presented, show that different design and performance predictions are obtained for the aft propeller when results are compared to those calculated using the old method. Calculations made using the new design method are considered more accurate due to the improved method of devermining the propeller interaction effects.

A FORTRAN listing of the new program, developed to run on the computers at the David W. Taylor Naval Ship Research and Development Center (DTNSRDC) is presented as well as input and output obtained for a sample set of contrarotating propeller designs.

### ADMINISTRATIVE INFORMATION

This work was sponsored by the Naval Sea Systems Command, SEA 034, and carried out under the David W. Taylor Naval Ship Research and Development Center (DTNSRDC) Work Unit 1544-256, Task 14438.

### INTRODUCTION

The David W. Taylor Naval Ship Research and Development
Center (DTNSRDC), Carderock Laboratory, was requested by
the Naval Sea Systems Command (NAVSEA) to develop a computer
program that can be used to better design and predict the
propulsive and cavitation performance of contrarotating
propellers. Contrarotating propellers have been used on
naval vessels, especially torpedoes, because they offer
advantages over single-screw propellers by being more
efficient, having smaller optimum diameters, and being torquebalanced resulting in better stability. Unfortunately,
the contrarotating propeller theory and design procedure
have not kept pace with the advancement developed for singlescrew propellers where the design and performance predictions
can be made with a high degree of accuracy.

The old contrarotating propeller design procedure used at DTNSRDC is based on Lerbs' theory of References 1, 2, and 3. This method requires that the same hydrodynamic pitch distribution be specified as input for the forward and aft propellers and results obtained show that similar circulation distributions are computed for both propellers. The average axial and tangential propeller induced velocities used to determine the propeller interaction effects are derived using the uniformly loaded sink disc theory in this design method.

propeller design computer programs based on lifting line and lifting surface theories, recently developed by Nelson in Reference 4. The propeller lifting line theory used requires the circulation distribution (which must be the same for the forward and aft propellers) rather than the hydrodynamic pitch distribution, to be specified as input. The corresponding hydrodynamic pitch distribution is calculated using Lerbs' moderately loaded single screw theory

Lerbs, H.W., "Contra-Rotating Optimum Propellers Operating in a Radially Non-Uniform Wake," David Taylor Model Basin Report 941, May 1955

Morgan, William B. and Wrench, J.W., Jr., "Some Computational Aspects of Propeller Design," Methods in Computational Physics, Vol. 4, academic Press Inc., New York, p 301-331, 1965

<sup>3.</sup> Morgan, W.B., "The Design of contrarotating Propellers Using Lerbs' Theory," Transactions of the Society of Naval Architects and Marine Engineers, vol. 68, p 6-38, 1960

<sup>4.</sup> Nelson, D.M., "A Computer Program Package for Designing Wake-Adapted Counterrotating Propellers: A Users Manual," Naval Undersea Center, Fleet Engineering Department Report NUC TP 494, December 1975

of Reference 5, which has been extended to account for finite circulation values at the propeller hub. Nelson's method for determining propeller interaction effects (average axial and tangential propeller induced velocities) are determined using the procedure developed by Hough and Ordway in Reference 6, corrected to account for finite blade number effects. Preliminary results from Nelson's computer program for making pitch and camber calculations based on contrarotating propeller lifting surface theory show that lifting surface effects due to the forward and aft propellers are small.

The new contrarotating propeller design computer program based on Lerbs moderately loaded single screw propeller theory of Reference 5 is similar to the computer program developed for single screw propellers in Reference 7 except that additional calculations are required to account for propeller interaction effects required in the contrarotating propeller design program. The average axial and tangential propeller—induced velocities needed to determine the propeller interaction

<sup>5.</sup> Lerbs, H.W., "Moderately Loaded Propellers with a Finite Number of Blades and an Arbitrary Distribution of Circulation," Transactions of the Society of Naval Architects and Marine Engineers, Vol. 60, p 73-117, 1952

<sup>6.</sup> Hough, G.R. and Ordway, D.E., "The Generalized Actuator Disk," Advanced Research Report TAR-TR-6401, Therm, Inc., January 1964

<sup>7.</sup> Caster, B.B., Diskin, J.A., and LaFone, T.A., "A Lifting Line Computer Program for the Preliminary Design of Propellers," David W. Taylor Naval Ship Research and Development Center Report SPD-595-01, November 1975

effects are derived using Kerwin's field point velocity program described by Denny in Reference 8. These calculations represent the most important new feature of the design procedure presented. Unlike the old method 1,2,3, the new contrarotating propeller design computer program allows different hydrodynamic pitch distributions, wake distributions and rpm values to be specified as input for the forward and aft propellers. Nelson's lifting surface theory for contrarotating propellers should be used to calculate the final pitch and camber for these propellers. Preliminary results using Nelson's lifting surface theory show that the lifting surface interaction effects due to the forward and aft propellers are small. As a result, lifting surface theory developed for single screw propellers (Reference 9) may be used to determine the final pitch and camber for the contrarotating propellers if Nelson's program is not available. The estimated propeller stresses are calculated based on simple beam theory modified to account for effect of rake and skew. The propeller weight, spacing between propeller blades, chord lengths for lifting surface

pitch and camber calculations and blade load distributions

8. Denny, Stephen B., "Comparisons of Experimentally Determined and Theoretically Predicted Pressures in the Vicinity of a Marine Propeller," Naval Ship Research and Development Center Report 2349, May 1967

<sup>9.</sup> Morgan, W.B., Silovic, Vladimir, and Denny, S.B., "Propeller Lifting Surface Corrections," Transactions of the Society of Naval Architects and Marine Engineers, Vol. 76, p 309-347, 1968

<sup>10.</sup> Eckhardt, M.K. and Morgan, W.B., "A Propeller Design Method,"
Transactions of the Society of Naval Architects and Marine
Engineers, Vol. 63, p 325-370, 1955

for finite element stress calculations are also included in the calculations made using this method. Parameters for calculating the minimum expanded area ratio by Keller and the methods of Burrill and Brockett are used to check the cavitation performance of each propeller. An input option to specify the hull radial induced velocity (not available in the program presented) would also improve the accuracy of the design calculations.

### PROPELLER LIFTING-LINE THEORY

As mentioned in the Introduction, the new contrarotating design procedure follows closely Lerbs' moderately loaded, single-screw lifting-line propeller theory as described in Reference 7. Kerwin's field point velocity program is used to determine the propeller interaction effects (average axial and tangential propeller-induced velocities). The diameter of the aft propeller is based on contraction of the slip stream. These calculations are made using the continuity equation as described in Reference 1, once Lerbs' distance factors (g<sub>a</sub>) values, plotted in Figure 1, are specified. More exact con-

traction of the slip stream calculations can be made using ll. Keller, J. Auf'm, "Enige aspecten bij het ontwerpen van Scheepsschroeven," SChip en werf, No. 24, p 658-662, 1966

<sup>12.</sup> Burrill, L.C. and Emerson, A., "Propeller Cavitation: Further Tests on 16-Inch Propeller Models in the Kings College Cavitation Tunnel," Transactions of the North East Coast Institution of Engineers and Ship Builders, Vol. 78, p 295-320, 1963-64:

<sup>13.</sup> Brockett, Terry, "Minimum Pressure Envelopes for Modified NACA 66 Sections with NACA a=0.8 Camber and BUSHIPS Type I and Type II Sections," David Taylor Model Basin Report 1780, 1966

the propeller-induced field point velocity program of Reference 8 if velocities are calculated at a sufficient number of points. This approach was not used in the program presented Lecause it would result in a significant increase in the core size and running time of the computer program.

The main steps in the new contrarotating propeller design procedure presented are as follows:

- 1. Lerbs' moderately loaded single-screw liftingline propeller theory<sup>5</sup> is used to make design calculatons for the forward propeller. The average axial and tangential velocities induced by the aft propeller on the forward propeller are not included initially in these calculations, but must be included in subsequent calculations.
- 2. Lerbs' contrarotating (equivalent) propeller design procedure<sup>1</sup> is used to calculate the aft propeller diameter.
- 3. Kerwin's field point velocity program described in Reference 8 is used to compute the average axial and tangential velocities induced by the forward propellar on the aft propeller.

using Lerbs' moderately loaded single-screw
lifting-line propeller theory where the average
axial and tangential velocities induced by the
forward propeller on the aft propeller (step 3)
are included in the aft propeller calculations.
These steps (1 through 4) are repeated until
the propeller-induced velocities converge.

### DESCRIPTION OF INPUT DATA

Appendix A presents a list of dimensioned propeller design parameters required for the new computer program developed which must be in the international system of units (SI units). This list also contains conversion factors ( $K_{SI}$ ) for changing dimensioned parameters from SI units to English units. Effective power ( $P_{E}$ ), speed (V), number of blades (Z), diameter (D), propeller wake ( $I-w_{X}$ ), the hydrodynamic flow angle distribution ( $\beta_{I}$ ) and distance factors ( $g_{a}$ ) from Figure 1 are required input parameters in order to make nonviscous propeller design calculations based on lifting-line theory. The radial distribution of blade chord lengths, nondimensionalized on diameter, (C/D) and section drag coefficients ( $C_{D}$ ) must be specified as input if design calculations are to account for the viscous

drag effects on the blades. The radial distribution of maximum thickness nondimensionalized on chord length (t/c), blade rake angle ( $\theta_R$ ), and skew angle ( $\theta_S$ ) parameters are input so propeller stresses based on beam theory of Reference 10 can be calculated. The static head (H) is input so the blade section cavitation number ( $\sigma$ ) can be computed. Appendix A also gives the complete input format (card numbers, format and description of input parameters) for the computer program. A brief description of how some of these parameters can be determined will be discussed next.

# Effective Power, Speed, and Shaft Power

Effective power and speed are normally obtained from model self-propulsion experiments. Input effective power  $(P_{\rm E})$  and shaft power  $(P_{\rm S})$  are defined as follows:

$$P_{E}^{-VT(1-t)} \tag{1}$$

$$P_S^{=2}mQ$$
 (2)

where n = propeller revolutions

P<sub>c</sub> = shaft power,

P<sub>E</sub> = effective power,

Q = propeller torque,

T = propeller thrust,

V = ship speed, and

(1-t) = thrust deduction, which may vary with
 propeller diameter and speed.

### Nondimensional Radial Distance (x)

This is a reference set of eleven nondimensional radial distances  $\mathbf{x}_i$  at which all other distributions, either input or calculated by the computer, are defined as existing.

In general,  $x_i = r_i/R$ , with the restrictions

$$x_1 = r_h/R$$

$$x_{11} = R/R=1$$
,

where  $r_i$  = the distance along the propeller reference line from the shaft axis to the ith section,

r<sub>h</sub> = propeller hub radius, and R = propeller tip radius.

# Propeller Wake

The radial distribution of the axial wake  $(1-w_\chi)$  which varies with propeller diameter is also required input data. The circumferential mean of the axial velocity distribution  $(1-w_C)$  is obtained from a wake survey without the propeller operating. However, the  $(1-w_C)$  wake distribution must be corrected for the propeller action. No completely satisfactory method is presently available to obtain this correction, but an approximation of the radial distribution of the wake  $(1-w_\chi)$  with the propeller operating is obtained as follows:

### Wake distribution

$$(1-w_x) = (1-w_T)(1-w_C)/(1-w_U)$$
 (3)

where  $(1-w_C)$  = radial distribution of the circumferential mean wake from wake survey data,

 $(1-w_m)$  = effective wake from self propulsion data

 $(1-w_v)$  = volume mean wake,  $(2/(1-x_h^2))f_{x_h}^1(1-w_x)$  xdx,

R = propeller radius,

r = propeller local radius,

r<sub>b</sub> = propeller hub radius,

x = nondimensional radial distance (r/R), and

 $x_h$  = nondimensional hub radius  $(r_h/R)$ .

The propeller wake distribution may also vary with propeller diameter depending on the hull characteristics of the vessel.

### Advance Angle Distribution Option

The advance angle distribution ( $\tan\beta$ ) defined as  $V(1-w_{\chi})/(\pi nDx)$  is normally calculated on the computer for the case where the propeller wake  $(1-w_{\chi})$  from Equation (3) sufficiently represents wake in the plane of the propeller being designed. For most single screw propeller designs this approach gives good performance predictions. If a propeller operates inside a duct or in the vicinity of another propeller as in the case of tandem or contrarotating propellers, the axial  $(w_{\chi}/V)$  and tangential  $(w_{\chi}/V)$  velocities induced by these additional sources can be accounted for using

different methods. For contrarotating propellers, the propeller interference velocities are computed using Kerwin's field point velocity program described in Reference 8 in the following manner:

$$tan\beta = \left( (1-w_x) + w_a/V \right) / \left( (x/\lambda_s) - w_t/V \right)$$
 (4)

where  $w_a/V$  = axial velocity induced by forward and aft propellers on each other,

 $w_t/V = tangential velocity induced by forward and aft propeller on each other,$ 

 $\lambda_e$  = advance ratio based on ship speed, V/(mD)

V = ship speed, and

D = propeller diameter.

It can be seen from Equation (4) that for the case where  $(w_a/V)$  and  $(w_t/V)$  values are specified as zero, the advance angle  $\tan\beta$  is calculated in the usual manner when designing single screw propellers.

### Hydrodynamic Flow Angle

The hydrodynamic flow angle distribution  $(\tan\beta_I)$  can be specified as input. An option is included so Lerbs' optimum  $\tan\beta_I$  distribution  $^{10}$  can be calculated by the computer as follows:

 $\tan \beta_{\rm I} = (\tan \beta/\eta_{\rm i}) \left( (1-w_{\rm T})/(1-w_{\rm x}) \right)^{1/2}$  (5) where  $\eta_{\rm i}$  = propeller ideal efficiency

 $tan\beta = advance \ angle \ distribution.$  Lerbs' optimum  $tan\beta_{\tilde{I}} \ distribution \ usually \ results \ in \ optimum$  propeller efficiency. If other factors such as cavitation, strength and vibration are considered, the input of an alternate  $tan\beta_{\tilde{I}} \ distribution \ may \ be \ desired.$ 

### Static Head

こうこくそうしてきますることできませんがあるというないとうかんしい

The static head (H) at the shaft centerline is required input. This parameter (H) is defined as  $H_S + H_A - H_V$ , where  $H_S$  is the shaft submergence,  $H_A$  is the atmospheric pressure, and  $H_V$  is the vapor pressure of fluid which is normally small compared with  $H_A$  and may be neglected. The static head (H) is used to calculate the section cavitation number  $G_{O_1,T}$  of Equation (25) and the Burrill cavitation number  $G_{O_1,T}$  of Equation (30).

### Blade Outline and Expanded Area Ratio

The blade outline (c/D) and expanded area ratio  $(A_E/A_O)$  must be input for the design. An expanded area ratio  $(A_E/A_O)$  is calculated on the computer according to:

Expanded Area Ratio:

$$A_{E}/A_{O} = (2z/\pi) \int_{x_{h}}^{1} c/D dx$$
 (6)

where c = chord length,

c/D = nondimensional chord length

Z = number of blades

The final blade outline and expanded area ratio should be chosen to give satisfactory propeller strength and cavitation characteristics.

### Blade Thickness to Chord Ratio

The input of maximum thickness to chord ratio (t/c) values allow an estimate of the propeller principal stresses (see The Propeller Stress Calculations Using Beam Theory section discussed later) based on beam theory to be calculated during the preliminary design stage of the propellers. From a rough estimate of the blade outline (c/D) for the final design and an estimate of the radial distribution of thickness (t/D) based on fatigue strength the following equation can be used to obtain initial (t/c) input values:

$$t/c = (t/D)/(c/D) \tag{7}$$

where t/D = radial distribution of thickness (can be estimated from Reference 10.

### Rake and Skew

The rake angle at the blade tip  $(\theta_R)$  and the skew angles  $(\theta_S)$  for a design are specified to permit adequate predictions of principal propeller stresses using the beam theory method described in Reference 10 and discussed later in the Propeller Stress section of this report.

The rake  $(\theta_R)$  is defined consistent with Reference 14 as the distance from the propeller plane to the generator line in the direction of the shaft axis. Aft displacement is considered positive rake.

Since the skew angles  $(\theta_S)$  significantly affect propeller unsteady forces, a computer program based on the unsteady contrarotating propeller lifting surface theory of Reference 15 can be used to select the skew angles  $(\theta_S)$  for the design. The input skew angles  $(\theta_S)$  in degrees are defined as the angular displacement of points on the blade reference line from the propeller reference line in the projected view.

<sup>14.</sup> Cumming, R.A., <u>Dictionary of Ship Hydrodynamics - Propeller Section</u>, 14th International Towing Tank Conference 1975, Report of Presentation Committee, Appendix VII, 1975

<sup>15.</sup> Tsakonas, J. and Jacobs, W.R., "Counterrotating and Tandem Propellers Operating in Spacially Varying, Three-Dimensional Flow Fields," Davidson Laboratory, Stevens Institute of Technology Report 1335, September 1968

### Section Drag Coefficient

In order to account for viscous effects when predicting the performance of a propeller, the section drag coefficient  $(C_D)$  must be specified as input. A section drag coefficient  $(C_D)$  value of 0.0085 usually gives reasonable estimates of model propeller drag for propeller shapes normally used at DTNSRDC in the past. For propellers having very thick blades, the following equation, available as an input option on the computer, and derived as a function of maximum thickness (t/c) values using experimental data-from NACA 66 type section  $^{16,17}$ , will give a better estimate of the section drag coefficient  $(C_D)$ :

Section Drag Coefficient:

$$\gamma_{\rm D} = C_{\rm FO} \left[ 1 + 1.25 ({\rm t/c}) + 125 ({\rm t/c})^4 \right] \tag{8}$$
 where  $C_{\rm FO}$  is the frictional resistance of the section, e.g., 
$$C_{\rm FO} \approx 0.008 \text{ for Reynolds number of approximately } 10^6 \text{ and}$$
 
$$C_{\rm FO} \approx 0.004 \text{ for Reynolds number of approximately } 10^8.$$
 Options for using alternate nonlinear  $C_{\rm D}$  distributions, or

### Lerbs Axial Distance Factors

It was noted earlier that Lerbs' axial distance factors  $(g_a)$ , rather than the use of the more correct propeller-

a constant C<sub>n</sub> distributions are also available.

- induced velocities from Reference 8, were used to obtain

  16. Abbot, Ira H. and Von Doenhoff, Albert E., "Theory of Wing Sections Including a Summary of Airfoil Data," Dover Publication Inc., New York, Library of Congress Catalog No.: 60-1601, 1949
- Hoerner, S.F., "Fluid-Dynamic Drag," Published by the author, Midland Park, New Jersey, 1965

contraction of the slip stream and the aft propeller diameter in order to minimize core size and running time of the computer program. The ga values from Reference 1, plotted as a function of propeller radius and spacing between propeller blade center lines, are presented in Figure 3.

### DESCRIPTION OF OUTPUT DATA

Lerbs' lifting line theory is used to calculate the propeller lift coefficient  $(C_L)$ , nondimensional circulation (G), hydrodynamic flow angle  $(\beta_I)$ , axial induced velocity  $(U_A/2V)$ , and tangential induced velocity  $(U_T/2V)$ . These lifting-line calculations take into account viscous drag effects on the propeller by specifying as input in the computer program the propeller section nondimensional chord length  $(C_D)$  and section drag coefficient  $(C_D)$ . A method for obtaining values for  $C_D$  and  $C_D$  is discussed in the Description of Input Data section of this report. With these parameters available, the necessary design and performance prediction parameters for contrarotating propellers can be obtained.

### Thrust and Power Loading Coefficients, and Propulsive Efficiency

The new contrarotating propeller design computer program calculates the thrust  $(C_{TS})$  and power  $(C_{PS})$ , loading coefficients based on ship speed and the estimated propulsive efficiency  $(\eta_{D})$ 

for these propellers in the following manner:

Thrust Loading Coefficient:

$$(C_{TS_e})_{fwd,aft} = \int_{x_h}^{1} (1-\epsilon \tan \beta_I)/(dC_{TSI}/dx) dx = T/((\rho/2)\pi R^2 V^2)$$
 (9)

$$(C_{Ts})_{CR} = (C_{Ts})_{fwd} + (R_{aft}/R_{fwd})^2 (C_{Ts})_{aft}$$
 (10)

Power Loading Coefficient:

$$(C_{PS_e})_{fwd,aft} = \int_{x_h}^{1} (1+\varepsilon/\tan\beta_I) \left(dC_{PS_e}/dx\right) dx = P_s/\left((\rho/2)\pi R^2 v^3\right)$$
 (11)

$$(C_{ps})_{cr} = (C_{ps})_{fwd} + (R_{aft}/R_{fwd})^2 (C_{ps})_{aft}$$
 (12)

Propulsive Efficiency:

$$(\eta_{D_e})_{CR} = (1-t) C_{TS}/C_{PS} = P_E/P_D$$
 (13)

where based on ship speed

$$(C_{TS})_{DESIGN} = T/((\rho/2)\pi R^2 v^2)$$

$$(C_{PS})_{DESIGN} = P_{S}/((\rho/2)\pi R^{2}v^{3})$$

CR = subscript for the set of contrarotating propellers

 $C_{TSi}$  = nondimensional inviscid local thrust loading coefficient,  $42G(x/\lambda_S-U_A/2V)$ 

 $C_{PSi}$  = nondimensional inviscid local power loading coefficient,  $(42/\lambda_S) \times G((1-w_x)+U_{T}/2V)$ 

G = nondimensional circulation from lifting line theory

 $U_n/2V = axial$  induced velocity from lifting line theory

 $U_{\underline{T}}/2V$  = tangential induced velocity from lifting line theory

V = ship speed

ρ = density of fluid

The calculated thrust (T) is obtained from Equation (9) and the shaft power  $(P_S)$  is calculated using Equation (11) for each propeller.

Other parameters useful in designing and evauating the performance of propellers include the advance coefficient (J), ship speed advance coefficient ( $J_V$ ), thrust coefficient ( $K_T$ ), torque coefficient ( $J_V$ ), moment due to thrust ( $J_V$ ), moment due to torque ( $J_V$ ), moment parallel to section nosetail line ( $J_V$ ), moment perpendicular to the nose-tail line ( $J_V$ ), and the blade loading distribution (LI). These parameters are calculated as follows:

Advance Coefficient:

$$J=V(1-W_{T})/(nD)=V_{A}/(nD)$$
(14)

Ship Speed Advance Coefficient:

$$J_{V}^{=V/(nD)} \tag{15}$$

Thrust Coefficient:

$$K_{T} = T/(\rho n^{2} D^{4}) = (\pi C_{TS}/8) J_{V}^{2}$$
 (16)

Torque Coefficient:

$$K_0 = Q/(\rho n^2 D^5) = (C_{pS}/16) J_V^3$$
 (17)

Moment Due to Thrust:

$$M_{Tb}(x) = (\rho \pi R^3 v^2 / (2z)) \int_{x_h}^{1} (x - x_o) (1 - \epsilon t a n \beta_I) (dc_{TSI} / dx) dx$$
 (18)

Moment Due to Torque:

$$H_{Qb}(x) = \left(\rho \pi R^3 V^2 / (2z)\right) \int_{x_h}^{1} (x - x_o) \left(\tan \beta_1 + \varepsilon\right) \left(dC_{TSi} / dx\right) dx \tag{19}$$

Moments Parallel to Section Nose-tail Line:

$$M_{XO}(x) = M_{Tb} \cos \phi + M_{Ob} \sin \phi$$
 (20)

Moment Perpendicular to Section Nose-tail Line:

$$M_{yo}(x) = M_{Tb} \sin \phi - M_{Ob} \cos \phi$$
 (21)

Blade Loading Distribution:

$$LI(x) = \frac{1}{2} \rho_C V_r^2 C_L$$
 (22)

where  $x, x_0$ =propeller nondimensional radial stations, r/R and  $r_0$ /R

 $\phi$  = propeller pitch angle ( $\phi = \beta_{I}$  in computer program)

 $V_r$  = section inflow velocity,  $\sqrt{(1-w_x)+U_A/2V}^2+(x/\lambda_S)-U_T/2V^2$ 

PROPELLER STRESS CALCULATIONS USING BEAM THEORY

A propeller blade must contain enough material to keep the stresses within a blade below a certain predetermined level.

This level depends on the material properties with regard to both steady-state and fatigue strength and to both mean and unsteady blade loading. The material selection controls the allowable stress level and the blade chord, thickness, rake and skew are the main parameters which control the blade stress for a given blade loading. Stresses based on beam theory 10 in the propeller blade are computed for each propeller. Both hydrodynamic and centrifugal loadings

are considered. Effects of rake and skew are included.

In this stress calculation procedure, the propeller blade is represented as a straight cantilever beam of variable cross-section without camber. Experimental results show that the neutral axis of an airfoil section lies approximately along the mean line, so camber is not considered in the stress calculations presented. Only the maximum principal stresses calculated at the mid-chord of each section are printed as output in the computer program. Stresses for the final design should be calculated by finite element techniques if rake and skew for the propeller differ from usual propeller shapes.

PARAMETERS FOR MAKING BLADE SURFACE CAVITATION CHECKS

Brockett's theoretically derived incipient cavitation charts of Reference 13 can be used to predict the blade surface cavitation characteristics of each propeller once the lifting-line calculations have been completed. The two-dimensional camber-to-chord ratio ( $f_{\rm M}/c$ ), ideal angle of attack in degrees ( $\alpha_{\rm i}$ ), section cavitation number ( $\sigma$ ) nondimensionalized with the section inflow velocity ( $v_{\rm r}$ ), and the maximum and minimum fluctuating angles of attack ( $\alpha_{\rm max}, \alpha_{\rm min}$ ) in degrees are parameters that must be determined before Brockett's incipient cavitation charts can be used.

These parameters are calculated as follows:

Section Maximum Camber to Chord Ratio for NACA a #0.8 Meanline:

$$f_{M}/c = 0.0679C_{T}$$
 (23)

Section Ideal Angle of Attack in Degrees for NACA a=0.8 Meanline:

$$\alpha_i = 1.54 C_{p} \tag{24}$$

Section Cavitation Number:

$$\sigma = 2g(H-xR)/V_r^2$$
 (25)

where g = acceleration due to gravity

 $V_r = inflow velocity of each propeller section.$ 

The maximum and minimum fluctuating angles of attack  $(\alpha_{\max}, \alpha_{\min})$  in degrees are calculated using the method derived by Lerbs and Rader in Reference 18. These calculations can be made using the following equations:

Maximum Fluctuating Angles of Attack:

$$\gamma_{\max} = \epsilon_i - (-\Delta S) F(x)$$
 (26)

Minimum Fluctuating Angles of Attack:

$$\alpha_{\min} = \alpha_{i} - (+\Delta\beta) F(x)$$
 (27)

where  $-\Delta\beta$  = maximum effective angle of attack in degrees (from wake survey data)

 $+\Delta\beta$  minimum effective angle of attack in degrees (from wake survey data)

<sup>18.</sup> Lerbs, H.W. and Rader, H.P., "Uber der Auftriebsgradienten von Profilen im Propeller Verband," Schiffstechnik, Vol. 9, No. 48, p 178-180, 1962

The parameter F(x) in Equations (26) and (27) is dependent on the hydrodynamic flow angle  $(\beta_{\underline{I}})$ , the advance angle  $(\beta)$  and the lift coefficient  $(C_{\underline{I}})$ , and is calculated on the computer using the following equation:

$$F(x) = 1/(1+2\pi \tan(\beta_x - \beta)/C_x)$$
 (28)

The Burrill Cavitation Charts<sup>12</sup> can also be used to give an approximate check on the cavitation performance of propellers. Burrill's thrust loading coefficient ( $\tau_c$ ) and cavitation number ( $\sigma_{0.7}$ ) at 0.7 radius, defined as follows, are parameters that must be known in order to use these cavitation charts:

Burrill Loading Coefficient:

$$\tau_{C} = T/\{(\rho/2)A_{p}(V(1-w_{x=0.7}))^{2}+(0.7\pi nD)^{2}\}$$
 (29)

Burrill Cavitation Number at 0.7 Radius:

$$\sigma_{0.7} = 2gH/\{(v(1-w_{x=0.7}))^2 + (0.7\pi nD)^2\}$$
 (30)

where  $A_g = propeller expanded area, <math>zf_{rh}^R c dr$ 

 $A_0 = \text{propeller disc area, } \pi D^2/4$ 

 $A_p$  = propeller projected area,  $(1.067 - 0.229(P/D)_i)A_g$ 

(P/D) = estimated propeller pitch ratio at 0.7 radius, estimated as  $0.7\pi tanβ_{T}$ 

Keller's method<sup>11</sup> of predicting the minimum expanded area ratio of the propeller is also calculated on the computer.

The minimum expanded area ratio, based on eliminating back bubble type cavitation, is computed as follows:

(A<sub>E</sub>/A<sub>O</sub>)<sub>K</sub> = (2.5 + 0.62)K<sub>T</sub>/{ $\sigma_{0.7}$ ( $J^2$  + (0.7 $\pi$ )<sup>2</sup>)}+K (31)

where K = 0.2 is used for single screw ships with manganesebronze propellers having rake of approximately 10 degrees,

K = 0.10 is used for twin-screw ships with copper-aluminumbronze propellers, K = 0.15 is used for twin-screw ships

with manganese-bronze propellers, and K = 0 to K - 0.05

is used for propellers for fast ships such as destroyers

and frigates. The constant, K = 0.15, was used in developing

this computer program. If a different value of K is desired,

the expanded area ratio calculated in Equation (31) should

be adjusted to account for changes in the value of K.

# Chord Lengths for Lifting Surface Pitch and Camber Calculations

The final pitch and camber for each propeller can be calculated using Nelson's computer program, presented in Reference 4, based on lifting surface theory for contrarotating propellers. However, Nelson has shown that in some cases lifting-surface interaction effects of contrarotating propellers are small. If this is the case, single propeller lifting

surface theory from References 19, 20, 21, and

<sup>19.</sup> Kerwin, J.E., "The Solution of Propeller Lifting-Surface Problems by Vortex Lattice Methods," Department of Naval Architecture and Marine Engineering, Massachusetts Institute of Technology, Cambridge, Massachusetts, 1961

<sup>20.</sup> Kerwin, J.E. and Leopold, R., "Propeller Incidence Correction Due to Blade Thickness," Journal of Ship Research, Vol. 7, No. 2, 1963, p 1, 6

<sup>21.</sup> Cheng, H.M., "Hydrodynamic Aspects of Propeller Design Based On Lifting-Surface Theory: Part I - Uniform Chordwise Load Distribution," David Taylor Model Basin Report 1802, 1964

22 can be used to calculate the final pitch and camber for each propeller. These programs require as input the section chord length,  $(c/R)_{LE}$  and  $(c/R)_{TE}$  nondimensionalized on propeller radius, in terms of the skew angle  $(^{9}_{S})$ , hydrodynamic flow angle  $(\beta_{I})$  and blade outline (c/D). The parameter  $(c/R)_{LE}$  and  $(c/R)_{TE}$  measured from the leading and trailing edges to its reference line, respectively, are calculated in the following manner on the computer:

Chord Lengths Measured from Blade Leading Edge:

$$(c/R)_{LE} \approx x^{\beta}_{S}/(57.296 \cos \beta_{I}) - c/D$$
 (32)

Chord Lengths Measured from Blade Trailing Edge:

$$(c/R)_{TE} = x\theta_s/(57.296 \cos \beta_I) + c/D$$
 (33)

## SPACING BETWEEN BLADES AND FILLETS

Propeller designs should have enough clearance between blades at the hub so fillets can be properly applied.  ${\rm Hill}^{23}$  derived the following equation which is used in the program to estimate spacing between blades  ${\rm G_Z}$  at the hub without fillets:

$$G_{Z} = (2\pi r_{h})/2 - (t_{h}/\sin \phi)$$
 (34)

where  $\phi$  is the propeller pitch angle ( $\phi = \theta_{\rm I}$  in computer program). Based on a number of full-scale propellers built with standard fillets, Hill's blade clearance equation was modified

the following manner to estimate spacing G<sub>F</sub> between fillets

22. Cheng, H.M., "Hydrodynamic Aspects of Propeller Design

Based On Lifting-Surface Theory: Part II - Arbitrary Chordwise

Load Distribution," David Taylor Model Basin report 1803, 1965

23. Hill, J.G., "The Design of Propellers," Transactions of the Society of Naval Architects and Marine engineers, Vol. 57, 1949

at the hub during the preliminary stage of the design.

$$G_{\rm F} = (2\pi r_{\rm h})/2 - (1.9t_{\rm h}/\sin\phi)$$
 (35)

A layout of blade sections is recommended as a final fillet clearance check.

# PROPELLER WEIGHT AND CENTER OF GRAVITY

The approximate propeller weight  $(W_p)$  and location of center of gravity (CG) from the propeller center line is also calculated for each design. In order to make these calculations, the specific weight of the material  $(\rho_p)$  must be specified as input. The propeller hub is assumed to be a circular cylinder of equal length and diameter. The propeller center line is located at the mid length of the propeller hub and no allowance is made for the propeller bore or blade root fillets in these calculations. The weight  $(W_p)$  for each propeller is calculated as follows: Propeller Weight:

$$W_{p} = W_{B} + W_{H}$$
where  $W_{B}$  = weight of blades,  $\rho_{p} z \int_{x_{h}}^{1} a(x) dx$ 

$$W_{H} = \text{weight of hub, } \pi/4 (\rho_{p} D_{H})$$

$$D_{H} = \text{hub diameter}$$

$$a(x) = \text{area of section at radius } x, 2c(x) t(x) \int_{0}^{1} t(x, x_{g}) dx$$

$$c(x) = \text{chord length of section at radius } x$$

$$t(x) = \text{maximum thickness of section thickness}$$

 $t(x,x_{g})$  = chordwise distribution of section thickness

(NACA 66 modified thickness form is used in program)

 $x_{g}$  = nondimensional coordinate along the section chord  $(r_{g}/c)$ 

 $\rho_{\mathbf{p}}$  = specific weight of material considered

The propeller center of gravity (CG) with respect to the blade center line, where plus values represent the distance ahead of the center line and negative values aft of the center line, is calculated in the following manner:

Center of Gravity:

$$CG = M_{p}/M_{p}$$
 (37)

where  $M_p$  = moment of the propeller,  $\rho_m 2f_{x_h}^1 a(x) B(x) dx$ 

B(x) = distance of center of gravity from propeller center line,  $y \cos \phi + x \sin \phi - \theta_s \times R \tan \phi - \theta_R \times d_H/2$ 

x = longitudinal center of gravity along chord line

y = vertical center of gravity perpendicular to chord line

 $\theta_{R}$  = rake angle in radians

 $\theta_{s}$  = skew angle in radians

 $\Rightarrow$  pitch angle in radians, ( $\phi = \beta_I$  is used in the program)

# COMPUTER PROGRAM

A new computer program has been derived for the preliminary design of contrarotating propellers using the CDC 6400, 6600 and 6700 computers at DTNSRDC. A core storage of approximately

128,000 octal is required for the computer program, and it takes approximately 4 minutes to compile the computer program.

The actual running time per case using the design thrust option is approximately 6 minutes and when the design shaft horsepower option is used, the running time is approximately 9 minutes. A detailed description of the input and output formats for the computer program is presented in Appendix A, and a FORTRAN listing of the new computer program is shown in Appendix B.

# PROPELLER DESIGN THRUST AND POWER OPTIONS

The thrust option can be used to make lifting line calculations for propellers required to produce a given thrust at specified values of speed and rpm (this is accomplished by adjusting the input  $\tan\beta_{\rm I}$  distribution), or the power option can be used if the propeller is required to absorb a specified power at a given rpm (in which case the speed is determined).

From each calculated power, a new value of speed (assumed to vary as the cube root of the ratio of the design and calculated power) is obtained and its corresponding effective power is obtained from the effective power input curve.

Design calculations again produce a new calculated power, and the process continues until the closeness criteria of design and calculated power is satisfied (two iterations are normally sufficient). Smaller increments of input speeds in general cause faster convergence.

Once the basic shape of the distribution is defined (see the Hydrodynamic Flow Angle Distribution section) the final  $\tan\beta_{\rm I}$  distribution  ${\rm K_4}$   $\tan\beta_{\rm I}$  is determined using the thrust or power options, by making lifting line calculations of three nondimensional thrust loading coefficients  $({\rm C_{TS}})_1$ ,  $({\rm C_{TS}})_2$ , and  $({\rm C_{TS}})_3$  that correspond to three hydrodynamic pitch distributions,  ${\rm K_1}$   $\tan\beta_{\rm I}$ ,  ${\rm K_2}$   $\tan\beta_{\rm I}$ , and  ${\rm K_3}$   $\tan\beta_{\rm I}$  where  ${\rm K_1} = 0.975$ ,  ${\rm K_2} = 1.0$ , and  ${\rm K_3} = 1.025$ . Once these calculations are obtained, the following system of equations are set up:

$$(C_{Ts})_1 = A + BK_1 + CK_1^2$$
  
 $(C_{Ts})_2 = A + BK_2 + CK_2^2$   
 $(C_{Ts})_3 = A + BK_3 + CK_3^2$ 

from which values of A, B, and C are obtained. Then, values of A, B, and C are substituted in the following equation to obtain the value of  $K_A$ .

$$C_{TS} = A + BK_4 + CK_4^2$$

いっていることをなっている。なるないのでは、

where  $C_{TS}$  = design thrust loading coefficient (Equation 9).

DESIGN CALCULATIONS OF A SAMPLE SET OF CONTRAROTATING PROPELLERS

Design calculations are shown in Table 1 for a sample set of contrarotating propellers with 7 blades and an expanded area ratio  $(A_E/A_O)$  of 0.293 for the forward propeller, and 6 blades with  $A_E/A_O = 0.365$  for the aft propeller. These propellers were designed to operate in a wake with a thrust loading coefficient based on ship speed  $(C_{TS})$  of 0.265 and an advance coefficient (J) of 1.235. Both propellers had a 100 percent linear skew distribution resulting in 51.4

and 60 degree blade tip skew angles for the forward and aft propellers, respectively. Solid and dashed lines in Figures 2 through 8 show calculations obtained using the old design method 1,2,3 and the new computer program, respectively. These figures show that the radial distribution of the hydrodynamic pitch  $(\pi x \tan \beta_{\tau})$ , nondimensional circulation (G), axial  $(U_m/2V)$  and tangential  $(U_m/2V)$  induced velocities calculated using both methods differed significantly, especially for the aft propeller. The thrust loading coefficient  $(C_{\mathbf{T}_{\mathbf{S}}})$  , power loading coefficient  $(C_{\mathbf{P}_{\mathbf{S}}})$  and propulsive efficiency  $(\eta_n)$  calculated for the sample set of contrarotating propellers using the old and new methods are printed in Table 2. Results in Table 2 show that the old design method predicts similar thrust ( $C_{TS}$ ) and power ( $C_{PS}$ ) loading coefficients for the forward and aft propellers where as the new design method predicts that the aft propeller  $C_{\mathbf{m}_{\mathbf{S}}}$ and  $C_{pq}$  values are significantly higher than those calculated for the forward propeller. The propulsive efficiency  $(\eta_D)$ of 0.886 predicted for the sample set of contrarotating propellers using the new method is approximately 2 percentage points lower than the  $\eta_D$  value of 0.912 calculated using the old design method. Performance predictions using the new design method should be more accurate than the predictions made using the old design method because of the improved methods of accounting for the propeller interaction effects.

# RECOMMENDATIONS

The following investigations should be carried out in the future in order to better design and predict the performance of contrarotating propellers:

- 1. Utilize induced velocities derived by Kerwin in Reference 8 to obtain more exact calculations for contraction of the slip stream and the aft propeller diameter. This subroutine should be reprogrammed to significantly reduce the running time presently required to make it practical for use in the contrarotating propeller design computer program.
- Include the effects of the hull radial induced velocity as an input option in the contrarotating propeller design procedure.
- 3. Conduct model propulsive and cavitation experiments on a set of contrarotating propellers to validate the design procedure.
- 4. Options for specifying noncylindrical hubs, arbitrary propeller locations and allowances for the propeller bore should be added to the program presented to improve the predictions of propeller weight and center of gravity.

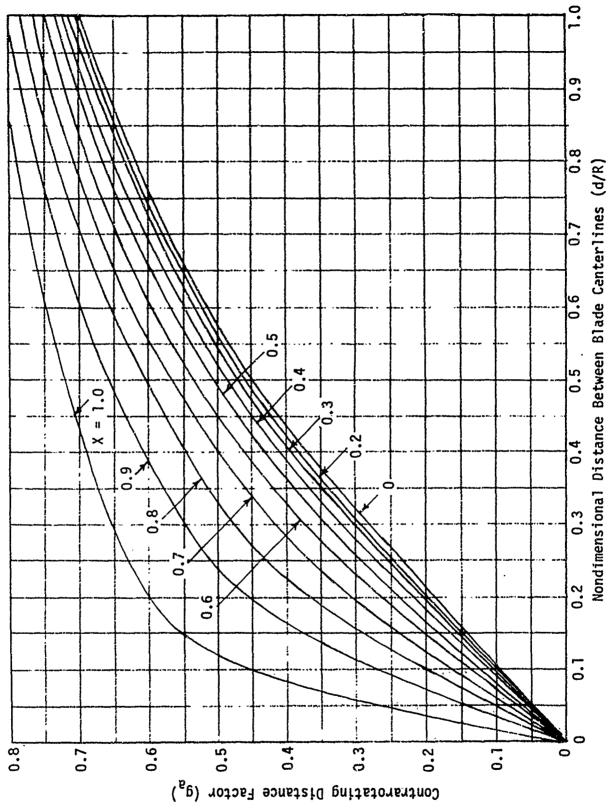
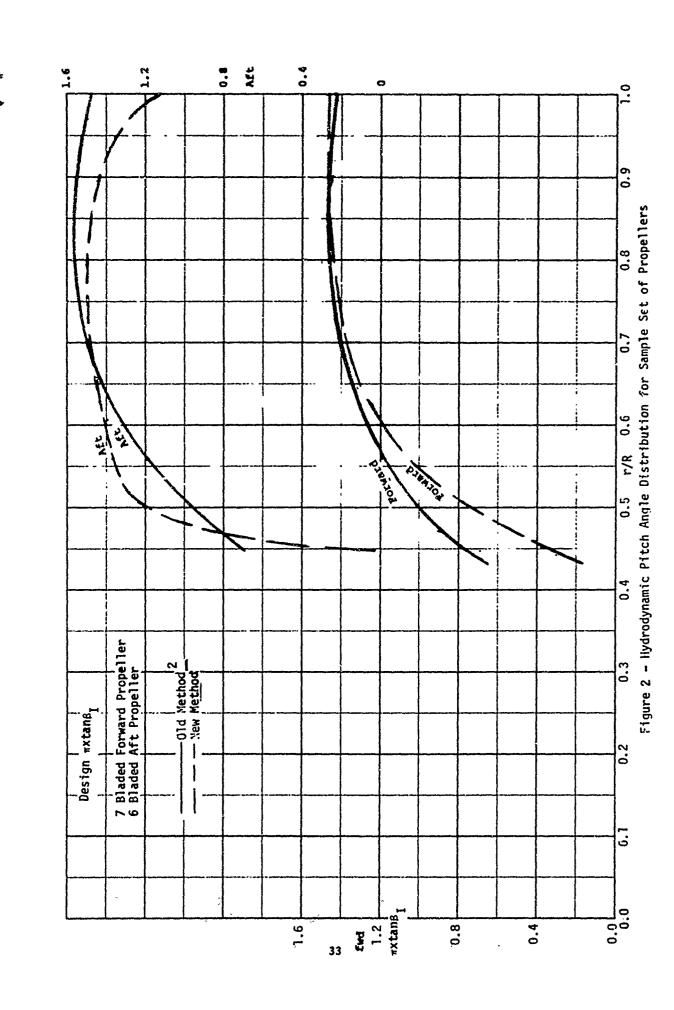
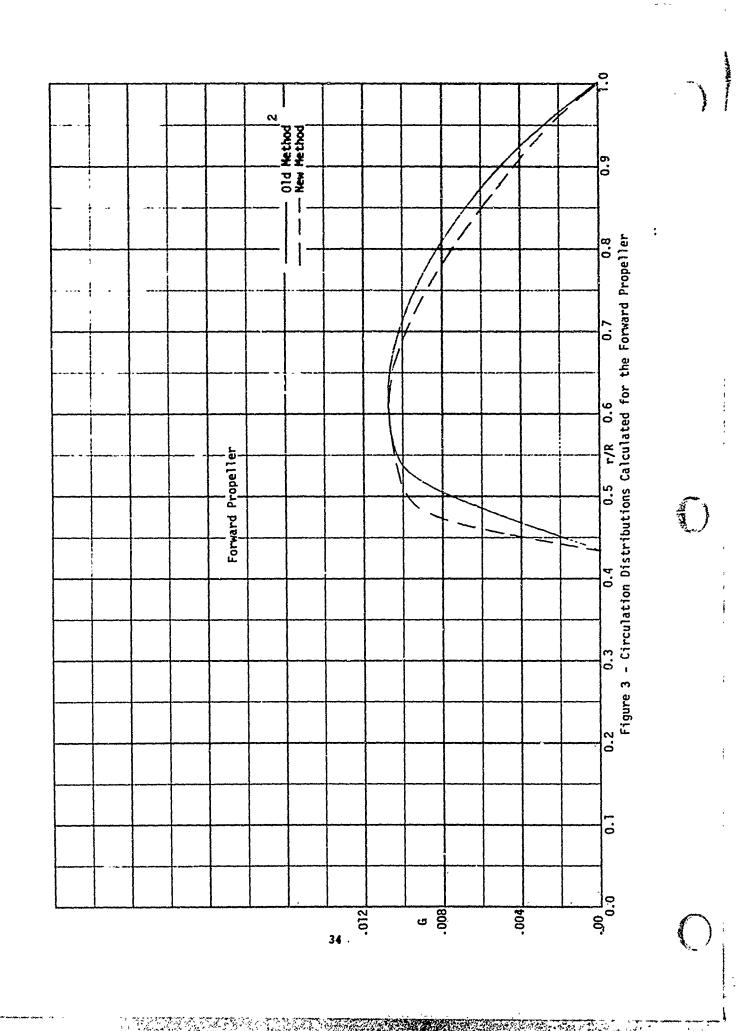
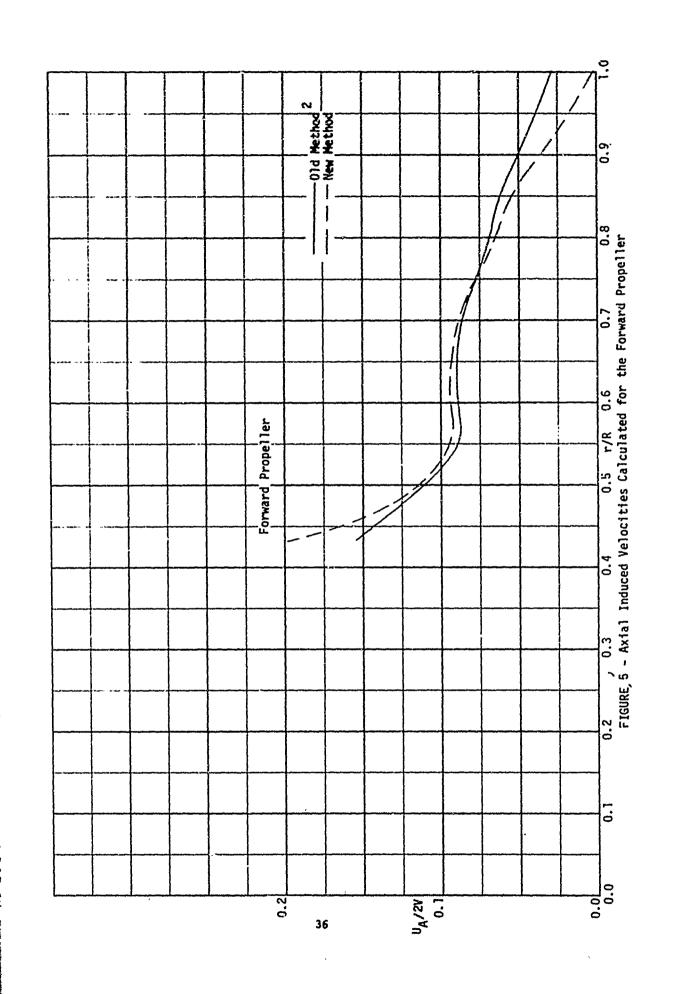


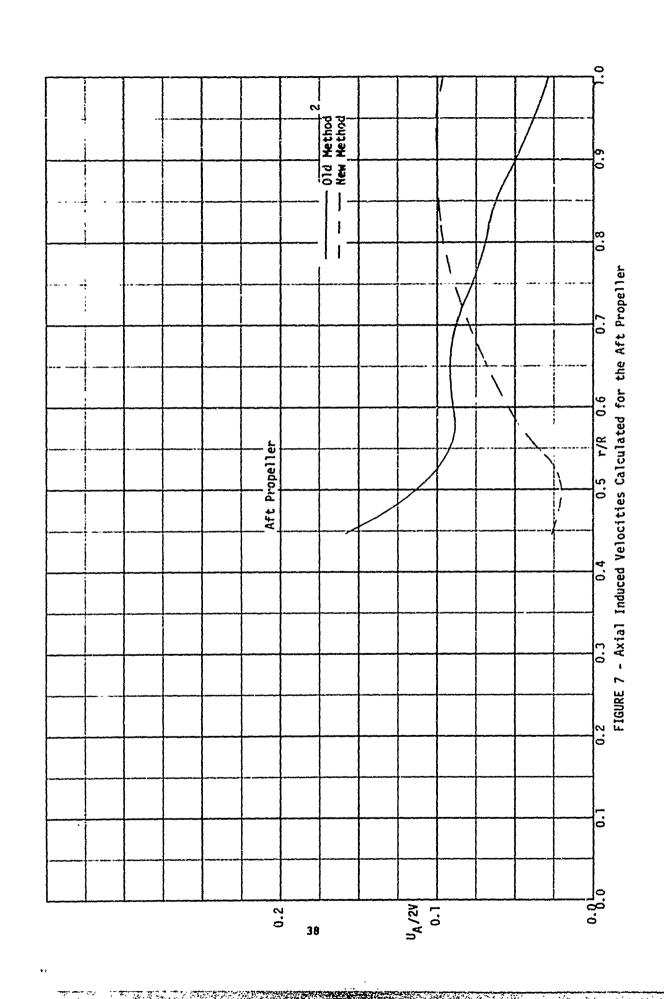
Figure 1- Lerbs Distance Factors  $(g_{\mathbf{a}})$  for Aft Propeller Diameter Calculations







5.



Ş,

(5)

I.

TABLE 1

# OUTPUT DATA FOR THE SAMPLE, SET OF CONTRAROTATING PROPELLERS

TH(N) = 1.2658E+03 2.2391-02 7.72195-01 3.36738-01 1.06008-01 1.1760E-01 CALGULATED 1.2930E-01 1.10905-01 4.5000E-81 7.4203E-01 5.33838-31 V (KNOTS) = 2,4204E+31 V (H/SEC) = 1,2451E+01 2.66935-01 2.2355E-01 1.5467E-01 0. 6476E-0 64516-03 8.8000E-01 7.1760E-01 1.38205-01 1.14306-01 RHO(KG/43) = 1025.5600 5.6080E-31 DCPSI 6.0778.00 TETSCOEGI 3.1879E-01 2.6470E-01 7.03005-51 6.4193E-01 1.4140E-01 1.33036-01 6.1110E-01 AF/A0=2.9300E-01 CTSI/CPSI#1.3250E+00 DCTSI CTS/CPS=1.2734E+00 4316+02 423E+03 5376+93 777E+03 LI (N/H) 1-HTT=7.0500E-01 6.5390E-01 1-41406-01 1.43605-01 5.935CE-01 6.2530E-01 19.4000 £(X) # (X) \* 6.0000E-01 5.4170E-01 6.1503:-91 1.41405-01 1.5420E-01 3 Z\*7.0BC0E+00 CTSI\*1.35B6E-01 CTS=1.3246E-01 TANB OPT= 0.35 .. 0317E 1-THD=7.6400E-01 4.8305-02 8303.57 COVCL 5.5000E-01 4.7050E-01 5.73005-01 1.4140E-01 1.64705-01 K(REV/HIN)=1.0900E+03 CPSI=1.0193E+01 C1 1-THD\* 1.195E-02 9.303E-03 .638E-02 OF PROPIKE/MS) = 1-489E-0 FFIC CPS=1.0827F-01 PS (KH) =1.7275E+01 4.7498E-01 4.4781E-01 1.7610E-01 1.41406-01 \$330E-01 4.71035-01 .7350 RAKE OPT= ALI (SEG) 2.9300E-01 4.6613E-01 1.41405-01 9.3001E-02 1.9400E-01 1.2040E-01 9.5923E-01 1.4903E-01 7.9500E-11 1.2500E-02 .370E-01 +530€-0: D(M) = 3.9115E=01 CPTZ=8.7993E=02 CPT=6.6254E-02 ETA0=9.3467E-01 TANBI CPT= 1.00 NO OF VE 1. V(M/SEC) = PE(KH) = N(REV/MIN)= 8,5000E-01 9,0000E-01 9,5090E-01 7.3000E-51 1.0000E+00 ETS OPT 6.500E-01 7.600E-01 8.000E-01 1.000E+00 AEPA D× = (1, )0 TANBI 1-KX= C/0= **T/C**=

# TABLE 1 CONTINUED

.

×	AREA (M2)	XSARCHO	YSAR(H)	TXOCKES	TYDEMEN	(X-N)CXH	WACK-KS	MTRCM-H3	****	HAYCTRFCC (PA)
4.330E-01	4.268E-04	2.613E-02		2.8968-09	5.7505-08	1.162E+01	3.504E+01	1.085E+31	6.711E+00	3.3576+07
5-5005-01	3.624E-04	2.813E-02		1.772E-09	4. 381E-09	7.703E+68	5.7072+31	6.817E+03	4.182E+00	3,1658+47
6.000E-01	3,3932-04	2.6135-02	<b>:</b>	1.454E-09	4.5708-38	6.025E+00	3.3685+31	5.263E+00	3.203E+30	2.772E+07
6.500E-91	3-168E-84	2.8135-82	•	1.1758-09	4.256E-08	4.463E+00	2.529E+01	3.8695+58	2.329E+00	2-346E+07
7.000E-51	2.926E-04	2.813E-32	•	9.3326-18	3.9425-33	3.136E+08	1.842E+01	2.787E+09	1.6115+08	1,9295+07
3-900E-01	2.402E-04	2.750E-02	<i>:</i>	5.4658-18	3.6916-88	1.1335+00	6.525E+81	9, 612E-01	5.7035-01	1-8326+07
8.500E-01	2.0315-04	2.567E-92	•	3. 748£-19	2.277E-08	5.4038-01	3.0296+38	4.684E-01	2.6935-61	90-325-9
×	PAKE	PI XTANBI	PI XTANS							
4.338E-81	•	1.7466-81	2.145E-01							
5.8885-81	:	7.586E-81	6.451E-01							
S.588E-81		1.815E+68	1.618E-81							
5-888E-01		1.189E+88	9.7715-01							
6.500E-EL		1.3115+00	1.368E+80							
7.550E-01	•	1.375:+88	1.1375.03							
8-9006-81	•	1.445E+88	1.2572+09							
3.500E-61		2.4625+83	1,295E+09							
9.960E-91	ŧ	1.4635+98	1.3435 +00							
9.5002-81	•	1.4652+80	1.379E+86							
1.488E+ C8		1.464E+11	1.487E+88							

CENTER OF GRAVITY OF BLADES REFERENCED FROM MIDCHORD OF ROOT SECTION (" FWD, + AFT)/D= .872175 CENTER OF GRAVITY OF PROP REFIRENCED FROM MIDCHORD OF ROOT SECTION (" FND, + AF1)/Ds .883728 .2165 HUB DIAM = .433888 HUB LENGTH = .4338 MINCHORD OF ROOT SECTION TO AFT END OF HUB = 327.6586 MEICHT OF PROPIBLADES+CYLINDRICAL HUB) IN)= HUS DIMENSIONS/O

KELLERS HININUM EAR# .2953E+50

SPEED COEFF V/(MO) JS# .1752E+81

ADVANCE COEFF V(1-MIT)//MD) JA# .1235E+81

DESIGN THRUST COEFF KT# .1597E+80

TORGUE COEFF KQ# .3641E-81

PROPULSIVE EFFICIENCY ETAD# .9347E+80

BURRILL THRUST COEFF TC= .2782E+80
BURRILL CAVITATION CUEFF SIGMA(0.7) = .1175E+01
CLEARANCE AT NUS BETWEEN BLADES/O= -.00272637

-- 02741481

CLEASANCE AT HUB BETHEEN FILLETS/D=

HEIGHT OF BLADES(N)=

AFT PROP OF CONTRAROTATING SET

CALCULATED TH(N) =1.2658E+03 5.9500E-01 1.3603E-01 9.30056-02 7.94336-01 2.6424E+01 1.5300E-01 9.4030E-02 8.4703E-01 7-75008-51 5.4530E-01 1.1115+00 V(Y/SEC)=1.2451E+01 2.1074E-01 1.0306E-01 9.80905-02 7.53006-01 1.6150E-01 7.97008-05 6.9500E-01 RHO(KG/P3) = 1025.5600 TETS (DEG) 1.65302-01 1.6530E-51 1,22005-01 1,15006-01 7. C003E-01 7.34336-31 7.6003E-01 AE/40=3.6530E-31 CT ./CPSI=1.1922E+00 CTS/CPS\*1.13215+00 1.0775+93 1-MTT=7.0500E-01 LI (N/H) 6.51005-01 5.7300E-01 8-20005-01 H(H) = 19.4000 1.31055-01 6.06005-31 6.34095-01 8.50005-01 1.6530E-61 N(EEV/HIN)=1.090CE+93 Z=6.030CE+00 CPSI=1.2973F-01 CTSI=1.4594E-01 CTS=1.4093E-01 1-THD=7.6400E-01 TANS OPT= 0.00 COVCL 8303.97 . 7643 1.65356-01 1.43375-11 1.39395-01 5.60005-01 5.8330E-01 9.0500E-01 1.659E-0 DENSITY OF PROPIKG/H3) = CPS=1.2787E-01 PS(KW) =1.91 76E+01 4.4419E-01 1.65336-31 ALI (056) 4.5678E-01 3.693E-01 8.6302E-01 3(M) = 3.7922E-11 CPTI=9.9649E-02 CPT=9.7507E-32 ETAD=8.4198E-01 TETS OPT = 1.30 H(REV/HIN)= 1.00305+00 8.9603E-31 9.4700E-91 PE(KH)= 0(H)= 1-470E-0 AE/ADE TANBI= 1-WX= C/0= #2/1 # \*

# TABLE 1 CONTINUED

學

(K.)

2	
MAXSTRESS (PA) 3.1346.07 3.1346.07 2.6976.07 2.746.07 1.3766.07 5.8966.07	
######################################	
11 - 0 - 0 - 0 - 0 - 0 - 0 - 0 - 0 - 0 -	
M	
######################################	
1400Mth 7.622E-00 6.752E-00 6.864E-00 5.927E-00 6.508E-00 4.508E-00	
1XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX	
**************************************	PI XTAMB 5.976E-01 6.556E-01 1.107E-01 1.225E-00 1.325E-00 1.322E-00 1.332E-00 1.332E-00
XXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXXX	7. XTAMBI 3.6 XTAMBI 3.6 XYANI 1.3 XYANI 1.4 XYANI 1.4 XYANI 1.5 R BIE 60 1.5 R BIE 60 1.5 R BIE 60 1.5 R BIE 60 1.3 S S S S S S S S S S S S S S S S S S S
AREA (H2) 5.558E-05 3.928E-05 3.72E-05 5.458E-05 3.250E-05 2.45E-05	00000000000000000000000000000000000000
\$ 6.647X \$ 6.640E \$ 6.650E \$ 5.50E \$ 7.08E \$ 4.98E \$ 4.98E \$ 4.98E \$ 4.98E	**************************************

MUB DIMENSIONS/O MUB SYAN = .447889

MUDCHOR) OF ROOT SECTION TO AFT END OF MUB = .228

KELLERS MINIFUN EAR= .2946E+08

SPEEC COEFF V/(ND) JA= .1274E+81

DESIGN THRUST COEFF KT= .1888E+88

TORGUE COEFF KQ= .4719E-81

PROPULSIVE EFFICIENCY ETAD= .8428E+88

BURRILL THRUST COEFF TC= .2464E+80

GURRILL THRUST COEFF TC= .2464E+80

GLEAFANCE AT HUB BETWEEN BLADES/D= -.82056395

CLEAFANCE AT HUB BETWEEN FILLETS/D= -.8451592

GENTER OF GRAVITY OF BLADES REFERENCED FRON MIJCHORD OF ROOT SECTION (- FND, + AFT)/D= .898187 CENTER OF GRAVITY OF PROP REFERENCED FROM MIDCHORD OF ROOT SECTION (\* FWD, + AFT)/D# .884114

326.486

MEIGHT OF PROPIBLAGES+CYLINGRICAL HUBY (M) =

14.6916

WEIGHT OF BLADESIN)=

GTS# .26492 GPS# .22647 ETAD# .86591

TABLE 2

THRUST AND POWER LOADING COEFFICIENTS AND PROPULSIVE EFFICIENCY

CALCULATED USING THE OLD AND NEW DESIGN METHODS

Performance Predictions	Old Method $^{1,2,3}$	New Method
Thrust Loading Coefficient (C <sub>TS</sub> ) fwd	0.137	0.133
Thrust Loading Coefficient (C <sub>Ts</sub> ) aft	0.137	0.141
Thrust Loading Coefficient (C <sub>Ts</sub> ) CR	0.265	0.265
Power Loading Coefficient (C <sub>Ps</sub> ) fwd	0.113	0.108
Power Loading Coefficient (C <sub>Ps</sub> ) aft	0.116	0.128
Power Loading Coefficient (C <sub>Ps</sub> ) CR	0.222	0.229
Propulsive Efficiency $(\eta_D)_{CR}$	0.912	0.886

# APPENDIX A

INPUT AND OUTPUT FORMATS FOR THE COMPUTER PROGRAM DEVELOPED

いいことはあるというところになっていることが、これできないというないないできないのできないのできないできないできないできない。

TABLE 1

List of dimensioned input and output parameters used by computer program based on English and SI units

Parameter	English Units	SI Units	KSI (1)
Shaft power (P <sub>S</sub> )	hp	KW	0.7457
Effective power (P <sub>E</sub> )	hp	KW	0.7457
ρ <sub>p</sub>	lbm/ft <sup>3</sup>	kg/m <sup>3</sup>	16.01846
v	knots (2)	m/٦	0.514444
v	ft/sec	knots (2)	0.5924
D	ft	m	0.3048
н	ft	m	0.3048
ρ	lbf sec <sup>2</sup> /ft <sup>4</sup>	kg/m <sup>3</sup>	515.3788
n	rev/min	rev/min (3)	1.0
T, weight	lbf	N	4.44822
v <sub>r</sub>	ft/sec	m/s	0.3048
LI	lbf/ft	N/m	14.5939
M <sub>Tb</sub>	in lbf	Nn	0.112985
M <sub>Qb</sub>	in 1bf	Nn	0.112985
M XO	in 1bf	Nn	0.112985
M yo	in 1bf	Nn	0.112985
Max Stress	lbf/in <sup>2</sup>	Pa 60	394.757
SKEW	đeg	deg <sup>(3)</sup>	1.0
RAKE	deg	deg <sup>(3)</sup>	1.0
Mass polar moment of INERTIA	lbm in <sup>2</sup>	kgm <sup>2</sup>	0.00029264

<sup>(1)</sup> Multiply English Units by KSI to get SI Units.

<sup>(2)</sup> Computer program uses knots in both English Units option and SI Units option.

<sup>(3)</sup> These are not SI Units but are permitted to be used in the SI system according to International Standards Organization (150) Standard No. 1000.

# APPENDIX A INPUT FORMAT (FORWARD PROPELLER)

Card No.	Format	Parameter	Description of Input
1	F8.6	ď/R	Axial distance between the forward and aft propeller planes nondimensionalized on forward propeller radius.
2	12A6		Identification of design input data.
3	F8.4	P <sub>S</sub> or 0.0	Input the design shaft power if the power option is used. Input 0.0 if the design thrust option is used (see the section on the propeller design thrust and power options).
4	F8.4	1.0 or 5.0	Number of different speeds (V) and effective power values to be punched on Cards 5 and 6, respectively. Input 1.0 for the thrust option and 5.0 for the power option.
		$ ho_{f p}$	Specific weight of propeller material $(\rho_p)$ for weight calculations.
5	F8.4	V	Design speed (V). For the power option, input five different speeds in increasing order with the third speed being the best estimate of final speed. Input one speed for the thrust option.
6	F8.4	P E	Design effective power values corresponding to input speeds on Card 5. (See Equation (1)).

Card No.	Format P8.6	Parameter D	Description of Input Propeller diameter (D)
		(1-w <sub>T</sub> )	Effective wake (1-w <sub>T</sub> )
		(1-t)	Thrust deduction (1-t)
		н	Static head (H) at shaft centerline. (See section on Static Head).
		ρ	Density of water (p)
		Skew Angle (θ <sub>s</sub> ) Option	For a linear skew angle distribution input percent of skew in decimal form. For nonlinear skew input $-1.0$ and the skew angles in degrees $(\theta_s)$ must be punched on Cards 22 and 23.
		$\theta_{\mathbf{R}}$	Rake angle at blade tip in degrees. Use $+\theta_{R}$ value for blades raked aft and $-\theta_{R}$ for forward rake.
8	F8.6	1.0	Input 1.0
	,	c <sub>D</sub>	Use CD>10 to input the radial distribution of drag coefficients (CD); 0 <cd<10 (cfo)="" -10<cd<0="" 8,="" 8.<="" a="" all="" at="" be="" calculate="" causes="" cd="CFO(1+1.25(t/c)+125(t/c));" cd<-10="" cfo="ABS(CFO)" coefficients="" computer="" constant="" distribution="" drag="" equation="" frictional="" in="" input="" of="" program="" radial="" resistance="" stations;="" td="" the="" to="" use="" used="" using="" values=""></cd<10>
		tanβ Option 0.0 or 1.0	Input 0.0 if tanß is calculated on the computer in the normal manner. Input 1.0 if tanß distribution is arbitrary and punched on Cards 26 and 27.

Card No.	Format	Parameter	Description of Input
9	F8.6	z	Number of blades
10	F8.6	A <sub>E</sub> /A <sub>O</sub>	Expanded area ratio
11	F8.6	n	Revolutions per unit time
12-13	F8.6	×	Nondimensional radial station (eleven values arbitrary spaced from propeller hub to tip)
14-15	F8.6	(1-w <sub>x</sub> )	Propeller wake (1-w <sub>x</sub> ) cor- responding to input x values
16-17	<b>F8.6</b>	tanβ <sub>I</sub>	Tangent of hydrodynamic flow angle ( $tan\beta_1$ ) corresponding to input x values. If Lerbs optimum $tan\beta_1$ distribution is desired, 0.0 values must be punched in these cards
18-19	F8.6	c/D	Section chord lengths corresponding to input x values
20-21	F8.6	t/c	Thickness-chord ratios corresponding to input x values
22-23	F8.6	θ <sub>s</sub> Optional	Blade skew angles corresponding to input x values to be input only if -1.0 for skew option is punched in Card 7. Otherwise Cards 22 and 23 must not be used as input cards.
24-25	F8.6	C <sub>D</sub> Optional	Section drag coefficient cor- responding to input values if CD>10 on Card 8; frictional re- sistance of section if CD<10.

いきいるかれた、ちからいっというないいんないによないい

Service of the servic

Card No.	Format	Parameter	Description of Input
26-27	<b>F8.6</b>	tanß Optional	Tangent of advance angle corresponding to input x values to be input only if 1.0 for tanß option is punched on Card 8. Otherwise Cards 26 and 27 must not be used as input.
28-29	F8.6	g <sub>a</sub>	Distance factors (g <sub>2</sub> ) corresponding to input x values from Reference 1 and Pigure 1.

# INPUT FORMAT (AFT PROPELLER)

	_		
Card No.	Format	Parameter	Description of Input
30	12A6		Identification of design input data.
31	F8.4	P <sub>S</sub> or 0.0	Input the design shaft power delivered at the propeller if the power option is used. Input 0.0if the design thrust option is used (see the section on the propeller design thrust and power options).
32	F8.4	1.0 or 5.0	Number of different speeds (V) and effective power values to be punched on Cards 33 and 34, respectively. Input 1.0 for the thrust option and 5.0 for the power option.
		$\rho_{\mathbf{p}}$	Specific weight of propeller material $(\rho_{M})$ for weight calculations.
33	F8.4	V	Design speed (V). For the power option. Input five different speeds in increasing order with the third speed being the best estimate of final speed. Input one speed for the thrust option.
34	P8.4	P <sub>E</sub>	Design effective power values corresponding to input speeds on Card 33. (See Equation (1)).
<b>35</b>	F8.6	0.0	Input 0.0 for aft propeller diameter which is calculated on the computer.
		(1-w <sub>T</sub> )	Effective wake (1-w <sub>T</sub> )
		(1~W <sub>m</sub> )	Thrust deduction (1-t)

Card No.	Format	Parameter	Description of Input
		н	Static Head (H) at shaft centerline. (See section on Static Head).
		ρ	Density of water (p).
		Skew Angle (0 <sub>g</sub> ) Option	For a linear skew angle distribution input percent of skew in decimal form. For nonlinear skew input $-1.0$ and the skew angles in degrees ( $\theta_s$ ) must be punched in Cards 50 and 51.
		θ <sub>R</sub>	Rake angle at blade tip in degrees. Use $+\theta_{\rm R}$ value for blades raked aft and $-\theta_{\rm R}$ for forward rake.
36	F8.6	1.0	Input 1.0
		c <sub>D</sub>	Use CD≥10 to input the radial distribution of drag coefficients (CD); 0 <cd<10 (cfo)="" -10<cd<0="" 8,="" 8.<="" a="" all="" at="" be="" calculate="" causes="" cd="0" cd≤-10="" coefficients="" computer="" constant="" cp="CpO(1+1.25(t/c)+125(t/c));" cpo="ABS(CpO)" distribution="" drag="" equation="" frictional="" in="" input="" of="" program="" radial="" resistance="" stations;="" th="" the="" to="" use="" used="" using="" values=""></cd<10>
	,	tang Option	Input 0.0 if tank is calculated on the computer in the normal manner. Input 1.0 if tank distribution is arbitrary and punched on Cards 54 and 55.
37	F8.6	<b>z</b>	Number of blades
38	F8.6	AE/AO	Expanded area ratio

Card No.	Format	Parameters	Description of Input
39	F8.6	n	Revolutions per unit time
40-41	F8.6	×	Nondimensional radial station (eleven values arbitrarily spaced from propeller hub to tip).
42-43	F8.6	(1-w <sub>x</sub> )	Propeller wake (1-w) cor- responding to input x values.
44-45	F8.6	tan3 <sub>I</sub>	Tangent of hydrodynamic flow angle (tan <sup>8</sup> ) corresponding to input x values. If Lerbs optimum tan <sup>8</sup> , distribution is desired, 0.0 values must be punched in these cards.
46-47	<b>F8.</b> 6	c/D	Section chord lengths corresponding to input x values.
48-49	F8.6	t/c	Thickness-chord ratios corresponding to input x values.
50-51	F8.6	θ <sub>s</sub> Optional	Blade skew angles corresponding to input x values to be input only if -1.0 for skew option is punched in Card 35. Otherwise Cards 50 and 51 must not be used as input cards.
52-53	F8.6	C <sub>D</sub> Optional	Section drag coefficient corresponding to input values if CD>10 on Card 8; frictional resistance of section if CD<10.
54-55	`F8.6`	tanß Optional	Tangent of advance angle corresponding to input x values to be input only if 1.0 for tanß option is punched on Card 8. Otherwise Cards 54 and 55 must not be used as input.

TABLE 1
A DESCRIPTION OF THE OUTPUT PARAMETERS

Computer Parameter	Parameter	Description of Output
v	v	Speed (input)
PE	PE	Effective power (input)
D	D	Diameter (input)
2	2	Number of blades (input)
н	н	Static head (input)
RHO	ρ	Density of fluid (input)
AE/AO	A <sub>E</sub> /A <sub>O</sub>	Expanded area ratio (input or Equation (6))
CPSI		Nonviscous power coefficient (Equation (11) when $\epsilon=0$ )
CTSI		Nonviscous thrust coefficient (Equation (9) when $\epsilon = 0$ )
XI	×	Nondimensional radii (x)
DCTSI	đC <sub>Tsi</sub>	Local nonviscous thrust coefficient (Defined in Equation (9))
DCPSI	dC <sub>Psi</sub>	Local nonviscous power coefficient (Defined in Equation (11))
CPS	C <sub>PS</sub>	Power loading coefficient (Equation (11))
CTS	c <sub>ts</sub>	Thrust loading coefficient (Equation (9))
TANBI	tanß <sub>I</sub>	Tangent of hydrodynamic flow angle
TANB	tanβ	Tangent of advance angle
G	G	Nondimensional circulation
UT/2V	U <sub>T</sub> /2V	Tangential velocity induced, at lifting line
UA/2V	U <sub>A</sub> /2V	Axial velocity induced at lifting line

Computer Parameter	Parameter	Description of Output
VR	v <sub>r</sub>	Section inflow velocity, Equation (22)
SIGMAX	σ	Section cavitation number, Equation (25)
CL	c <sub>t</sub>	Section lift coefficient
ALI	$\alpha_{\mathbf{i}}$	Section two-dimensional ideal angle of attack in degrees for NACA a=0.8 meanline, Equation (24)
FM/C	f <sub>M</sub> /c	Section two-dimensional maximum camber ratio for NACA a=0.8 meanline, Equation (23)
CD/CL	ε	Section drag-lift ratio ( $=C_D/C_L$ )
F(X)	F(x)	Parameter for calculations section fluctuating angles of attack, Equation (28)
LI	r i	Propeller load distribution for finite element stress calculations, Equation (22)
SKEW ANGLE	9 <b>s</b>	Propeller skew angle in degrees
(C/R) LE	(c/R) LE	Chord lengths for lifting surface pitch and camber calculations, Equation (32)
(C/R) TE	(c/R) <sub>TE</sub>	Chord lengths for lifting surface pitch and camber calculations, Equation (33)
T/R	t/R	Ratio of section thickness to radius
PC	n <sub>D</sub>	Estimated propulsive efficiency, Equation (13)
<b>P</b> S	40 40 40 40 A	calculated shaft power delivered at the propeller, Equation (13)
1-T	(1-t)	Propeller thrust deduction
1-WT	(1-w <sub>T</sub> )	Propeller effective wake.

The second of th

Computer Parameter	Parameter	Description of Output
TH (N)	T	Design thrust, Equation (9)
TH (N)	τ	Calculated thrust, Equation (9)
A		Area of section
XBAR		Longitudinal position about x axis parallel to nose-tail line from centroid
YBAR		Vertical distance about y axis perpendicular to nose-tail line from centroid
IXO		Moment of inertia about x axis parrallel to nose-tail line
IYO		Moment of inertia about y axis perpendicular to nose-tail line
мтв	M <sub>Tb</sub>	Bending moment due to thrust, Equation (18)
мов	М <sub>Qb</sub>	Bending moment due to torque, Equation (19)
мхо	M XO	Bending moment about the x axis, Equation (20)
МХО	Муо	Bending moment about the y axis, Equation (21)
MAX STRESS	673 690 this spin step	Maximum stress, Reference 10
RAKE ANGLE	$\theta_{\mathbf{R}}$	Rake angle in degrees
PIXTANBI	$mxtan eta_{I}$	Hydrodynamic pitch angle
PIXTANB	πxtanβ	Advance angle
Weight of Blades	(W <sub>B</sub> )	Equation (36), W <sub>H</sub> =0

Computer Parameter	Parameter	Description of Output
WEIGHT OF PROP (BLADES + CYLINDRICAL HUB)	(W <sub>P</sub> )	Equation (36)
CENTER OF GRAVITY OF PROP	CG	Equation (37)
CENTER OF GRAVITY OF BLADES	<b></b>	Equation (37), M <sub>H</sub> =0
KELLERS MINIMUM EAR	(A <sub>E</sub> /A <sub>O</sub> ) <sub>K</sub>	Equation (31)
SPEED COEPF (JV)	$J_{\mathbf{V}}$	Equation (15)
ADVANCE COEFF (JA)	J	Equation (14)
THRUST COEFF (KT)	$\kappa_{_{\mathbf{T}}}$	Equation (16)
TORQUE COEFF (KQ)	K <sub>Q</sub>	Equation (17)
PROPULSIVE EFFICIENCY ETAD	η <sub>D</sub>	Equation (13)
BURRILL THRUST COEFF (TC)	<sup>τ</sup> c	Equation (29)
BURRILL CAVITATION COEFF	σ <sub>0.7</sub>	Equation (30)
CLEARANCE AT HUB BETWEEN BLADES	G <sub>Z</sub>	Equation (34)

Computer Parameter	Parameter	Description of Output
CLEARANCE AT HUB BETWEEN FILLETS	G <sub>F</sub>	Equation (35)
CTS	(C <sub>TS</sub> ) CR	Thrust loading coefficient for set of contra- rotating propellers (Equation 16)
CPS	(C:3) CR	Power loading coefficient for set of contra- rotating propellers (Equation 12)
ZTAD	(n <sub>D</sub> ) cr	Propulsive efficiency for set of contra- rotating propellers (Equation 13)

## APPENDIX B

## FORTRAN LISTING OF COMPUTER PROGRAM

67

```
PROGRAM GMAIN (INPUT, OUTPUT, TAPES=INPUT, TAPES=OUTPUT)
COMMON/GWEIGHT/X, CHURD, THICKNS, CAMBER, PITCH, SKEWR, DIAM, ZZ, DEN, KAKE
1,51
1,PI,PP7,PP8,PP9,PP11,EWAKE,VS,FPS,SIGMA,EAR,BT
DIMENSION 8(36,38),81(181),82(181),83(181),04(362),85(362),86(362)
1,37(161),98(181),89(181),810(181),811(181),812(181), 913(181),814(
2161), 315(131), AZ(38, 38), BH(38, 38), C(38, 38), CC(38, 38), INCEX(38, 3)
3,4(38,72),88(38,72)
 COMMUN 8,81,32,83,84,85,86,87,88,89,310,311,812,913,814,815,AZ,BH,
1C,CC, INDFX,A,BB
 COMMON ID, JB, JC, JB, JDD, JEE
COMMON CL1(11)
 DIMENSICH CHORC(38), THICKNS(38), CAMBER(38), PITCH(38), SKEWR(38)
1, X(30), BFTAI(34), 9T(11)
  DIMENGION X3(38), X4(38), X5(38), X6(33), VEL(3), EHP(9), 3LA(9), EXX(9)
DIMENSICH AZZ(38, 38)
CIMENSION ASHP(9)
 DIMENSION XMM(9)
 DIMENSICH CAV(y), CAF(9)
 DIMENSION FX(11),391(11)
 OIMPNSICH VEL1(9), FHP1(9)
 DIMENSION E (11,14,2)
DIMENSION CONST(11),6(11),H(11)
  DIMENSION SVL (9), SPE (9)
DIMENSION UA(11), UT(11), VV(11), UR(11), UA1(11,2), UT1(11,2), UR1(11,2
DIMENSION ABL (11,9)
 DIMENSION DEX(11,3,2), COM(12,2)
CIMENSION FHOSHP(3), AFTSHP(3)
 DIMENSICH BZ(111)
DIMENSION AX(11), PAK(11)
DIMFNSION VSU8-SO(11), VSU6-(11), PLFT(11), AV(11), 3V(11)
COMMON CCONE(11), CCTWO(11), SCTHP(11), CCFOR(11)
DIMFNSION AREA(7), Y3AR(7), YBAR(7), AYEXO(7), AYEYO(7), EMXC(7), EMYO(7
1), FMT B (7), EMOB (7), STPMAX (7)
DIMENSION PXT3I(11), PXTP(11)
DIMENSION SX(7)
COMMON PP1, PP2, PP3, PP4, PP5, PF6, PP10
DIMENSION GALL(11)
DIMENSION HUBDIM (6,2)
DIMENSION CPT(2), CFS(2), CTS(2)
  COMMON /HRT/ JPR
  PEAD (5,406) DFX (1,2,1)
 FORMAT (F8.4)
  155=1
  IPO=1
  IOCR = n
XD0=4.0
IDC=XDD
PI=3.14159265758979
  DSI=16.01846
  PHR= . 7456999
  VSI=.5144444
  FLF=.3048
 ELI=.0254
  EL2=FLI*ELI
  EL4=EL2*FL2
```

```
SIM=.1129848
      SHX=6895.757
      SHT=4.44822
      RHOSI = 515.3788
      IPR=[
     JG≂C
     00 613 K=1.2
     XRPH=1.0
     XZZ=1.C
     XEA=1.C
     JG=JG+1
     READ(5.830) (COM(I.X). I=1.12)
 533 FORHAT (12A6)
      READ(5.1000C) SPHR
       SHP=SPHR/PWR
      READ (5, 10309) XVV.DSN
      HUB= G.
       DEN=DSN/DSI
      IRPM=XPPM
      IVV=XVV
       READ(5,10009) (SVL(I),I=1,IVV)
       PEAD(5,10009) (SPE(I),I=1,IVV)
       READ (5, 10009) SOM, EWAKE, ETHRUS, SHD, SRO, XPS, RAKE
       00 409 T=1.IVV
       VEL(I)=SVL(I)/VSI
 409 EHP(I) =SPE(I)/PWR
       DIA=SDM/ELF
       HEAD=SHD/ELF
       RHO=SPO/RHOSI
      IF (SHP) 103,102,103
  103 SHP=SHF/2.0
      NX VV= X VV
  102 CONTINUE
      PEAD(5,10009) TANBI,CO,TANB
      B(2.1)=CD
      JC=11
      IZZ=XZ7
      IEA=XEA
      READ (5,10009) (BLA(I), I=1, IZZ)
      BLAS=BLA(1)
      PEAD (5,10009) (EXX (I), I=1, IEA)
      EXXS=EXX(1)
      PEAD(5,10009) (XMM(I), I=1, IRPM)
      PEAD(5,10009) (X3(I),I=1,JC)
      PEAD(5,10009) (X4(I),I=1,JC)
      PEAD(5,10039) (X5(I),I=1,JC)
      READ (5.10009) (XF(I),I=1.JC)
      PEAD(5,10CG9) (AZZ(I,25), I=1,JC)
      IF (YPS) 6.7.7
    5 READ(5,10009) (A77(I,24),I=1,JC)
      DO 26 I≃1.JC
      AZZ(I,38) = AZZ(I,24)
   26 CONTINUE
7
      CONTINUE
       IF(ABS(CD).GE.10.) READ(5,10009) (B(I,7),IE1,JC)
       IF(CD.GE.10.) GO TO 10010
       TM=P(2.1)
```

大学 人口の子の一個などのないのでは、

```
CF0=.008
       IF(CO.GT.O.) CFO=1.
       IF(CD.GT.-10. .AND.CD.LT.O.) CFO=-CD
       DO 10007 I=1.JC
       IF(CO.LE.O.) TH=1.+1.25*AZZ(I,25)+125.*AZZ(I,25)**4
       IF(CO.LE.-10.) CFP=8(1.7)
10007
       B(I.7)=CFG*T4
10004 FOPMAT (72H
10000 FOPMAT(F8.4)
10009 FORMAT (9F8.4)
      IF(TANB.LE.O.) PEAD(5,10039) (R(I,8),I=1,JC)
      IF(IOCP.NE.0) GO TO 57
      IF (K. NE. 1) GO TO 57
      PEAD(5,10009) (GA11(I),I=1,11)
   57 CONTINUE
       IF(HUB.NE.G.) PFAD(5,10009) (HUPDIH(I,K), I=1,6)
      O(10,1,K)=XVV
      P(11,1,K)=XRPH
      DO 802 I=1, IVV
      n(I,1,K) = V \in L(I)
  402 D(I,2,K)=EHP(I)
       D(11,2,K)=EHAKE
       D(1,3,K)=ETHRUS
       D(6,3,K)=XPS
       D(7,3,K) = SHP
       D(9,3,K)=CD
       D(10,3,K)=TANB
      D(10,2,K)=DIA
      0(2.3.K) = HE AC
      0(3,3,K) = RH0
      D(4,3,K) = XZ7
      D(5,3,K)=XEA
      D(8,3,K) = TANRI
      D(11,3,K)=DEN
      n(11,4,K)=HUB
      DO 803 I=1.IZZ
  503 D(I,4,K)=BLA(I)
      NO 8C4 I=1, IFA
  904 D(I,5,K)=EXX(I)
      DO 805 I=1.IPPM
  805 \text{ O(I+6,K)} = XMM(I)
      00 808 T=1,JC
      B(I,7,K) = X3(I)
      D(I_08,K) = X4(I)
      \Pi(I,9,K) = X5(I)
      D(I.10.K)=X6(I)
  808 D(I,11,K)=AZZ(I,25)
      IF (XPS) 806,807,807
  806 DO 125 I=1,JC
  125 D(I,12,K)=AZ7(I,24)
  807 CONTINUE
      DO 869 I=1,JC
  809 N(I.13.K)=8(I.7)
  810 IF (TANP) 812,812,811
  811 DO 126 I=1,JC
  126 D(I,14,K)=B(I,8)
```

```
812 CONTINUE
     DEX(1,1,K)=4.0
     DEX(2,1,K)=11.0
     DEX(3,1,K)=1.0
     DEX(1,2,2)=-DEX(1,2,1)
     JT=11
 813 CONTINUE
     IC=-2
     JN=0
     JQ=0
     IK=1
     NF=0
     NTT=0
     IF (SHP) 90,91,90
  91 NXVV=1
  90 00 10073 NK=1, NXVV
 105 CONTINUE
      NT=9
      NTT=NTT+1
      IF(NK.GT.1) IDD=2
      DO 10972 NIT=1,IDO
      NT=NT+1
      XVV=0 (18,1,IK)
      IV9=XVV
      XRP4=0(11,1,1K)
      IF(SHP) 152,152,153
 153 IF(NTT.EQ.NXVV+1) GO TO 151
 152 CONTINUE
      DO 320 I=1,IVV
      VEL(I)=0(I,1,1K)
  520 EHP(I)=0(I,2,IK)
  151 CONTINUE
      DO 1 I=1.IVV
      CAV(I)=WFL(I)
      CAE(I)=EHP(I)
1
      DIA=0(10,2,IK)
      EWAKE = D (11,2, IK)
      ETHRUS=0 (1,3, IK)
      HEAD=D(2,3,1K)
      RHO=0 (3,3,1K)
      XZZ=D(4,3,1K)
      XEA=D(5,3,IK)
      XPS=D(6,3,1K)
      SHP=D (7,3,1K)
      TANBI=0(8,3,1K)
      CD=0(9,3,IK)
      TANB=0(10,3,1K)
      DEN=0 (11, 3, IK)
      HUR=D (11,4,IK)
      DO 821 I=1,IZZ
      BLA(I)=O(I,4,IK)
  821 BLAS=BLA(1)
      DO 822 I=1, IEA
      EXX(I) = B(I,5,IK)
  822 EXXS=EXX(1)
      no 823 I=1, IRPF
```

823 XMM(I)=D(I,6, IK)

をはるときなりでは、

```
00 824 I=1,JC
      XS(I) = D(I, 7, IK)
      X4(I) = D(I,8,IK)
      XS(I) = O(1, 9, IK)
      X6(I) = D(I, 10, IK)
  824 AZZ(1,25)=P(1,11,1K)
      IF(XPS) 525,826,826
  525 NO 127 I=1,JL
  127 AZZ(1,24)=0(1,12,1K)
  826 CONTINUE
  427 DO 128 I=1,JC
  129 3(I,7)=9(I,13, IK)
  925 IF(TANB) 831,031,029
  829 DO 129 I=1,JC
  129 B(I,8)=0(1,14, TK)
  331 CONTINUE
      ባባ 15 I=1,JC
   15 \text{ AZZ}(1,23) = \times 3(1)
      JC1=JC-1
      70 16 I=2,JC1
   16 AZZ(I,19) = x3(I+1)
      AZZ(1,19) = x3(1)
      77 4 I=1,11
      AZ^{7}(1,36) = AZZ(I,75)
      AZZ(I,37) = AZZ(I,23)
      00 10072 IF≈1,IZZ
      3(9,2) = 9LA(IE)
      XSX=XPS#(360.0/P(y,2))
      AS1=XSX/(1.0-X3(1))
      AS?=XSX-051
      DO 10972 KE=1, IEA
      00 10072 ImP=1,IFPM
      PP4=XP4 (IQP)
      EAR=FXX(KF)
      DO 100 I=1,JC
      A(I,3) = X^{2}(I)
      B(I,4)=X4(I)
      B(I,5)=X5(I)
      IF(YFS) 14,17,13
13
      CONTINUE
      AZZ(I,24) = AS1 + X3(I) + AS2
      AZZ(1,24)=0.0
      50 TO 166
   14 \text{ AZZ}(I,24) = \text{AZZ}(I,38)
  166 CONTINUE
      AZZ(I,36) = AZZ(I,24)
  177 CONTINUE
      DO 10051 LF=1,JC
10051 B(LE, 6) = (BLAS*EAP*X6(LE))/(B(9,2)*EXYS)
      DO 10052 LE=1,JC
10052 AZZ(LE, 25) = AZZ(LE, 36) *B(LE, 6)
      00 30 1=1,9
      VEL(I) = CAV(I)
30
      FHP(I) = CAE(I)
      B(5,2) = XMH(IRP)/60.0
      IVV=XVV
      IVA=1
```

```
10046 IF(SHP) 51,52,51
   52 DO 53 IG:1,IVV
      VEL1(IG)=VFL(IG)
   53 EMP1(IG)=EMP(IG)
      IV=1
      GO TO 54
   51 CONTINUE
      IV=1
      IF(NTT.EQ.NXVV+1) GO TO 155
      VEL1(1)=VEL(NK)
      EHP1(1)=EHP(NK)
      GO TO 54
  155 VEL1(1)=VEL(1)
      EHP1(1)=EHP(1)
   54 CONTINUE
   21 00 5 I=1,11
      AZZ(I,25)=AZZ(I,36)
5
      AZZ(I,23) = AZZ(I,37)
      8(6,2)=(325.86*EHP1(IV))/(VEL1(IV)*ETHRUS)
      B(7, 2)=1.688*VEL1(IV)
      AJJ=1.0
      NN=1
10001 BJ=1.0
      J8=9J
10002 FORMAT ( 313)
10003 CONTINUE
      DDJ=1.9
      JEE=TANBI
      L00=001
      B6(361)=1.0
      JD=.666667*FLOAT(JC)
      3(1,1)=0.0
      B(2,1)=CD
      8 (3, 1) = TANB
      3(4,1)=0.6
      B(6,1)=8.0
      B(7.1)=8.0
      B(9,1) = 0.0
      B(9.1)=0.0
      3(1,2)=1.0
      8(2,2)=1.0
      B(3,2)=RHO
      8 (5,1) = EWAKE
      9(3,2)=DIA
      B(4,2)=HEAD
      RSL=B(7,2)/(3.14159265+B(5,2)+B(3,2))
10012 IF(8(1,5)) 10017,10017,10019
10017 CONTINUE
      IF(8(5,1)) 800,800,801
800
      B(5,1)=B(JD,4)
801
      CONTINUE
      00 10018I=1,JC
10018 B(I,5)=(RSL#SQRT(B(5,1))#SQRT(B(I,4)))/(B(I,3)#B(4,1))
10019 NN=NN+1
      0.5/AIG+(1) EX=JEUH
      ADJS=(X3(11)*DIA/2.0) -HUBL.
      DO 35 I=1,11
```

```
35 RAK(I)=((X3(I)+DIA/2.0)+HUBL)+RAKE/ADJS
      IPR=IPR+1
       IF(JPP.NE.Z) GO TO
                               10087
       SOM=DIA*ELF
      WRITE (6,130)
  130 FORMAT (1H1)
      IF(IK-1) 115,115,116
  115 HRITE (6,117)
  117 FOPMAT (47x, *FOPMARE PROP OF CONTRAPOTATING SET*)
      GO TO 118
  116 WRITE (6,119)
  119 FORMAT (45x. *AFT PROP OF CONTRAKOTATING SET*)
  11 ! CONTINUE
      WRITE (6.830) (COM(I,IK),I=1,12)
       ISHP=2. +SFWR
       IF(SHF.LQ.0.) HFITE(6,410)
       IF(SHF.NE.3.) W-ITE(6,10020) TSHP
       FCRMAT(2x, *!HRUST OPTION*)
  417
       FCRMAT (7x, *PS(Kh) = *, 1x, 1FF12.4)
19920
       WRITE (6,10026) XVV,DSN
10026 FC9MAT(2x, *NO OF V=*, F5.1, 4x,
                                                           *DENSITY OF PROP
     1(KG/M3) = +, F13.2, 4X)
       WRITE(6,10027) (SVL(I), I=1, IV9)
       FORMAT (2X, *V(M/SEC) = *, 1F9E12.4)
       WRITE(6,10945) (SPE(I), I=1, IV9)
       FORMAT (2x, *PE (KW) = *, 2x, 1P9F12.4)
       WFITF (6,10026) SUM, ENAKE, ETHRUS, SHD, SRO, XPS, RAKE
       FORMAT(2X, *0(M)=*F3.4,4X,*1-WTT=*,F3.4,4X,*1+THD=*F8.4,4X,*H(M)=*
     2 ,F9.4,4x,+RHO(KU/M3) = F10.4/2X, TETS OPT= +,F6.3,3X,+RAKE OPT= +,
     3 FK.3)
      WRITE (6,10029) TANEI, CO, TANS
10029 FORMAT(2X,*TANBI OFT= *,F4.2,4X,*DRAG OPT= *,F7.4,4X,*TANB OPT= *,
     1F4.2)
      WRITE (6, 10030) (BLA(I), I=1, 122)
       FORMAT (2X,*Z=*,10X,1P9E12.4)
      WRITE (6, 10031) (EXX(1), I=1, IEA)
10031 FCRMAT(2X, *AE/A0=*6X, 1P9E12.4)
      WRITE (6,10032) (XMM(I),I=1,IRPM)
19932 FCRMAT(2X, +N(FEV/MIN) = +, 1P9E12.4)
       WRITE(6,10042)
      WRITE (6, 10033) (X3(I), I=1, JC), (Y4(I), I=1, JC), (X5(I), I=1, JC), (X6(I),
     1I=1,JC), (AZZ(I,25),I=1,JC)
1933 FORMAT (2X, *X=
                          *,1P9E12.4/10X,1P2E12.4/2X,*1-WX=
                                                                *,1P9E12.4/
     110X,1P2E12.4/2X,*TANBI= *,1P9F12.4/10X,1P2E12.4/2X,*C/D=
     2E1?.4/10x,1P2E12.4/2x,*T/C= +,1P9E12.4/10x,1P2E12.4)
      IF(XPS) 22,23,23
   22 WRITE (6,10036) (AZZ(I,24), I=1, JC)
10036 FORMAT(2X,*TFTS=
                           +,1P9E12.4/10X,1P2F12.4)
   23 CONTINUE
      IF(CD) 24,24,25
   24 WRITE (6,10037) (B(I,7), I=1, JC)
10037 FORMAT(2x,*CD=
                          +,1P9E12.4/10X,1P2E12.4)
   25 CONTINUE
                                      N(REV/MIN) = #1PE10.4, #
10043 FORMAT(4X, +D(M) = +1PE10.4; +
                                                                Z=*,1PE10.4,
            AE/A0=+1PE10.4
10044 FORMAT(3X, *ETAD=*,
                        1PE10.4,2X,*PS(KW) =+,1PE10.4,3X,+1-THD=+,1PE10.4,
```

Copy available to DDC does not permit fully legible reproduction

AR BEEF THE REPARCE

```
3X, +1-HTT=+, 1PE10.4, 3X,
     2 *V(KNOTS) = *1PE10.4,3X,*
                                     DESIGN TH(N) = 4,1PE10.4,
     3 /,76x, *V(H/SEC) = *, 1PE10.4, $x, *CALGULATED TH(N) = *, 1PE10.4)
       WRITE (6, 10042)
       HRITE(6,20043) SDM, RPM, B(4,2), EAR
10087
       VK=8(7,2)/1.6378
       V4S=B(7,2) *ELF
      DO 10090 I=1,JC
      AZZ(I,25) = AZZ(I,25) +B(I,6)
10090 B(I,30)=6(I,5)
10024 FORMAT (1P9E12.4)
      IF(JN) 65,65,66
   65 CONTINUE
      XHH1=RPH/60.0
      IF(TANR) 10034,10034,101
10034 00 10035 I=1,JC
10035 B(I,8) = RSL/B(I,3) + B(I,4)
      CH1=8 (7,8)
  101 CONTINUE
      GO TO 67
      CONTINUE
66
      DO 68 I=1,JC
      CONST(I)=PI*XMM1*DIA*X3(I) /B(7,2)
      G(I) = UA(I) + X4(I)
      H(I) = CONST(I) - UT(I)
   68 B(I,8)=G(I)/H(I)
      CH2=B (7,8)
      00 31 I=1,11
      B(I,8) = GW1/CW2*B(I,8)
31
      IF('IK-'2) 33,32,33'
32
      DO 34 I=1,11
      B(I, 8)=0(10,2,1)*B(I,8)/C(10,2,2)
34
33
      CONTINUE
   67 CONTINUE
      IF(SHP) 85,85,86
   35 JN=JN+1
   86 CONTINUE
      ALPHA=6.2831853/72.
      00 12 I=1,36
      00 12 J=1,72
      AC=ALPHA*FLOAT((J-1)*I)
      A(I,J)=SIN(AC):
   12 BB(I, J) = COS(AG)
      AJJ=1.0
20003 IF(JEE) 2,2,3
      AJJ=1.
2
      GO TO 47
      00 209 IDC=1,2
3
      no 201 I=1,JC
      B(I,30)=B(1,30)*AJJ
201
      814(41) = . 975
      B14(42) = 1.000
      B14(43)=1.025
      00 215 TJ=41,43
      IJT=IJ+4
      IJP=IJ+8
      DO 216 I=1,JC
```

```
216
          B(I,5)=B(I,30)*B14(IJ)
          CALL SUB
          514(IJT)=85(362)
          914(IJP)=86(362)
      215 CONTINUE
          915(41)=1.0
          915(44)=1.0
          815(47)=1.0
          815(42)=914(41)
         815(45)=R14(42)
         815(48) =814(43)
         R15(43)=814(41)++2
         315(46)=814(42)++2
         815(49)=814(43) **?
         IF(8(1,2)) 8,8,9
   9
         CC(1,1)=814(45)
         CC(2,1)=P14(46)
         CC(3,1)=914(47)
         TTT=8(F,2)/((8(8,?)*)(3,2)**2*3.1415327*8(7,2)**2)/3.)
  8
        CC(1,1)=214(49)
        CC(2,1)=314(50)
        CC(3,1)=R14(51)
        TTT=550.*8(6,2)/((E(8,2)*8(3,2)**2*3.1415927*8(7,2)**3)/8.)
  19
        00 11 J=1,3
        K= 7# (J-1)+I
  11
        C(J,I)=915(K+40)
        910(181)=3
        CALL SIMEG(3,C,Cr)
 10043 AJJ=(-CC(2,1)+S90T(CC(2,1)**?-4.*CC(3,1)*(CC(1,1)-TTT)))/(2.*CC(3,
 299
       CONTINUE
 50
       86 (361) =-1.0
       JEE=0
 48
       00 49 I=1,JC
 49
       3(I,5)=8(I,30)*AJJ
 47
       CONTINUE
       CALL SIJA
       PP11=315(161) *ETHRUS
       PP12=EHP1 (IV) /PP11
       THP=8 (6,2)
      ATHR=8(8,2)/8.0+3.14159+(8(3,2)++2)+(3(7,2)++2)+pp7
      IF(SHP) 55,56,55
   55 IVV=1
   56 IV=IV+1
      IF(IVV-IV) 10050,21,21
10050 CONTINUE
      DO 10049 IX=1, IV
      FHP(IX)=EHP1(IX)
10049 VEL (IX) = VEL1(IX)
     00 40050 I=1,JC
      AZZ(I,26)=8(I,14)
     AZZ(I,27)=8(I,5)
     GII=ATAN(AZZ(I,27))
     CII=(AZZ(I,241*B(I,3))/(57.2958*COS(3II))
```

```
AZZ(I,28) =CII-B(I,6)
      AZZ(I,29) = CII + B(I,6)
      AZZ(I,30) = B(I,6)
      AZZ(I,31)=B(I,4)
      AZZ(I, 32) = B(I, 12)
      AZZ(I,33)=B(I,13)
40050 AZZ(I,34)=AZZ(I,25)+2.0
      00 36 I=1,JC
   36 \text{ AX(I)} = \text{A2Z(I,34)}
      IF(AZZ(11,25).NE.O.) GO TO 5555
      SLP=(AZZ(9,34)-AZZ(6,34))/(AZZ(9,23)-AZZ(6,23))
      YINT = AZZ(9,34) - (AZZ(9,23) + SLP)
      AZZ(10,34) = (SLP+AZZ(10,23))+YINT
      AZZ(11,34) = (SLP+AZZ(11,23))+YINT
 5555 CONTINUE
      00 40052 K=26,34
      DO 40051 J=1,11
      B11(J) = B(J,3)
40051 B3(J) = AZZ(J,K)
      DO 40052 I=1,11
      S1=AZZ(1,23)
       CALL DISCOT(S1,S1,B11,B3,B3,-120,JC,0,S2)
40052 AZZ(I,K)=S2
40056 FORMAT (1PE10.3,1P10E11.3)
      DO 5050 I=1,JC
      AZZ(I,2)=B(I,2)
       B(I,20) = B(I,15)
       B(T,21) = B(T,5)
       RII=ATAN(B(I,21))
      B(I,22) = B(I,38)
       8(I,23)=B(I,6)
       B(I,24) = AZZ(I,24)
       B(I, 25) = AZZ(I, 25)
      B(I,24) = (B(I,24) + B(I,3)) / (57.2955 + COS(BII))
5059
       BT(11) = B(11,5)
       00 5001 I=1,10
      B1(I) = AZZ(I,19)
5001
       DO 50038 K≈20,24
       D9 50020 J=1,11
       811{J}=B{J,3}
50020 R3(J) = B(J,K)
       00 50030 I=1,10
       S1=91(I)
       CALLDISCOT (S1, S1, B11, B3, B3, -120, JC, 0, S2)
50030 B(T,K)=S2
       DO 50040 K=20,24
       DO 50040 I=1,10
50040 AZZ(I,K)=B(I,K)
       CALL STRFSS(AZZ, AREA, XBAR, YBAR, AYEXO, AYEYO, EMXO, EMYO, EMTB, EMQB, STR
     1 MAX)
          THE FOLLOWING STATEMENTS HAVE BEEN ADDED IN ORDER TO SEND THE R
         - VALUES TO SUBROUTINE HEIGHT. CHORD, THICKNESS, AND CAMBER ARE I
          PITCH AND SKEHR ARE IN RADIANS.
```

DO 999 I=1,JC VS=VK+1.6878 X(T)=B(I,3)

```
IF (X(I).NE.0.7) GO TO 6001
      SIGMA=P(I,19)
      GO TO EDDC
6001 IF (X(I).LE.Q.65) GO TO 6000
      IF (X(I).GE.Q.75) GO TO 6Q0Q
      SIGMA=8(I.19)
6000 CONTINUE
      CHORD(I)=B(I,6)+DIAM
      THICKNS(I) = A7 Z (I, 34) +DIAH/2.
      PITCH(I) = ATAN(B(I,5))
      BBJ(I) = ATAN (B(I.8))
      IF (CL1(I)) 28,27,28
   27 FX(I) ≈ C. 0
      GO TC 29
   29 CONTINUE
      FX(I)=1.0/(1.0+(6.2832*TAN(PITCH(I)-98J(I))/CL!(I)))
   29 CONTINUE
      RETAI(I) = PITCH(I) *57.2958
      SKEHR(1) = A77(1,38)/57.2958
      \Delta ZZ(I,34) = \Delta X(I)
      AV(I)=(B(I,4)+B(I,12))++2
      PV(I) = (R(I,4)/3(I,8)-P(I,13))**2
      VSUBPSQ(I)=VS++2+(AV(I)+BV(I))
      VSUBR(I) = SQRT(VSUBRSQ(I))
       PLFT(I)
                    = .5 TRHO TV SUBPSQ (I) TCL1 (I) T P (I.F) TO IAT14.5939
  999 CAMBER(I)=.0679*R(I.18)*DIAM
      RPS=RPM/60.
      00 996 I=1.JC
      PXTBI(I) = PI + 9(I - 3) + 8(I - 5)
      PXTB(I) = PI + B(I, 3) + P(I, 8)
  996 CONTINUE
      EA1=(EAR+3.14159+DIA++2)/4.0
      AL=3.14159*0.7*8(7,5)
      AP=EA1*(1.067-0.229*AL)
      VA=VS*8(7.4)
      VR=SORT(VA**2+(0.7*3.14159*RPS*DIA)**2)
      TC=2.3*8(6,2)/(RHO*AP*VR**2)
      SIGMA7=(64.4*HEAD)/VR**2
       IF(JPR.NE.2) GO TO
10C42 FORMAT (1H )
       WRITE (6,77) PP1, PP3, PP2, PP5
       FORMAT(4X,*CPTI=*,1PE10.4,4X,*CPSI=*,1PE10.4,4X,*CTSI=*,1PE10.4,
       4%, *CTSI/CPSI=*,1PE10.4)
      WRITE (6, 10042)
      WRITE (6,78)
      FORMAT(6x, + X+, 8x, +TANBI+, 7x, +TAN 8+, 9x, +G+, 9x, +UT/2V+, 7x,
       *UA/2V*.7X.*DCTSI*.7X.*DCPSI*.6X.*VR(M/SEC)*.5X.*CAVV*)
      00 79 I=1.11
       VRSI=VSUBR(I) #ELF
   79 WRITE(6,6010) B(1,3),B(1,5),B(1,8),B(1,14),B(1,13),B(1,12),B(1,15)
     1 ,B(I,17),VRSI,B(I,19)
6010 FORMAT (1P10E12.4)
      WRITF (6, 10042)
       WRITE(6,6011) PP6,PP8,PP7,PP10
       FORMAT(5X*CPT=*1PE:10.4,5X*CPS=*1PE:10.4.5X*CTS=*1PE:10.4.6X.
 6011
        *CTS/CPS=*1PE10.4)
```

```
WRITE (6, 10042)
      WRITE (6,76)
      FORMAT (5x, * X+, 6x, +CL+, 6x, +ALI (DEG) +5x, +FM/C+, 7x, +CD/CL+, 7x,
       *F(x)*,5x,*LI(N/M)*,3x,*TETS(DEG)*,2x,*(C/RD)LE*,
        3X, + (C/RD) TE+, 5X, +T/RD+ )
      DO 6002 I=1,11
6002 WRITE (6, 20046) B(I, 3), CCONE(I), CCTWO(I), CCTHR(I), CCFOR(I), FX(I), PLF
     1T(I), AZZ(I, 38), AZZ(I, 28), AZZ(I, 29), AZZ(I, 34)
20046 FORMAT (1PE10.3,1P10E11.3)
      WRITE (6, 10042)
       SHR=THR+SHT
       STHR = ATHR + SHT
       WRITE(6,10044) PP11,PP12,ETHRUS,EWAKE,VK,SHR,VMS,STHR
      WRITE (6,6003)
6003 FORMAT (1H1,4X, ***,7X, #AREA(H2)*,4X, **XBAR(H)*,2X, **YBAR(H)*,5X,
     ,3x, *HOB(N-H) *, 3x, *HAXSTRESS(PA) *)
      CONTINUE
  400
      00 122 I=1,7
      IF(I-1) 120,121,120
  121 SX(I) = B(I,3)
      GO TO 122
  120 SX(I) = B(I+1,3)
  122 CONTINUE
       IF(JPR.NE.2) GO TO
                              10091
      DO 124 I=1.7
       APR=EL2*AREA(I)
       XPR=E(I*XBAR(I)
       YPR=ELI*YBAR(I)
       XOI=EL4*AYEXO(I)
       YDI=EL&*AYEYO(I)
       XOM=SIM*EHXO(I)
       YOM=SIM*EMYO(I)
       TBM=SIP*EMTB(I)
       QBM=SIM+EMOB(I)
       STRM=SMX*STRMAX(I)
     WRITE(6,20046) SX(I), APR, XPR, YPR, XOI, YOI, XOM, YOM, TBM, QBM, STRM
      WRITE (6, 10042)
      WRITE (6,10042)
      WRITE (6,6004)
5004 FORMAT(5X*X*8X*RAKE*5X*PI XTANBI*3X*PI XTANB*)
      DO 6005 I=1,11
6005 HRITE(6,6006) B(I,3), RAK(I), PXTBI(I), PXTB(I)
6006 FORMAT(1PE10.3,1P3E11.3)
10091 CONTINUE
      CTS(IK)=PP7
      CPS(IK) =PPE
      CPT(IK)=PP6
      CALL HEIGHT (JC, SIGMA7, IPO, IPR, HUBDIM, IK, HUB)
      HUBSPAC=2.0*PI*X(1)*DIA*6.0*SIN(PITCH(1))/D(1,4,IK)
      BLASPAC=HUBSPAC-AX(1) *DIA+6.0
      FILSPAC=HUBSPAC-AX(1)+DIA+6.0+1.9
       IF(JPR.NE.2) GO TO
                              6902
      WRITE (6,998) TC, SIGNA?
       SBL=BLASPAC/DIA/12.
       SFI=FILSPAC/DIA/12.
       WRITE(6,994) SBL,SFI
```

. ;

```
TU=*,E10.4//20x,*3URR;
 998 FORMAT(/20x, *BURRILL THRUST COFFF
    1TATION COEFF SIGMA (0.7) = 4, 210.4)
 994 FORMAT (/20x, *CLEARANCE AT HUB BETHFEN BLADES/U=*, F13.8//,
      20x, *CLEARANCE AT HUB BETWEEN FILLETS/3=*, F13.5)
6902 CONTINUE
      IF(JPR.EQ.1) JPP=2
     00 64 I=1,11
     AZ7(I,23)=AZZ(I,37)
     ABC(I,1)=8(I,3)
     ABC(I,2)=B(I,14)
     A3C(I,3)=AZZ(I,27)
     A3C(I,4)=AZZ(I,28)
     A3C(I, 5) = AZZ(I, 29)
     A30(I,6)=A7Z(I,31)
     ABC(I,7)=B(I,12)
  64 ABC(I,8) = AZZ(I,34)
     A30(2,9)=3(9,2)
     IF(IOCK.NE.3) GO TO 62
     IF(IK.NE.1) GO TO 62
     IF(NK.EQ.1) GO TO 63
     GJ TO 62
  67 IF(NIT.EQ.1) GU TO FI
     GO TO 62
  61 32(1)=1.0
     32(2) = PIA
     32(3)=4FAD
     32(4) = YPY(1)/63.3
      3Z(5) = 0.931
     37(6) = "HR+2.9
      BZ(7) = VEL(1) + 1.6878
      BZ(8) = = HO
      BZ(9) = EWAKF
      37(10)=9LA(1)
      BZ(11) = BZ(10)
      PZ(15) = CO
      3Z(16) = C. C
      3Z(17) = 0.0
      92(18) = 0.0
      no 300 I=1,12
  399 BZ(I+99)=COM(I,1)
      I41=6
      D') 301 IN=18,90,18
      IN1=IN1+1
      IF(IN.FQ.90) IN1=13
      00 301 I=1,9
      IF(I-1) 302,303,302
  393 J=I
      GO TO 306
  302 IF(I-9) 305,304,305
  394 J=I+2
      GO TO 306
  395 J=I+1
  3)6 3Z(IN+I)=D(3,IN1,1)
  301 CONTINUE
      DO 307 IN=27,81,18
      IN9=IN+9
      00 307 I=1,9
```

```
BZ(IN+I)=BZ(IN9+I)
307 CONTINUE
    BZ(10)=0(1,4,1)
    87(11)=0(1,4,2)
    DO 308 I=1,9
    IN=I+72 .
    IF(I-1) 309,310,309
319 J=I
    GO TO 311
309 IF(I-9) 312,313,312
313 J=I+2
    60 TO 311
312 J=I+1
311 BZ(IN) =0(J,10,2)
308 CONTINUE
     OC 5000 J=1,9
     IF(J.GT.1) GO TO 5010
     BZ(J+45)=GA11(J)
     GO TO 5800
5010 IF(J.EG.9) GO TO 5002
     BZ(J+45) =GA11 (J+1)
     GO TO 5000
5002 BZ(J+45)=GA11(J+2)
5000 CONTINUE
     CALL OLD (BZ, IPO)
  62 CONTINUE
     0(10,2,2)=82(16)
     FAR=0 (10,2,2)/0(10,2,1)
     AFR=D(10,2,1)/D(10,2,2)
     00 320 I=1,JT
      DEX(I,3,1)=FAR*D(I,7,2)
      DEX(1,3,2) = AFR+D(1,7,1)
 320 CONTINUE
      IC=IC+1
      IF(IC) 17,17,20
  17 CONTINUE
      CALL FIELD (ABC, UA, UT, UR, IK, DEX, COM, IPO)
      IF(IC) 18,18,20
   18 DO 19 I=1,11
      UA1(I,IK)=UA(I)
      UT1(I,IK)=UT(I)
   19 UR1(I, IK) = UR(I)
      no 326 I=1,11
      IF(DEX(I,3,1)-0(1,7,1)) 325,325,20
  325 UA1(I,1)=0.0
      UT1(I,1)=0.0
      UR1(I,1)=0.8
  326 CONTINUE
   20 CONTINUE
      UA1(I,1)=0.0
      UT1(I,1)=0.0
      UR1(I,1)=0.0
        IF(JPR.NE.3) GO TO
       IF(IC) 46, 95, 46
                               106 FORMAT (1H1////50x, *INDUCED VELOCITIES*///33x, *R*, 13x; *UA/VS*, 11x, *
     1UR/VS+,11X,+UT/VS+/22X,+ON AFT+)
```

TO SERVICE OF THE SER

```
DO 107 I=1.11
      WRITE (6,100) DEX (1,3,18, UA1(1,1), UR1(1,1), UT1(1,1)
  108 FORMAT (23X, 4F16.4)
  107 CONTINUE
      WRITE (6.109)
  109 FORMAT(///22X,*ON FW)*)
      DO 119 I=1,11
      WRITE(6,108) DFX(I,3,2),UA1(1,2),UR1(I,2),UT1(I,2)
  110 CONTINUE
 5007 CONTINUE
   46 IF(JPR.FQ.0) JPR=1
      09 111 I=1.11
      UA(I) = 11A1(I, IK)
      UR(I) = UR1(I,IK)
  111 UT(I) = UT((I, IK)
      IF(SHP) 31,81,69
   51 IVA=IVA+1
      IF(IVV-IVA) 96,70,70
   79 GO TO 10246
   59 IF(NTT.ED.NXVV+1) GO TO 9F
      IF(NT. "c. IOU-1) GO TO 97
   99 NF=NF+1
      IF([K-1] 93,93,94
   97 FWOSHP(NF) = PP12
      GO TO 96
   34 NF=NF-1
      AFTSHP(NF) =PP12
      50 TO 26
   37 IF(NT.FQ.ICD) GO TO 38
   96 JN=1
      IF(JQ) 71,72,71
   7º [K=9
      GO TO 73
   71 IK=1
   73 CONTINUE
      IF(JQ) 74,75,74
   75 J9=1
      60 TO 99
   74 J2=9
   BC CONTINUE
10372 CONTINUE
      IF(SHP.E0.0.0) GC TO 10073
      IF(NTT.NF.NXVV) GO TO 10073
      00 99 J=1,NXVV
      B11(I) = (FWUSHP(I) + AFTSHP(I)) / 2.0
      VEL(I) = G(I,1,1K)
   99 B3(I) = VEL(I)
      S1=SHP
      CALL DISCOT (S1, C1, 811, R3, 83, -120, NXVV, 0, S2)
      VFL1(1)=S2
      DO 154 I=1,NXVV
      B11(I) = VEL(I)
      EHP(I) = O(I, 2, IK)
  154 B3(I) = EHP(I)
      S1=VEL1(1)
      CALL DISCOT (S1,S1,S11,83,83,-120,NXVV,0,S2)
      EHP(1)=52
                                   2 3 3
```

```
VEL(1)=VEL1(1)
      IVV=1
      IK=1
      GO TO 165
10073 CONTINUE
      OR=(D(14,2,2)/D(10,2,1))++2
      CTST=CTS(1)+DR+CTS(2)
      CPST=CPS(1)+DR+CPS(2)
      CPTT=CPT(1)+DR*CPT(2)
      ETAP=CPTT/CPST
      ETAD=D(1,3,1)*CTST/CPST
       WRITE(6,992) CTST, CPST, ETAD
  992 FORMAT (1H1, 10X, *PERFORMANCE DF SET OF CONTRAROTATING PROPELLERS*//
     1//2X, +CTS= +,F8.5//2X, +CPS= +,F8.5//2X, +ETAD= +,F8.5)
      STOP
      END
```

\*

```
SUBROUTINE SUB
      DIMENSION CHORD(38), THICKNS(36), CAMBER(38), PITCH(38), SKEWR(38)
     1,XI(36)
      COMMON/CHEIGHT/XI, CHOPU, THICKNS, CAMBEP, PITCH, SKEWR, DIAM, ZZ, DEN
     1 , RAKE, SI, PI, PPF, PPB, PP9, PP11, FWAKE, VS, RPS, SIGMA, FAR, BT
      DIMENSION B(38,38), 81(181), 82(181), 83(181), 84(362), 85(362), 35(362)
     1.37(131),88(181),8%(181),910(191),311(101),312(131), 813(131),814(
     2191),815(181),AZ(38,38),BH(38,38),C(38,38),CC(38,38),INDEX(38,3)
     3,4(39,72),88(38,72)
      COMMON 8.81.32.83.84.85.66,87.88.89.310.811.812.813.814.815.AZ.8H%
     1C,CC, IND: X,A,BA
      TOMMON IU, JR, JC, JD, JDD, JFF
      COMMON CL1(11)
      COMMON COONE(11), CCTHO(11), CLTHR(11), CCFUR(11)
      COMMON PP1, PP2, PH3, PP4, PF5, PP6, PP10
10052 PO 10025 N=1,JC
      27 20021 I=1.JC
      A4G=1./3(I,5)
      AAH=8 (N. 3)/8(I, 3) *AAC
      447=ATAN(0(I,5))
      IF (AAH-AAG) 10019, 10018, 10019
19319 32(I) =COS(AA9)
      #3(I)
              =SIN(AAO)
      GO TO 20021
10319 S=1.+AAH**2
      T=50KT(5)
      V=1.+A1G++2
      W=SORT(V)
      AF=T-H
      1)== XP (AE)
      R=(((~-1.)/AAH+(AAG/(W-1.)))+U)++3(9,2)
      AC=1.5
      47=.25
      x=(1./(2.+5(9,2)+AAG))+((V/S)++An)
      Y=((9. *AAG**2)+2.)/(V**AU)+((3.*AAH **?-2.)/(S**AC))
      Z=1./(24.*8(9,7))*Y
      IF (44H-AAG) 10021.10021.10020
13322 AF=1.+1./(R-1.)
      \Delta \Delta = Y + (1./(F-1.) - Z + \Delta LOG(\Delta F))
             =2.+3(3,2)++2+AAG+AAH+(1.-AAG/AAH)+AA
      B3(I)
             =3(9,2)+(1.-4AG/AAH)+(1.+2.+B(9,2)+AAG +AA)
      50 TO 20021
19021 AG=1.+1./(1./R-1.)
      \Delta 3 = -X + (1./(1./?-1.) + 7 + ALOG(AG))
              =3(9,2)+AAG+(1.-AAH/AAG)+(1.-2.+B(9,2)+AAG+AB)
      32(I)
              =2. *B(9,2) *+2*AAG*(1.~AAG/AAH) *AB
      93(I)
20021 CONTINUE
20024 FOPMAT (9F12.4)
      IN=0
      DO 1 I=1,181,5
      IN=IN+1
      81(IN) = .5*(1.+8(1,3)) - .5*(1.-8(1,3)) *COS((FLOAT(I-1)/57.2957))
1
      DO 2 I=1,JC
      311(I)=B(I.3)
      812(I) =82(I)
2
      B13(I)=B3(I)
      00 3 I=1.37
```

```
S1=B1(I)
      CALL DISCOT(S1,S1,B11,B13,B13,-120,JC,0,$3)
3
      B15(I) = S3
      DO 5 I=1.37
      S1=B1(T)
      CALL DISCOT(S1,S1,B11,B12,B12,-120,JC,0,S2)
5
      B14(I)=S2
      DO 4 I=1,37
      82(I)=814(I)
      B3(I) =915(I)
      DO 10022 L=1,35
      N1=37+L
      N2=37-L
      82(N1)=82(N2)
10022 B3(N1)=B3(N2)
      C2=2./72.
      NP=72
      N4=36
      XNP=NP
      S=0.0
      SL=0.0
      00 20 T=1,NP
      S=S+B2(I)
   20 SL=SL+E3(I)
      84(1) = S/XNP
      85(1) = SL/XNP
      DO 40 I=1,NH
      5=3.0
       SL=0.0
      S1=0.0
      SL1=0.0
      00 30 J=1,NP
      S=S+82(J) *BB(I,J)
      SL=SL+B3(J) +BB(I,J)
      S1=S1+82(J) *A(I,J)
   30 SL1=SL1+B3(J) *A(I,J)
       I1=5*I+1
       34(I1)=S*C2
       95 (I1)=SL*C2
       B4(I1+1)=S1*C2
   40 B5(I1+1)=SL1#C2
       3(1,9)=84(1)
       B(1,10)=85(1)
       JC41=JC-1
       DO 10023 LK=1,35
       L=LK+1
       K=5*LK
       R(L.9)=54(K+1)
10023 B(L, 10)=85(K+1)
       3(37,9)=84(181)
       B(37, 10) =85(181)
       CPHI=((1.+B(1,3))-2.*B(N,3))/(1.-B(1,3))
       IF (ABS (CPHI)-1.) 20051, 20051, 20050,
20055 CPHI=1.
20051 B(N,11) = ACOS (CPHI)
       B(1,11)=.0
       B(JC, 11)=3.1415927
```

Ì

```
CON3=3.1415927
      no 10025 I=1,JC
      SMP=SIN(FLOAT(I) +8(N, 11))
      CMP=COS(FLOAT(I)+B(N,111)
      .IF(N-1)10027,10026,10027
10027 IF(N-JC)10028,10529,100 88
10026 AZ4=. J
      974=. 9
      N?=I+1
      DO 20026 K=1.N2
      IF(K-JC) 10070, 10070, 20026
19977 AZN=AZN+CUN3*FLOAT(I)*8(K,9)
      PZN=RZN+CON3*FLOAT(I) *8(K, 10)
20026 CONTINUE
       AZL=. 3
      P7L=.0
       IF(N2-JC)10060,170=0,10030
10063 N1=N2+1
       nn 20036 m=N1,JC
       L=4-1
       AZL=AZL+FLOAT (L)+3 (M,9)+CON3
200 TE 37L=97L+FLOAT(L) *8(M, 10) *CON3
       GO TO 10030
10029 A?N=.0
       974=. )
       N2=I+1
       99 20379 K=1,42
       CKP=COS (FLOAT (K-1) #3(N,11))
       IF(K-Ju) 10071, 10071, 20029
 10071 AZN=AZN-CON3*CMP*FLOAT(I)*B(K, 9) *GKP
       37N=BZN-CON3*CMP*FLOAT(I)*6(K,10)*CKP
 PUNITAGO OS DOS
       47L = . ?
       3 ZL = . 0
       IF (42-JC) 19061, 19030, 19930
 10051 N1=N2+1
       01 20339 M=N1, JC
       L=M-1
       CKP=COS (FLCAT(L) +B(N, 11))
       AZL =AZL-CON3*CMP*FLOAT(L)*E(M,9)*CKP
 20039 BZL=BZL-CON3+CMP+FLOAT(L)+6(M, 10)+CKP
       GO TO 10030
 10029 AZN= . 7
        BZN=. 9
       CON1=3.1415927/SIN(B(N,11))
        N2=I+1
        00 20324 K=1,N?
        CKP=COS(FLOAT(K-1) *B(N,11))
        IF(K-JC)10072,10072,20028
 10072 AZN=AZN+CON1#SMP#B(K,9)*LKF
        BZN=BZN+CON1*SMP*B(K,10)*CKP
 20029 CONTINUE
        AZL=.0
        9ZL=. 0
        IF (N2-JC) 10062, 10030, 10030
 10062 N1=N2+1
        no 20038 H=N1,JC
```

```
L=M-1
      SKP=SIN(FLOAT(L) +B(N, 11))
      AZL=AZL&CON1*CMP*B(M,9)*SKF
20038 BZL=BZL+CON1+CMP+3(M,10)+SKP
10039 AZ(I, N) = AZN+AZL
      BH(1.N)=BZN+BZL
10025 CONTINUE
      IF(9(1,1))20043,20043,10034
20043 CONTINUE
      DO 10031 I=1.JC
      CC(I,1) = (1.-B(1,3)) + (B(I,5)/B(I,8)-1.) + B(I,4)
      DO 10031 J=1,JC
10031 C(1,J)=FLOAT(J)*(AZ(J,I)+B(I,5)*BH(J,I))
      910(181)=JC
      CALL SIMEQ(JC,C,CC)
10034 00 10035 I=1,JC
      B(T.12)=.0
      B(I,13)=.0
      B(I,14)=.0
      DO 10035J=1.JC
      IF(B(1,1))10036,10036,10037
10036 B(I,12) = B(I,12) + FLOAT(J) + CC(J, 1) + AZ(J, I) / B(I,4) + (1./(1.-B(1,3)))
      B(I,13) = B(I,13) + FLOAT(J) + CC(J,1) + BH(J,I) / B(I,4) + (1./(1.-B(1,3)))
      B(I,14)=CL(J,1)*SIN(FLOAT(J)*B(I,11))/B(I,4)+B(I,14)
      GO TO 10035
10037 B(I,12)=6(I,12)+FLOAT(J)*B6(J)*AZ(J,I)/B(I,4)*(1./(1.-B(1,3)))
      B(I,13)=0(I,13)+FLOAT(J)+B6(J)+BH(J,I)/B(I,4)+(1./(1.-B(1,3)))
      B(I,14)=B(1,14)+B6(J)*SIN(FLOAT(J)*B(I,11))/B(I,4)
10035 CONTINUE
      B(JC.14)=.0
20001 00 10036 I=1,JC
      B(I,15)=(B(I,14)+9(I,4)+(B(I,4)/B(I,3)-B(I,13)+B(I,4)))*4.*9(9,
      B(I,16)=B(I,15)*B(I,4)
      B(I,17) = (B(I,4)/B(I,8)*B(I,14)*B(I,4)*(B(I,4)+B(I,12)*B(I,4)))*4.
     1*3(9,2)
      BTT=ATAN(B(I, B))
      BTI=ATAN(B(I,5))
      9(I,18)=2.+3.1415927+B(I,14) *COS(BTI)/(1./B(I,8)-B(I,13)).
      B(I, 19) = 64.31 + (B(4, 2) - B(I, 3) + B(3, 2)
                                              /2.) * (SIN(BTT)/(B(I,4)*B(7,2)
     1*COS(BTI-9TT)))**2
      IF(I-1)9,9,6
      IF(I-JC)10,9,9
      B(I,20)=.9
      3(I,21)=.0
      GO TO 11
10
      CONTINUE
      B(I,20) = (1.-B(I,7) + B(I,6) / B(I,18) + B(I,5)) + B(I,15)
      B(I,21)=(1.+B(I,7)+B(I,6)/B(I,18)/B(I,5))+B(I,17)
      CONTINUE
11
      B(I,22) = B(I,20) + B(I,4)
      B1(I) = B(I,3)
      B2(I) ≃B(I,15)
      B3(I) = B(I, 16)
      B4(I)=B(I,17)
      B5(I) = B(I, 18)
      87(I) = 9(I, 19)
```

```
Copy available to DDC does not
      R8(I) = 8(I,20)
                            point fully legible reproduction
      B9(I) = B(I,21)
      B10(I)=8(I.22)
10035 CONTINUE
      PP1=SIMPUN(R1,93,JC)
      PP2=SIMPUN(81,82,JC)
      PP = 5 I HPUN (81, 84, JC)
      PP4=PP1/PP3
      PP5=PP2/PP3
      PP6=SIMPUN(81,810,JC)
      PP7=SIMPUN(81,98,JC)
      PP8=SIMPUN(81,89,JC)
      PP9=PP6/PP8
      FP17=PF7/PP8
      no 10039 I=1,JC
      JCI=JC+1-I
      93 10948 L=1.JC
      Y1=3(L,3)-B(I,3)
      IF(YO) $60,860,871
550
      x7=9.9
      GO TO P61
      CONTINUE
371
      x_0=9(L,3)-P(I,3)
      CONTINUE
351
      3^{2}(L) = \times 0^{+}3(L,2^{\circ})
10040 03(L) = YO/8(L, 3) * P(L, 21)
      IF(JCI-2)10041,10041,10059
10041 3(I,25)=.0
      3(I,26)=.C
      B(I,27)=.)
      R(I,29)=.0
      GO TO 10039
10059 3(I,25) = SIMPUN(81,82,JC)
                                           *(3(3,2)*B(3,2)**3*3.1415927*3(7,2
     1) **?) / (16. *8(9,2))
      B(I,26) = SIMPUN(B1,B3,JC)
                                           *3(8,2)*9(3,2)**2*8(7,2)**3/(16.*8
     1(5,2)*(9,2))
       STI=ATAN(S(I,5))
       1178) NI 2=186
       C3I=CO5 (9TI)
       9(I,27)=P(I,25)+CBI+9(I,26)+SBI
       B(I,28) =3(1,25) +58I-8(I,26) +C8I
19939 CONTINUE
       00 206 I=1,JC
       B(I, 12) = P(I, 4) * B(I, 12)
       R(I,13) = o(I,4) + R(I,13)
206
       B(T,14)=B(I,4)+B(I,14)
20040 IF(JEF) 20082, 20082, 10081
20082 R6(361)=-1.0
20081 CONTINUE
       IF(36(3611) 10080,10080,10081
1888C CONTINUE
       915(181)=PP10
       DO 10049 I=1.JC
       IF(B(I,6)) 702,702,703
702
       CC1=0.0
       GO TO 704
703
       CC1=8(I,18)/8(I,6)
```

764 CONTINUE CL1(I)=CC1 CC 2=1.54\*CC1 CC3=.0679\*CC1 IF(CC1) 701,700,701 700 CC4=0.0 B(I,38) =CC4 GO TO 52 701 CC4=B(I,7)/CC1 8(I,38)=CC4 52 CCONE (I)=CC1 CCTWO(I)=CC2 CCTHR(I)=CC3 10049 CCFOR(I)=CC4 10081 CONTINUE 95 (362) =PP7 B6 (362) =PP8 20041 RETURN ENO

```
SUBROUTINE SIMED(JC,C,CC)
      DIMENSION BH(38,38),4(38,38),B15(38),C(38,38),CC(38,38)
      MP1=JC
      MPC=MP1+1
      MP1=MP1
      00 90 I=1,MP1
80
      C(I,MPC) = -CC(I,1)
      70 31 I=1, MP1
      DO $1 J=1, MPC
31
      SH(I, J) =0.0
      00 79 T=1,MP1
23
      94(I,1)=-C(1,I+1)/L(1,1)
      00 21 I=1, PP1
      J=I+1
21
      94(T, J)=1.9
      K=2
93
      IF(K-Mf1) 92,92,74
      CONTINUE
      PO 36 I=1, MPC
      ng 46 J=1, MPC
      A(T,J) = C(K,J) + 3 + (I,J)
90
      JO 85 I=1,MPD
      0.C=1'A
      00 37 J=1, MPC
      (L, I) A+NA=NA
37
59
      315(I) = AN
      MPJ=MP7-1
      )9 99 I=1, MPN
      70 59 J=1,4PC
      CC(I,J) = -B15(I+1)/P15(1 )+B+(1 ,J)+3+(I+1,J)
9
      00 90 T=1,MPD
      22 30 J=1,MPC
91
      3H(I,J)=CC(I,J)
      K=K+1
      GO TO 33
94
      CONTINUE
      77 33 J=1, MPC
      C3(J,1)=30(1,J)
99
1
      FOPMAT (1PSE12.4)
S
      FOPMAT (6F8.4)
      RETURN
      FNT
```

```
SUBROUTINE DISCOT (XA, ZA, TABX, TABY, TABZ, NC, NY, NZ, ANS)
   DIMENSION TABX(1), TABY(1), TABZ(1), NPX(37), NPY(37), YY(37)
   CALL UNS (NC, IA, IDX, IDZ, IMS)
   IF (NZ-1)
                5,5,10
 5 CALL DISSER (XA, TABX, 1, NY, IDX, NH)
   NNN=IOX+1
   CALL LAGRAN (XA, TABX(NN), TABY(NN), NNN, ANS)
   GOTO 70
10 ZAPG=ZA
   IP1X=IDX+1
   IP1Z=IOZ+1
   IF (IA)
              15,25,15
15 IF (ZARG-TA8Z(NZ))
                          25,25,20
29 ZARG=TABZ(NZ)
25 CALL DISSER (ZARG, TABZ, 1, NZ, IDZ, NPZ)
   NX=NY/NZ
   NPZL=NPZ+IDZ
   T=1
   IF (IMS)
               30,30,40
30 CALL DISSER (XA, TABX, 1, NX, IDX, NPX)
   DO 35 JJ=NPZ.NPZL
   NPY(I) = (JJ-1) + NX + NPX(1)
   NPX(I) = NPX(1)
35 I=I+1
   GOTO 50
49 DO 45 JJ=NPZ.NPZL
   IS=(JJ-1) +NX+1
   CALL DISSER (XA, TABX, IS, NX, IDX, NPX(I))
   NPY(I)=NPX(I)
45 I=I+1
50 00 55 I=1, IP1Z
   NLCC=NFX(I)
   NLOCY=NPY(I)
55 CALL LAGRAN (XA, TABX(NLOC), TABY(NLOCY), IP1X, YY(I))
   CALL LAGRAN (ZARG, TABZ(NPZ), YY, IP1Z, ANS)
70 RETURN
   ENT
```

```
SUBROUTINE UNS (IC, IA, IDX, IDZ; IMS)
   IF (IC)
              5.5.10
 5 T4S=1
   NC=-IC
   50TO 15
10 IMS=9
   NC=IC
15 IF (NC-100)
                  20,25,25
23 IA=0
   GOTO 30
?5 IA=1
   40=40-180
TO INVENCIS
   IDZ=NC-IDX*10
   RETHRN
   ENT
   SUBROUTTHE LAGRAM (KA, X, Y, M, ANS)
   DIFFNSIGN X(1),Y(1)
   5114=0.0
```

SUBROUTINE LAGRAM (XA,X,Y,N,ANS DIMENSIGN X(1),Y(1)
SUM=0.0
DO 3 I=1,N
PROD=Y(I)
DO ? J=1,N
A=X(I)-X(J)
IF (A) 1,2,1
1 3=(XA-Y(J))/A
PROD=PROL®2
? CONTINUE
3 SUM=SUM+PROD
ANS=SUM
PETURN
END

Copy available to DDC does not permit fully legible reproduction

```
SUBROUTINE DISSER (XA, TAB, I, NX, ID, MPX):
  MIMENSION TAB(1)
  NPT=IO+1
  NPB=NPT#2
   NPU=NPT-NPB
  IF (NX-NPT)
5 NPX=I
   RETURN
10 NLOH=I+NPB
  NUPP=I+NX-(NPU+1)
  BO 15 I.I = NLOW, NUPP
  NLOC=IT
                      15, 20,20
   IF (TAB(II)-XA)
15 CONTINUE
   NPX=NUPP-NP8+1
   RETURN
20 NL=NL OC-NPB
   NU=NL+ID
   DO 25 JJ=NL,NU
   NDIS=JJ
   IF (TAB(JJ)-TAB(JJ+1)) 25,30,25
25 CONTINUE
   NPY=NL
   RETURN
3C IF (TAR(NDIS)-XA)
                        40, 35, 35
35 NOX=NOIS-ID
   PETURN
40 NPX=NDIS+1
   RETURN
   END
```

(6)

```
FUNCTION SIMPUN(X,Y,N)
      FORTRAM IN FUNCTION FOR SIMPSONS RULE INTEGRATION
C
       APRITRARY NO. AND LENGTH INTERVALS K. HEALS NSROC GODE 842 10-5-67
      DIMENSION X( 2), Y( 2)
      IF(N-2) 7, 5,4
      S=(Y(1)+Y(2))+(X(2)-X(1))/2.
      GO TO 6
    4 M=N-1
    8 IF(M-2) 9.10.11
   11 M=4-2
      GO TO A
    9 S=(X(2)-X(1))/6. f(Y(1) f(3,-(X(2)-X(1))/(X(3)-X(1))) fY(2) f(3,+(X(2)
     1-x(1))/(x(3)-x(2)))-Y(3)*(((x(2)-x(1))**2)/((x(3)-x(1))*(x(3)-x(2)
     2) ) ) )
      L= T
      50 TO 12
   10 5=0.
      [=?
   12 M=N-1
      J7 1 K=L,4,2
      IF(43S(x(K-1)-x(1)).GE.ABS(x(K)-x(1))) GO TO 3
      IF (ABS (X (K+1) - X (1) ) .GT .ABS (X (K) - X (1)) ) GO TO 1
      WRITE (6,2) K, X(K)
      FUPMAT (23HONON MONOTUNE X SIMPUN
                                            14,1PE12.4)
      5=3.
      50 TO 6
    1 S=S+(X(K+1)-X(K-1))/6.*(Y(K+1)*(3.*(X(K+1)*X(K+1))/(X(K)+X(K-1)))+
     1 (Y (K) + (1. + (X (K+1) - Y (K+1)) / (X (K) - X (K-1)) + (X (K) - X (K-1)) / (X (K+1) - X (K)
     1))+(Y(K+1)+(2.-(X(K)+X(K-1))/(X(K+1)-X(K)))))
    6 SIMPUN=S
      RETUPN
```

Copy available to DDC does not permit fully legible reproduction

ENG

```
SUBROUTINE STRESS(AZZ, AREA, XBAR, YBAR, AYEXO, AYEYO, EMXO, EMYO, EMT#, EM
 109,STRMAX)
  OTHENSION CHORD(36), THICKHS(36), CAMBER(36), PITCH(36), SKEHR(36)
 1, XI(38), BT(11)
  COHHON/CHEIGHT/XI, CHORD, THICKNS, CAMBER, PITCH, SKEWR, DIAH, ZZ, DEH
 1 ,RAKE, SI, PI, PPT, PP8, PP9, PB11; EWAKE, VS, RPS, SIGHA, EAR, BT
  DIMENSION AZZ(38,33)
   DIHENSION AREA(7);XBAR(7),YBAR(7),AYEXO(7),AYEYO(7),EHXO(7),EHYO(7
  1), FHT 8(7), EHQ8(7), STRHAX(7)
                      ALL PROGRAM CONVERTING WAS DONE BY BOB MCCALLEY
                      JOHN HETZ, AT GLENN ENGINEERING SERVICES, INC.
                      ROCKVILLE, MARYLAND 20856
                                                      PHONE 427-3830
                    VERSION VAZO IS A MODIFICATION OF HY-74
                     HHICH APPROXIMATES THE EFFECT OF SKEW.
                    MODIFICATION BY D.T. VALENTINE
                    CODE 544
                                 AUGUST, 1970.
   PROPELLER STRESS CALCULATION PROGRAM VAZO
         SIMPLE BEAM APPROXIMATION INCLUDING
         BENDING, CENTRIFUGAL AND TORSIONAL FORCES.
                                PROGRAM TYPE A .
               THIS PROGRAM FEADS IN THE NEW TYPE DATA CARDS. +
THIS AREA RESERVES COMPUTER STORAGE FOR ALL ARRAYS USED IN THE PROGRA
   DIMENSION XE(20)
   DIMENSION HA(20), HA1(20), PHI(20), PHI2(20), XU1(20), T1(20), Q1(20), CP
  1HI(20), SPHI(20), X4(20), AE(20), BF(20), PE(20)
                A(13),B(13),C(13),D(13),E(13),F(13),G(13),H(13),O(13),
  XP(13),Q(13),R(13),S(13),T(13),U(13),V(13),H(13),X(13),Y(13),C(13)
   DIMENSION R1(7,16), S1(7,16)
   DIMENSION CENTST (7), CENTHO (7)
   DIHENSION FHX (7) , TX (7) , FHHX (13) , YTX (13) , SKEH (13) , XU(10)
   DIMENSION VOL(7), CENT4(7), A1(7), A2(7), X2BAR(7), CENTS2(7), B2(13),
  Y
              F5(13), P2(13), O2(13), AA(10), BB(10), CENT42(7), CENTHS(7),
              TSKEH1 (7) , TSKEH2 (7) , ASKEH1 (7) , ASKEH2 (7)
   DIMENSION V2(13), D2(13), E2(13)
               ALPHTA(7)
   DIMENSION
   DIMENSION XMT(10), XL(10), XM(10), XT(10), STH(10), STLT(10)
SET UP CONSTANTS USED IN PROGRAM CONPUTATIONS.
   Wi 1) =1.
   4( 2)=4.
   W(3) = 3.
   H('5)=4.
   H( 6) = 9.
   H(7) = 4.
   H( 9) =4.
   H(19) = 8.
   H(12) = 4.
   4(13) = 1.
                       INPUT DATA DESCRIPTIONS - - -
```

= TOTAL NUMBER OF PROPELLER RUNS TO BE MADE IN THIS BAT

```
PUNCHED IN COL. 1 AND 2 OF INPUT CARD.
           PR, ID = PROPELLER ID CODE. ANY ALPHNUMERIC CHARACTERS.
                    PUNCHED IN COL. 1 THRU 12 OF CARD.
           DA, TE = DATE OF RUN. ANY ORDER. PUNCHED IN COL. 13 THRU
           ZZ= NUMBER OF PROPFLLER BLADES. PUNCHED IN COL. 25 THRU 2
               YOU MUST PUNCH A DECIMAL POINT WITH THE VALUE.
           VS = SPEEC ADVANCE IN FEET PER SECOND. PUNCHED IN COL. 29
                     A DECIMAL POINT MUST ALSO BE PUNCHED WITH VALUE
           DEN = DENSITY OF PROP. IN LBS. PER CUBIC FEET.
                 PUNCHED IN COL. 37 THRU 41 INCLUDING DECIMAL POINT.
           DIAH = DIAMETER OF PROP. IN FEET.
                                                  PUNCHED IN COL. 42
                  INCLUDING A DECIMAL POINT.
                                                  PUNCHED IN COL. 46
           RAKE = PAKE OF THE PROP. IN DEGREES.
                  49 INCLUDING A DECIMAL POINT.
           VLL = VELOCITY OF PROP. IN REVOLUTIONS PER HIN.
                 PUNCHED IN COL. 50 THRU 56 INCLUDING DECIMAL POINT.
           D(I) = LOCAL NONVISCOUS THRUST COEFFICIENT AT XU(I).
                  PUNCHED IN COL. 1 THRU 9 INCLUDING DECIMAL PAINT.
           T(I) = TANGENT OF THE HYDRODYNAMIC PITCH ANGLE AT XU(I).
                  PUNCHED IN COL. 10 THRU 18 INCLUDING DECIMAL POINT
           E(I) = CRAG-LIFT PATIO AT XU(I). PUNCHED IN COL. 19 THRU
                  INCLUDING A DECIMAL POINT.
           P(I) = FITCH TO DIAPETER RATIO AT XU(I).
                  PUNCHED IN COL. 25 THRU 36 INCLUDING DECIMAL POINT
           C(I) = CORD LENGTH IN INCHES. PUNCHED IN COL. 37 THRU 45
                  THELUDING A DECIMAL POINT.
           SKEH(I) = SKEH VALUE IN INCHES FROM LEADING EDGE TO THE
                     REFERENCE EDGE . ALONG THE HELIX.
                                       PUNCHED IN COL. 46 THRU 52. PO
           XU(I) = VALUE OF -X- AS WE USE IT IN FROP REFERENCES.
                   PUNCHED IN COL. 55 THRU 61 , INCLUDING DECIMAL PO
           FMX(I) = MAX CAMBER AT VALUE OF U(I).
                    PUNCHED IN COL. 1 THRU 7 INCLUDING DECIMAL POINT
           TX(I) = MAX THICKNESS AT VALUE OF U(I).
                   PUNCHED IN COL. 8 THRU 16 INCLUDING DECIMAL POINT
           FHMX(I) = CAMBER / MAX CAMBER VALUE AT U(I).
                     PUNCHED IN COL. 28 THRU 34 INCLUDING DECIMAL PO
           YTX(I) = ONE HALF THICKNESS / MAX THICKNESS AT VALUE OF U
                    PUNCHED IN COL. 37 THRU 43 INCLUDING DECIMAL POI
               = VALUE OF X SUB L USED IN PROPREFERENCES.
                  PUNCHFO IN COL. 50 THRU 56 INCLUDING DECIMAL POINT
                        PROGRAM NAMES DEFINED BELOW
           CENTST
                      STRESS DUE TO CENTRIFUGAL FORCE.
                      MOMENT DUE TO RAKE , THAT IS ASKEH2 - ASKEH1. MOMENT DUE TO SKEH THAT IS TSKEH2 - TSKEH1 .
           CENTHO
           CENTHS
                      COMPONENT OF CENT4.
           CENT42
                      CENTRIFUGAL FORCE.
           CENT4
           X2BAR
                     CENTRUID IN FEET.
                      TRANSVERSE SKEH AT POINT OF INTERESTS. 0.2,0.3
           TSKFW1
                      TRANSVERSE SKEW AT CENTROID, X2BAR, IN INCHES.
           TSKEH2
           ASKEW1
                      LONGITUDIAL SKEW AT POINT OF INTERESTS. (RAKE+
                      LONGITUDIAL SKFW AT CENTROID, X2BAR, IN INCHES
           ASKEW2
                       ( RAKE + SKEW ).
                   VOLUMNE IN GUSIC FEET.
CURING THE TIME OF PROGRAM CONVERSION HE USED VARIABLE NAMES, THAT HE
```

```
TOO LONG FOR USE ON THE IBM 7690 FORTRAN SYSTEM, THEREFORE WE HAD TO SHORTEN THEN TO NO HORE THAN SIX CHARACTERS LONG. THE FOLLOWING IS
C
    CF THSES SHORTENED NAMES ......
C
Ç
                      CENTFOR
                                - CUT TO - CENT4
C
                      CENTST2 - CUT TO' - CENTS2
                      CENTFORS - CUT TO - CENT42
                      CENTMOS - CUT TO - CENTMS
LSKFW1 - TO - ASKEW1
C
                      LSKFW1
                      LSKEHZ
                                       TO - ASKEH2
                                               INPUT *******
                                 wwwwww RFAD
    ONE CARD IS READ TO SET UP HAIN LOOP AS TO THE NUMBER OF PROP STUDIES
C
   18 FORMAT (8F9.6)
       ZZ=AZZ(9,2)
       VS=AZZ(7,2)
       DIAM=AZZ(3,2)
       DIA=DIAM
       VEL=60.8*AZZ(5,2)
       ISEC=0
       AZZ(19,20)=0.0
       AZZ(10,21)=BT(11)
       AZZ(10,22)=0.0
       00 1000 I=1,10
       D(I) = AZZ(I,20)
       T(T)=AZZ(1,21)-
       F(I) = AZZ(I 922)
       P(I)=0.0
       C(1) = AZZ(1,23) +DIA+12.0
       SKEH(I)=C(I)/2.0-4ZZ(I,74)*0IA*12.0/2.0
1000
       XU(I) = AZZ(I,19)
       70 30 J=2,7
    30 \text{ AZZ(J,25)} = \text{AZZ(J+1,25)}
       00 1001 I=1,7
       FMX(I)=8.0
1001
       TX(I) = AZZ(I,25) *DIA*12.0
       FMMX.(1) = .0000
       FMMX(2) = .2712
       FMMX (3) = . 4482
       F44X(4) = .6993
       FMMX(5)=.8635
       FMMX(6) = . 9615
       FMMX(7) = 1.000
       FMMX(8)=.9786
       FMMX(9)=.8592
       FMMX(10)=.7027
       FMMX (11) = . 3586
       FMMX(12) = .1713
       FMMX(13)=.0000
       YTX(1) = .0000.
        YTX(2) = .2066.
        YTX(3)=.2907
        YTX (4)=.4000
       YYX(5) = 4637
```

```
YTX(7)=.4962
      YTX(8) = .4653
      YTX(9)=.4035
      YTX(10)=.3110
      YTX(11)=.1877
      YTX(12)=.1143
      YTX(13)=.0333
      IN=0
      U(1)=0.3
      U(2) = 0.05
      DO 1002 T=3,11
      IN=IN+1
1002
      U(I)=0.1*FLOAT(IN)
      U(12) = 0.95
      U(13) = 1.0
   25 NO 50 I=1,7
      DO 60 J=1,13
      R1(I,J) = (FMMX(J)*FMX(I)-YTX(J)*TX(I)) /C(I)
      S1(I,J) = (FMMX(J) + FMX(I) + YTX(J) + TX(I)) /C(I)
   60 CONTINUE
   50 CONTINUE
  CALCULATE THE VALUE OF F1 FROM INPUT VALUES.
   26 F1=1.9905*(DIAM/2.0)**3*V$**2*PI*6.0/ZZ
      FF1=F1
      00 215 I=1,10
   52 P(I) = T(I)*PI*XU(I)
  215 CONTINUE -
        namanamanamanamana mana COMBAL manamanamanaminininininininaman
   CALCULATIONS FOR CONSTANTS USED IN DETERMINATION OF TORQUE AND THRUST
C
   CALCULATIONS OF BENDING HOIENTS FROM THRUST AND TORQUE.
      NO 360 I5=1,2
      F1=FF1
      RAD1=DIAM+0.5+12.0
      IF(15-2)55,56,56
   55 00 21° I=1,10
      PE(1) =P(1)
      A(I) = D(I) + (1. - E(I) + T(I))
      AE(I) =A(I)
      B(I) = D(I) * (E(I) + T(I))
      BE(I) =B(I)
      PHI(I)=ATAN(T(I))
      CPHI(I)=COS(PHI(I))
      SPHI(I)=SIN(PHI(I))
      HA(I) = (SKEH(I)) + (CPHI(I) / (RAD1 + XU(I)))
      XU1(I)=XU(I)+COS(HA(I))
      HA1(I)=C(I)/2.
  210 IF(SKEW(I).EQ.HA1(I)) XU1(I)=XU(I)
      GO TO 58
   56 DO 57 I=1.10
      P(I)=PF(I)
      A(I) = AE(I)
   57 B(I)=8E(I)
   58 F1=F1/68.0
      DO 69 I=1.7
      11=I
      IF(15-2)62,63,63
```

62 XO£XU1(I)

```
GO TO 64
   63 XO=XU(I)
   64 13=8
      DO 68 IZ=I1,10
      13=13+1
      IF(15-2)65,66,66
   65 X4{[3]={XU1([2}-X0)
      XE(13)=#U(12)
      GO TO 67
   66 \times 4(13) = (\times U(12) - \times O)
      XE(13)=XU(12)
   67 T1(I3)=X4(13)+A(I2)
   68 Q1(I3)=X4(I3)+8(I2)
      T(1) = SIMPUM(XE,T1,T3)
      Q(I)=SIMPUM(XE,Q1,I3)
      T(I)=T(I)+FF1
   69 Q(I)=9(I)*FF1
   LCOP WHICH APPROXIMATES STRESS DUE TO TORSION RESULTING
     FROM SKEW
C
      XT(I) = LIFT FORCE , XMT(I) = MOMENT DUE TO LIFT
C
      00 111 I=1,7
      IF(I5-2)820,830,830
  820 MMT(I)=0.00
      XK=1.9905+(DIAM/2.0)++2.+VS++2.+PI/(2.0+ZZ)
      XA=C(I)/2.0
      XB=TX(I)/2.0
      DD 222 J=1,9
      XL\{J\} = ABS\{SKEW\{J\} + (45 + C\{J\})\}
      XL(J) = XL(J) - ABS(SKFW(I) ·. 5 °C(I))
      XT(J) = (A(J) +0.1 * XK) / (COS (PHI (J) +E(J)))
      (L) \perp X^+(L) \uparrow X = \{L\} H X
      (U)MX+(I)THX=(I)TMX
  222 CONTINUE
      STH(I)=XMT(I)+2.0/(PI+XA+XB++2.)
      STLT(1)=XHT(1)+2.0/(P1+XB+XA++2.0)
       GO TO 540
  830 STM(I)=6.00
       STLT(1) = 0.00
849
      CONTINUE
  111 CONTINUE
  550 FORMAT (1H0, 29X, 1HX, 10X, 4HTAUH) 12X, SHTAULE, 10X, 7HM SUB T)
  500 FORMAT (1H, 20X, 4F18.6)
  600 FORMAT(1H1,50x,32HSHEARING STRESSES DUE TO TORSION)
C
   LOOP WHICH CALCULATES AREA (A) OF SECTIONS:
      DO 230 T=1;7
      DO 230 J=1,13
      R(J)=R1(I,J)
      S(U) #S1(I) U)
  230 A(I) = A(I) + C(I) + P2+ (S(J)) - - R(J) - (- P)+ H(U) - -
   LCOP HHICH CALCULATES VOLT OF SECTIONS
       VOLTOT=0.0
       DO 241 I=1,6
```

```
IF(I.EQ.1) U(I+3)=XU(I)
 238 VOL(I) = A(I) + (U(I+4) - U(I+3)) + JIAH/288.0
  241 VOLTOT=VOLTOT+VOL(I)
  242 VOL(7) =A(7) +(1.0-U(10)) +DIAM/ 576.0
  243 VOLTOT=VOLTOT+VOL(7)
  LCOP WHICH CALCULATES CENTRIFUGAL FORCE AND STRESS.
      IF(I5-2)244,246,246
  244 00 245 I=1,6
  245 \text{ A1(I)} = \text{XU1(I)} + \text{((XU1(I+1)} - \text{XU1(I))} / 2.0)
      A1(7) = XU1(7) + ((XU1(10) - XU1(7))/2.0)
      GO TO 268
  246 DO 247 I=1,6
  247 A1(I) = XU(I) + ((XU(I+1) - XU(I))/2.0)
      A1(7) = XU(7) + ((XU(10) - XU(7))/2.0)
  LCOP TO TRANSFER CONSTANTS FOR DETERMINING X28AR.
  245 DO 236 I=1.7
      X29AR(I) = 0.0
  23 \in A2(I) = A1(I) * VOL(I)
  LOOP TO CALCULATE RADIAL CENTROID ( X2BAR ).
      DO 251 I=1.7
      X2BAR(I) = (A2(1)+A2(2)+A2(3)+A2(4)+A2(5)+A2(6)+A2(7)) / VOLTOT)
                 # (DIAM/2.8)
     X
      A2(I) = 0.0
  UNCORRECTED FORCE AND STRESS FOR DUTPUT OF ANSWERS WITHOUT THE EFFECT
  RAKE AND SKEW TAKEN INTO CONSIDERATION.
  264 CENT4(I) = DEN+4.0+PI++2+VEL++2+VOLTOT+X28AR(I)/(3600.0+GRAV)
      CENTST(I) = CENT4(I) / I(I)
  251 VOLTOT = VOLTOT - VOL(I)
 LCOKING AT THE EFFECTS OF RAKE AND SKEW IN THE FROPELLER.
      DO 263 I=1,10
      IF(I.EQ.1) U(I+3)=XU(I)
      AA(I) = PI+U(I+3)
  263 B3(I) = SQRT(AA(I) ##?*P(I)*#2)
      DO 267 I=1.7
      TSKEHI(I) = (C(I)/2.0 - SKEH(I)) + AA(I)/98(I)
      KK = 1
  14E IF(X2BAR(I)-U(KK+3)*DIAM/2.0) 149,149,151
  151 KK= KK+1
      IF(KK-18)146,149,149
  149 TSKEH2(I) = (C(KK)/2.0 - SKEH(KK)) + AA(KK)/BB(KK)
      ALPHIA(I) = ATAN(TSKEH2(I)/(X2BAR(I) * 12.0) )
      CENT42(I) = CENT4(I)+COS(ALPHIA(I))
      CENTHS (I) = CENT42 (ID# (TSKEH2.CI)) - TSKEH1 (ID)
      CENTS2(I) = CENT42(I) / A(I)
      ASKEH1(I)=(TSKEH1(I)+P(I)AAAII)) + (U(I+3)*DIAH*6.0*
                    TAN(RAKE*PI/180.0))
     X
      ASKEH2(I)=(TSKEH2(I)*P(I)/AA(I)) + (U(KK+3)*DIAH*6.0*
                     TAN(RAKE*PI/180.0))
  267 CENTHO(I) = CENT42(I) = ( ASKEW2(I) - ASKEW1(I) )
C LCOP TO CALCULATE RESULT AND MOMENTS FOR BOTH ANSWER: PAGES.
      DO 281 I=1,7
      D(I) = ((I(I) + CENTMO(I)) + AA(I) + (Q(I) - CENTMS(I)) + P(I)) \wedge BB(I)
      E(I) = ((T(I) + CENTNO(I)) + P(I) + (Q(I) + CENTNS(I)) + AA(I)) / BB(I)
      D2(I) = (I(I) *AA(I) +Q(I) *P(I)). / BB(I).
  281 E2(I)=(T(I)+P(I)-Q(I)+AA(I)) / 88(I)
 PROGRAM CONTINUES.
      DO 350 T=1,7
```

```
X(I) = 0.0
    Y(I)=0.0
    DO 240 J=1,13
    R(J) = R1(I,J)
    S(J) = S1(I,J)
    X(I) = X(I) + C(I) + -3 - (S(J)
                                          (L)U*(L)H*(
                                                         / 60./A(I)
                                -R(J)
240 Y(I)=Y(I)+C(I)++3+(S(J)++2-R(J)++2)+H(J)
                                                         /120./A(I)
    G(1) = 0.0
    H(I)=0.0
    no 250 J=1,13
     G(I)=G(1)+C(I)++4+(S(,))++3-R(J)++3)+H(J)/180.
259 H(I)=H(I)+C(I)**4*(S(J)
                                          ; *W(J) *U(J) **2/ 60.
                                -R(J)
    G(1) = G(1) - ABS(A(1)) + Y(1) + + 2
    H(I) = H(I) - ABS(A(I)) + X(I) + 2
     F2=S(1)
    no 270 J=2,13
    IF (F2-$(J)) 260, 270, 270
    F2=S(J)
260
270 K=0
    00 290 J=1,13
    IF (F2-S(J)) 330, 280, 290
280
     K=K+1
     Z(K) =U(J)
290 K=K
    00 300 L=1.K
    B(L)=((C(I)*Z(L)-X(I))*E(I))/H(I)-((C(I)*F2-Y(I))*D(I))/G(I)
   X+CENTS2(I)
    82(L) = ((C(I) + Z(L) - X(I)) + F2(I)) / H(I) - ((C(I) + F2 - Y(I)) + D2(I)) / G(I) +
      CENTST(I)
     V2(L) = ABS(B2(L))
300 V(L) = ABS(B(L))
    F3=V(1)
    F4 = V2(1)
    F(I) = B(1)
    F5(I) = 82(1)
    DO 300 L=1,K
    F(I) = V(L)
320 F5(I)=V2(L)
    GO TO 340
330 F(I)=0.0
    F5(I) = 0.0
349 P(I)=-X(I)+E(I)/H(I)-(C(I)+S(1)-Y(I))+D(I)/G(E)+CENTS2 (I)
    P2(I) = -X(I) + L2(I) / H(I) - (C(I) + S(I) - Y(I)) + D2(I) / G(I) + CENTST(I)
    02(I)=(G(I)-X(I))*E2(I)/H(I)-(-Y(I))*D2(I)/G(I)*CENTST(I)
350 O(I) = (C(I)-X(I)) *E(I)/H(I)-(-Y(I))*D(I)/G(I)*CENTS2 (I)
    DO 100 I=1,7
    AREA(I) =A(I)
    XBAR(I)=X(I)
    YBAR(I) = Y(I)
    AYFXO(I)=G(I)
    AYEYO(I)=H(I)
    EMXO(I)=O(I)
                     第三次数据数据 17、安东京全集的 1、后在1986年17年
   EMYO(I) = E(I)
    ENTO(I) #E(I)
STRHAX(I) #AZZ(I, 11)
    ENTB(I)=T(I)
100 EMGB(I)=Q(I)
```

IF(15-2) 351,352,352

```
CALL PEASTR (F,P,O,STH,STLT,AZZ)
      GO TO 360
  352 DUMMY = DUMMY
      NN = NN+1
  360 NN=NN+1
      RETURN
       ENR
      SUBROUTINE PRNSTR (XX, YY, ZZ, S1, S2, AZZ)
      DIMENSTON AZZ(38,38)
      OIMENSICN XX(10), YY(10), ZZ(10), $1(10), $2(10)
C
      CALCULATION OF PFINCIPLE STRESSES
C
      DUF TO TORSION AND BENDING.
      DIMENSION XI2(10), XI3(10)
      99 333 K=1,7
      XI2(K) = -S1(K) + S1(K)
      XI3(K) = -S2(K) + S2(K)
  333 CONTINUE
      XXX=0.1
      DO 444 L=1,7
      XXX=XXX+0.1
      DO 555 H=1,3
      IF(M-2)72,22,33
   72 XI1=XX(1)
      DO=(ABS(XI1)) +*2.0
      XD=00-4.*XI2(L)
      CC=(ABS(XD))**.5
      GO TO 44
   22 XI1=YY(L)
      GO TO 66
   33 XT1=ZZ(L)
   66 DD=(ABS(XT1)) ++2'.0
      X0=00-4.*X13(L)
      CC=(ABS(XO))**.5
   44 SIGMA1=(XI1+CC)/2.0
      SIGMA2=(XI1-CC)/2.0
      AZZ(L, M) = XXX
      AZZ(L,M+10)=SIGNA1
555
      AZZ(L,M+20)=SIGMA2
  444 CONTINUE
  700 FORMAT (1H, 20X, F12-2, 6X, 2F20-6)
  850 FORMAT (140, 33x, 14x, 12x, 64SIGHA1, 10x, 64SIGMA2)
  860 FORMAT (1H0, 2X, 99HSTRESSES AT EACH X STATION ARE GIVEN IN THE FOLLO
     XHING OPDER* MIDCHORD, LEADING EDGE, TRAILING EDGE. 1
      RFTURN
```

CONTINUE

END

SUBROUTINE WEIGHT (JC, SIGNAT, IPO, IPR, HUBDIM, IK, HUB) C WEIGHT COMPUTES THE WEIGHT AND CENTER OF GRAVITY. C CHORD, THICKNS, CAMBER, PITCH AND SKEWR COME FROM GMAIN. DIAM, DEN, RAKE AND PI ARE SET IN STRESS. OTHER VALUES ARE COMPUTED C C MAKING CFRTAIN ASSUMPTIONS. COMMON /WRT/ JPR COMMON/CHEIGHT/X, CHOPD, THICKNS, CAMBER, PITCH, SKEHR, DIAH, ZZ, DEN, RAKE 1,51 1,PI,CT5,CP5,EP,PU,WAKE,VS,RPS,SIGMA,EAR DIMENSION CHORD(38), THICKNS(36), CAMBER(38), PITCH(38), SKEWR(38) 1,X(38) DIMENSION DISTHF (38), A (38) DIMENSION R(9), PMT(9) DIMENSION HUBDIN(6.2) DATA CHSTHT1, CHSTHT2, CHSTHT3/-3581, -8071, -0238/ \*\*\*\*VALUES COMPUTED AND DATA OUTPUT\*\*\* C THE HUB DIAMETER IS ASSUMED TO BE THE DIAMETER TO THE FIRST RAD C RATIC TO BE CONSIDERED AND THE HUB ASSUMED TO BE CYLINDRICAL. HURNIAF=X(1)\*DIAM THE HUB LENGTH IS ASSUMED TO EQUAL THE HUB DIAMETER AND THE DIS THE REFERENCE LING FROM THE HUB FACE IS TAKEN AS HALF THE HUB L DISREFL=HUBDIAM/2. INPUT DATA AND ASSUMED DATA WRITTEN OUT. C HUBLEN=HUBDIAM IF(HUB.EQ.O.) GO TO 50 FWODIAM=HUBDIM(1,IK) AFT91AH=HUBDIH(2.1K) HUBLEN=HUBDIM(3,IK) FOSORE=HUBDIM(4, IK) ADBORE=HUBDIM(5, IK) DISRFFL=HUBDIH(6,IK) FHDRAD=FHDDIAM/2.0 AFTRAD=AFTDIAM/2.0 HUBDIAM=X(1)+DIAM HUBRAD=HUBDIAH/2.0 FRBORE=FDBORE/2. ARBORE = ADBORE /2. GO TO 270 50 CENGRVH=HUBLEN/2. 27 C CONTINUE C \*\*\*\*HFIGHT CALCULATION\*\*\*\* DO 10 I=1,JC 10 A(I)=CHORD(I) +THICKNS(I) ¢ WEIGHT OF THE BLADES BSA1=SIMPUN(X,A,JC)WEIGHT 8=CNSTNT1+DIAM+DEN+ZZ+BSA1 C WEIGHT OF THE HUB IF(HUB.EQ.Q.) GO TO 200 IF(FWODIAM-AFTDIAM) 201,200,201 201 HEIGHHT=DEN+PI+HUBLFN/4.+((FMDRAD+AFTRAD)++240(FMDRAD-AFTRAD)++2/3 1.0)) WEIGHBR=DENPPITHUBLEN/4.\*((FRBORE+ARBORE).\*\*2\*((FRBORE-ARBORE)).\*\*2/3

1.9))

NEIGHTH=WEIGHHT+WFIGHBR\* 💯

SENGRYH=HUBLEN~ (({HUBLEN+{FNDRAD+P2+2.+FNDRAD+AFTRAD+3.+AFTRAD++2 1)/(4.\*(FHBRAD\*\*2\*FHDRAD\*AFTRAD\*AFTRAD\*\*2)})\*WEIGHHT~(HUBLEN\*(FRBOR 2E++2+2.4FRBORE+ARBORE+3.+ARBORE++2}/(4.+(FRBORE++2+FRBORE+ARBORE+A 3RBCRE++2) ) ) + WEIGHBR) / WEIGHTH) GO TO 282 200 WEIGHTH=PI+HUBDIAM++2+HUBLEH+DEN/4. 202 CONTINUE WEIGHT OF THE PROPELLER WEIGHTP=WEIGHTB+WEIGHTH \*\*\*\*CENTER OF GRAVITY CALCULATION\*\*\*\* C 00 20 I=1,JC ?0 DISTHF(I) =GNSTNT2\*CAMBER(I)\*COS(PITCH(I))\*CNSTNT3\*CHORD(I) 1\*SIN(PITCH(I))+DISREFL THE EFFECT OF RAKE AND SKEW ARE ADDED TO THE DISTANCE OF THE CE C GRAVITY FROM THE HUB FACE FOR EACH SECTION. C DO 30 I=1,JC DISTHF(I)=DISTHF(I)-SKEWR(I)\*X(I)/2.\*DIAM\*TAN(PITCH(I))-TAN(RAKE\* 1PI/180.)+DIAM/2.+(X(11)-X(1)) 39 A(I)=CHORD(I)+THICKNS(I)+D1STHF(I) BSAZ=SIMPUN(X,A,JC) CENGRV3=BSA2/BSA1 CENGRYS=DISREFL-CENGRY3 CENTER OF GRAVITY CONSIDERING RAKE AND SKEW C CENGRY1=(HEIGHTB+CENGRY3+WEIGHTH+CENGRYH)/HEIGHTP CFNGRVF=DISREFL-CENGRV1 IF(JPR.NE.2) GO TO SHT=4.44822 US=WEIGHTB\*SWT UP=HEIGHTP\*SWT CFL=CENGRVF/DIAM CBL=CFNGRVB/DIAM 9A=HUELEN/DIAM B3=FHDDIAM/DIAM BC=AFTDIAM/DIAM 30=DISREFL/DIAM 8E=HUBDIAM/DIAM BF=FDBORE/DIAM BG=ADECRE/DIAM \*\*\*\*RESULTS OUTPUT\*\*\*\* IF(HUB.FQ.0.) GO TC 55 PPINT 197, UB, UP, CFL, CBL PRINT 108, BA, BB, BC, BD, BE, BF, BG GO TO 53 55 CONTINUE PRINT 104, UB, UP, CFL; CSL PRINT 110, BE, BA, BD 53 CONTINUE MINIMUM EXPANDED AREA RATIO CALCULATIONS: AUS=VSV(RPS\*DIAH). AJA=HAKE+AJS AKT#PI#CTS#AJS##2/8. AKO=CPS+AJS++3/16.

EARMIN= {2.6+0.6+ZZ) \*AKT/{SIGHA7\*{AJA\*\*2\*(.7\*PI)\*\*2)} +:15

## IF(JPR.NE.2) RETURN PRINT 105, EARHIN, AJS, AJA, AKT, AKQ, PO

END

8

104 FORMATE //20x, \*WEIGHT OF BLADFS(N) = \*, F15.4//20x, \*HEIGHT OF PROP(8 ,F15.4//20X, \*CENTER OF GRA 1LADES+CYLINDRICAL HUB) (N) = # 2VITY OF PROF REFERENCED FROM MIDCHORD OF ROOT SECTION (- FND, + AF ,F9.6//20X, \*CENTER OF GRAVITY OF BLADES REFERENCED FROM 4 MIDCHORD OF ROOT SECTION (- FMD, + AFT)/D=+ 105 FORHAT (/20X, \*KELLFRS MINIMUM EAR = \*, E10.4 1//20X, \*SPEED COEFF V/(ND) JS=\*, E10.4//20X, \*ADVANCE COEFF V( 21-WTT)/(ND) JA=+,E10.4//20x, DESIGN THRUST COEFF 310.4//20X.\*TORQUE COEFF KQ=+,E10.4// 20x, \*PROPULSIVE EFFICIENCY ETAD=\*, £10.4) 11X, +HUB DIAM = +F9.6/47X, +HUB L 110 FORMAT(/20x, +HUB DIMENSIONS/0+ TENGTH =+,F9.4/47x, \*HIDCHORD OF ROOT SECTION TO AFT END OF HUB =+,F 29.4) 100 FORMAT (6F8.4) 197 FORMAT( //20X, \*WEIGHT OF BLADES(N)=\*, F15.4//20X, \*WEIGHT OF PROP(B 1LADES+TAPERED HUB) (N) =\* ,F15.4//20X, +GENTER OF GRA 2VITY OF PROP REFERENCED FROM HIDCHORD OF ROOT SECTION (- FND. + AF F9.6//20X, \*CENTER OF GRAVITY OF BLADES REFERENCED FROM 4 MIDCHORD OF ROOT SECTION (- FMD, + AFT)/0=+ ,F9.6) ,11X,\*LENGTH=+,F9.4/47X,\*FHC DIA 108 FORMAT(/20X, "HUB DIMENSIONS/D" 14=+,F9.4/47X,+AFT DIAH=+,F9.4/47X,+MIDCHORD OF ROOT SECTION TO AFT 2 END OF HUB=+,F9.4/47X,+HUB DIAH AT MIOCHORD OF ROOT SECTION=+,F9. 34/47X, FHD DIAH OF BORE=+, F9.4/47X, FAFT DIAH OF BORE=+, F9.4)

```
SUBROUTINE FIELD (ABC, UA, UT, UR, IK, DEX, COM, IPO)
                                 FIELD POINT VELOCITIES AUG 28,1969
       *** HAIN ***
                       FPV-7
C
       DIMENSION A1(792), K8(20,41),S1(792),U1(792), XR(11),XG(11),XTB(11),
     1XSL(11),XST(11),XVX(11),XUA(11),XTZ(11),Z(36),P(36)
       DIMENSION ABC(11,9)
        COMMON /WRT/ JPR
       DIMENSION DEX(11,3,2),COM(12,2)
       DIMENSION UA(11), UT(11), KV(11), UR(11)
       COMMON A (42,42), A3 (24, 11, 3), S (24, 11, 3), U (24, 11, 3), XINPUT (11, 16), B (
      142,2),SINKN(20,24),XSTAR(11
      1), COSI (42), GOEX(5), COSKN(20, 24), GB(20, 42), GLR(20), GLRZ(20), G(20), G
      2HA(100), GLT(20), GT(20, 42), GTL(20), HHUB(17), NLE(20), NTE(20), NUM(41)
      3,PHI(42), REMARK(18),R(20),RVLAM(20,11),RV(11),RVSQ(11),RZLAM(20),R
      3ZRY
      42(20,11),RZRV(20,11),RZ(20),RZSQ(20),SB(20,42),SINI(42)
      5, SL (20), SHA (42), SOLAH (20), STAR (20), ST (20), SPACE (42), T (24, 2), WEIGHT
      6 (5), X (42), XGL (11), XHAP (11), AY, AM, AA, AB, AC, AD, AE, AF, AG, AH, AI
      7, AL, BUG, BLADD, BLADE, BBL, BB, BOG, BUB, CHOR, COSIKN, COSY, GCA, CCL, C, DEGR
      BEE, DELT, DET, D2; D516, D75, D8; BELH, D, DELTA, DU, DV, DH, EX, E, EXGNU, GHU1, G
      9NU, GL HAX, GL HIN, GHU2, H, IMAX, JT, KT, LINE, MAX, HOUSE, HT, HIN
      1, NT, NX2, NSTOP, NTHICK, NX, NIN, NHAX, NHIN, NLEH, NLL, NTEH, NVV, NCOSE, NOGO
      2, PP, QQ, Q, RH, RBASE, RHAP, SLH, STH, SINIKN, SINY, SSL, TTHICK, TP, V, XL, XP, A
      3 NGLE (331, P, Z
       DIHENSICH CN(4.3)
       EQUIVALENCE (A,KB),(A3,A1),(S1,S),(U1,U),(XR,XINPUT),
      1 (XG, XINPUT (12)), (XTB, XINPUT (23)), (XSL, XINPUT (34)),
      2(XST, XINPUT(45)), (XVX, XINPUT(56)), (XUA, XINPUT(67)).
      3(XTZ, XINPUT(78))
       NOG0=10
       MHUB(1)=0
       MHU3(2) = 4
       MHUB(3) = 12
       MHUB(4) = 30
       MHUB(5)=60
          MHUB(6)=120
       MHUB (7) =240
       MHU9(8) = 360
       MHUB(9) = 720
       HHUB (10) = 4320
                    N=1,NOGO
       00 51
       J=N+NOGO-1
       H=NOGO-N+1
       ANGLE ( J ) = FLOAT ( MHUB ( N ) ) * . 17453293E-01
 51
       ANGLE (M) =-ANGLE(J)
       NOGO = 2* NOGO-1
       IX=0
       NSTOP=DEX(1,1,IK)
       NEX=DEX(3,1,IK)
     1 CONTINUE
  100
       FORMAT(14)
       IF(NSTOP)
                      2,99,3
    99 RETURN
   109 FORMAT(18A4)
     3 CONTINUE
       NX=11
       KT=ABC(2,9)
       LINE=1
```

MT=12 NT=12 NTHICK=23 AY=U.8 8U3×6.0 TTHICK=.1 nn 87 I=1,11 00 87 J=1,8 87 XIMPUT(I,J)=ABC(I,J) XIMPUT(1,9)=0.0 XINPUT(2,9)\*0.5 XINPUT (3,9) =1.25 XIMPUT (4,9)=5.0 XIMPUT (5,9)=10.0 XINPUT (6.9) = 15.0 XINPUT (7,9)=20.0 XINPUT (4,9)=25.0 XIMPUT(9,9)=30.0 XIMPUT(1,19)=35.0 XINPUT(2,10)=40.0 XINPUT(3,10)=45.0 XIMPUT (4,10)=50.0 XIMPUT(5,10) = 55.0 XINPUT(6,10)=60.0 XINPUT(7,10)=65.0 XINPUT(5,10)=70.6 XINPUT(9,10)=75.0 XINPUT(1,11)=80.0 XINPUT (2,11)=85.0 XINPUT (3, 11) =90.0 XINPUT(4,11)=95.0 XINPUT (5,11) = 100.0 00 93 1=6,9 93 XINPUT(I,11) = 0 . 0 DO 94 I=1,9 94 XIMPUT(I,12)=0.0 XINPUT(1,13)=0.0 XINPUT (2,13) = . 9120 XINPUT(3,13)=1.004 XINPUT (4,13)=1.0611 XINPUT (5,13)=1.0818 XINPUT(6,13)=1.0927 XINPUT (7,13)=1.1004 XINPUT(8,13)=1.1060 XINPUT(9,13)=1.1095 XINPUT(1,14)=1.1120 XINPUT (2,14) = 1.1142 XINPUT(3,14)=1.1153 XINPUT (4,14)=1.1139 XINPUT (5, 14)=1.1102 XINPUT(6,14)=1,1046

XINPUT(7,14)=1.0970 XINPUT(8,14)=1.0868 XINPUT(9,14)=1.0740 XINPUT(1,15)=1.0579 XINPUT(2,15)=1.03636

(°. ]

```
XINPUT(3,15)=1.01020
     XINPUT(4,15)=1.143
     XINPUT(5, 15) = 0.0
     00 38 I=6,9
  88 XINPUT(I,151=0.0
     DO 89 I=1,9
  89 XINPUT(1,16)=0.0
     DO 15 [=1,9
     Z(I) = XINPUT(I.9)
     7(1)9)=XINPUT(I.10)
     Z(I+18)=XINPUT(1,11)
     Z(1027) = XINPUT(1,12)
     P(I) = XINFUT(I, 13)
     P(I+9)=XINPUT(I,14)
     P(I+18) = XINPUT(I,15)
  15 P(I+27) = XINPUT(I,16)
              52,99,53
     IF(NT)
  52 NT=-NT
     NHELIX=-1
     GO TO 54
  53 NHELIX=1
  54 RH=XR(1)
     DELT=.17453293E-01+BUB
     IF (XT8(2))
                   99,32,33
32
     EUG=XTE(1)
     00 34
                 N=1,NX
     XT8(N)=BUG/XR(N)
34
                    99,35,36
33
     IF(XVX(1))
35
     00 37
                 N=1,HX
37
     XVX(N)=1.0
36
     IF(XUA(2))
                   99,38,39
38
     BUG=XUA(1)
     DO 40
                 N=1,NX
     XUA(N) = (XTB(N) + XR(N) / BUG - XVX(N)) / (1, 3+XTB(N) + +2)
40
39
     IF(XTZ(2))
                   99,41,42
41
     BUG=XTZ(1)
     00 43
                 N=1,NX
43
     XTZ(N) = BUG+(1.0-XR(N))
42
                N=1.NX
     XMAP(N)=COMAP(XR(N),RH)
     XGL(N) = XR(N) + XTB(N)
     BUG=XGL(N) * (XST(N) - XSL(N))
     IF(8UG.GT.0.0001) GO TO 55
     XSTAR(N) = 2.0 + XSTAR(N-1) + XSTAR(N-2)
     GO TO 4
     XSTAR(N)=XTZ(N)*DELT+(X(L(N)++2+XR(N)++2)F-(XVX(N)+XUA(N))/
55
       (XGL(N) + (XST(N) - XSL(N)))
     CONTINUE
     NX2=NX-2
     00 5
                I=1,NX2
     B(I,1) = XG(I+1)
                J=1, NX2
     00 5
     A(I,J)=SIN(FLOAT(J)#XMAP(I+1)A
5
     IF(XG(11)
                  99,6,7
     DET=1.0
      CALL MATINV(A,NX2,B,1,DET,HOUSE)
      GO TO (8 ,99) , HOUSE
                                νŗ.
```

```
CONTINUE
     R(NX2+1,1)=0.0
     B(NX,1)=0.0
     G9 TO 11
7
     XG(1) = 0.0
     XG(NX)=8.0
                I=1,NX2
     00 9
     XG([+1]=0.0
     6 64
                J=1,NX2
     XS(I+1)=XG(I+1)+A(I,J) *B(J,1)
      IF(JPR-NE.3) GO TO
  11
     FORMAT (1H1)
300
     WRITE (6,300)
     HRITE (6, 102) (COM(N, IK), N=1, 12), NX, LINE, HT, BUE, KT, AY
     HRITE (6,104) HT, NTHICK, (XR(N), XTB(N), XGL(N), XSL(N), XST(N), XG(N), B
    1 (4,1), xxx(n), xuA (n), xTZ(n), n=1, nx)
     HRITE (6,103) TTHICK, (Z(N), P(N), N=1, NTHICK)
     FORMAT (////38X,32H********
                                                 ********/38X,32HPROPELLE
                                     HIT-FPY-7
    IR FIELD POINT VELOCITIES/25%, 12A6/11%, 21HNUMBER OF IMPUT RADII, 8%,
    212,201,18HTYPE OF CHORD LOAD,51,11/111,19HLATTICE ARRANGEMENT,321,
    317H(1=NACA A-SERIES)/13X,26HNO.OF FULL RADIAL SPACES I2,21X,17H(2
                    1/13x,26HANGULAR SPACING -DEGREES- F4.1,19x,17H(3=FL
    4=ELLIPTICAL
                )/11x,16HNUMBER OF BLADES,12x,12,21x,16HA-DESIGNATION O
    SAT PLATE
    6F/11X,18HNO.OF FIGLO POINTS,33X,17HTYPE 1 CHORC LOAD,6X,F4.2)
    FORMAT (11x, 14H8FTHEEN BLADES, 13x, 13, 21x, 25HNO. OF POINTS IN THICKNE
    1SS/11X, 34H (NEGATIVE FOR HELICAL COORDINATES), 17X, 16HFORK INPUT TAB
    2LE,6X,12///13X,1HR,6X,22HTAN BI LAMEDA I
                                                     SL,7X,2HST,7X,1HG,8X,
                         UA#/VS
                                    TO//(7x,6F9.4,F11.6,F8.3,F8.4,F9.4))
    375HC(N)
                 VA/VS
     FORMAT (///24X, 54+VELOCITY DISTRIBUTION OF 2-D THICKNESS FORM WITH
                                                      PERCENT CHORD VELOC
    1T3/L=F6.4//29x,51HFERCENT CHORD VELOCITY
    ?ITY//(33x,F6.2,6x,F5.3,11X,F6.2,6x,F5.3)}
  60 CONTINUE
                 N=1,NTHICK
     30 44
     P(N) = \langle P(N) - 1.0 \rangle / TTHICK
     HAX=MT+3
     MIN=HT+2
     DELM=(1.0~RH)/FLOAT(MT)
     D*=DEL##0.125
     D2=DELM#0.5
     0516=0FLM+0.3125
     り75=りとしゃそり。75
     RZ(1) = RH+D8
     RZ (MAX)=1.0-08
     RZ(2) = PH+D2
     P7 (MIN) = 1.0-02
     PZ(3) =RH+DELM
     R(1)=RH+0516
     R(HIN) = 1.0 - 0516
     R(2)=RH+075
     R(YT+1)=1.0-075
     RBASE=RH-D2
     09 12
                 H=3,MT
     AM=H=1
     RZ(M+1)=RH+AM+DELM
     R(H) = REASE+AH+DELM
12
     no 13
                M=1,MIN
```

RHAP = COMAP (R (H) ; RH)

ALCONOMIC TO THE PARTY OF THE P

```
SL (4) = FILLIN(RHAP, XHAP, XSL, NX)
     ST(H) = FILLIN(RHAP, XHAP, XST, MX)
     GLR(M) = FILLIN(R(M), XR, XGL, NX)
     STAR(H)=FILLIN(R(H), XR, XSTAR, NX)
     GLRZ(H) = FILLIN(RZ(H), XR, XGL, NX)
     G(4)=0.9
                  J=1, HX2
     90 13
     G(H)=G(H)+B(J,1)*SIN(FLOAT (J)*RHAP)
13
     GLRZ (MAX) = FILLIN (RZ (MAX) , XR, XGL , NX)
     00 17
                  N=1,41
                  M=1,20
     BO 17
      G3 (H, H) = 0.0
      GT (M, H) =0.0
17
      SB(H, H)=0.0
      CALL FAN
      00 14
                  N=1,41
      NUH(N)=K
                  H=1,19
      DO 14
      KB(H, N) #100000 #0 #GB(M, N)
14
                  N=1,41
      00 45
                  M=1,19
      00 45
      KB(H, N) =104000.0+GT(H.N)
45
                  N=1,41
      00 46
                   M=1,19
      00 46
      K3(M, N) =100000.0*SB(M, N)
    2 JT=DEX(2,1,IK)
      NEX=NEX-1
      IX=IX+1
      EX=DEX(IX, 2, IK)
      DO 105 J=1,JT
  195 RV(J) = DEX(J,3,IK)
       911G=0.0
       IF (NHELIX) 47,48,48
   47 BUG=-EX/XGL(NX)
       BLADD=6.2831853/FLOAT (KT)
       BU3=BLACD/FLOAT(NT)
       BLADE = BUG
                   N=1,NT
       00 49
       T(N, 1)=-8UG/.17453293E-01
                   K=1,KT
       00 50
       COSKN (K, N) = COS (BUG)
       SINKN (K, N) =SIN(BUG)
       BUG=BUG+BLADO
 50
       BUG=BLADE-BUB
       ELADE = BUG
 49
                    M=1, MAX
       00 18
       RZSQ(M)=RZ(M)++2
       RZLAM (M) =RZ (M) +GLRZ(M)
                    J=1,JT
       DO 15
       RZRV(M, J)=PZ(M)*RV(J)
       RZRV2 (M.J) =2.0*RZRV(M.J)
  18
        00 19
                    J=1,JT
        RVSO(J)=RV(J)++Z
                    H=1; HAX
        DO 19
        RYLAM (M. J) =RV(J) *GLRZ(M)
  19
        BUG#EX/(.17453293E=01+XGL(NX))
        00 31 N=1,NT
```

```
31
     T(N,2)=T(N,1)-BUG
     Da=xGL(Nx$/{(1.0+xGL(Nx P+2)+xUA(Nx)+1.0}
     D2=9.8696844PD8/XYX(NX)
     BLADE=FLOAT(KT)
     NSTOP=IARS(NSTOP)
     GO TO (20,21,21,20),NST(P
20
     CALL LYRAIL
     DO 23 J=1,JT
  23 CALL SURGUT(EX, RV(J), T, S, S, NT, J, REMARK, 1, D2, D8, BLADE, CN)
21
     60 TO (1,24,25,24), NSTOP
     CALL YORCES
24
     DO 26 J=1,JT
  26 CALL GUNOUT(EX,RV(J),T,U,S,NT,J,REHARK,Z,OZ,OB,BLADE,CH)
     00 22 J=1,JT
  22 CALL SUMOUT (FX, RV(J), T, A3, S, NT, J, REMARK, 3, D2, D8, BLADE, CN)
25
     GO TO (1,1,27,27), NSTOP
     CALL STRAIL
27
     00 28 J=1.JT
  29 CALL SUMOUT(FX,PV(J),T,U,S,NT,J,REMARX,4,D2;Q8,BLADE,CN)
     GO TO(1,1,1,29), NSTOP
  29 PD 30 J=1,JT
     CALL SUMOUT (EX,RV(J),T,S,S,NT,J,REMARK,5,02,C6,BLADE,CN)
     UA(J) = CN(1,1)
     UR(J) = CN(1,2)
  33 UT(J)=CN(1,3)
     IF(NEX) 200,201,200
 200 NSTOP=4
     60 TO 1
 201 NSTOP=0
     GO TO 1
```

8

するとうとなるのでは、

FN7

```
*** FAN ***
                    FPV-7
                              FILLD POINT VELOCITIES AUG 20,1969
    SUBROUTINE FAN
     DIHENSICN A1(792), KB(20.41),S1(792),U1(792), XR(11),XG(11),XTB(11),
   1XSL(11),XST(11),XVX(11),XUA(11),XTZ(11),Z(36),P(36)
     COMMON A(42,42), A3(24,11,3), S(24,11,3), U(24,11,3), XINPUT(11,16), B(
    142,2),SINKN(20,24),XSTAR(11
    1), COSI(42), COEX(5), COSKN(20, 24), GB(20, 42), GLR(20), GLRZ(20), G(20), G
    2MA(100).GLT(20).GT(20,42).GTL(20).MHUB(17).NLE(20).MTE(20).NUH(41)
    3.PHI(42), REMARK(18).R(20), RVLAH(20,11), RV(11), RVSQ(11), RZLAH(20), R
    329V
    42(20, 11), RZRV(20,11), RZ(20), RZSQ(20), SB(20,42), SINI(42)
    5,SL(20),SHA(42),SOLAM(20),STAR(20),ST(20),SPACE(42),T(24,2),HEIGHT
    6(5), X(42), XGL(11), XHAP(11), AY, AH, AA, AB, AC, AD, AE, AF, AG, AH, AI
    7, AL, BUG, BLADD, BLADE, BBL, BB, BOG, BUB, CHOR, COSIKN, COSY, CCA, CCL, C, DEGR
    tEE.DELT.DET.D2,D516,D75,D8,DELM,D,DELTA,DU,DY,DN,EX,E,EXGNU,GMU1,G
    9NU, GL HAX, GLHIN, GHUZ, H, IHAX, JT, KT, LINE, HAX, HOUSE, NT, ÑIN
    1, NT, NX2, NSTOP, NTHICK, NX, NIN, NMAX, NNIN, NLEH, NLL, NTEH, NVV, NCOSE, NOGO
    2,PP,QQ,Q,RH,RBASE,RMAP,SLH,STH,SINIKN,SINY,SSL,TTHICK,TP,V,XL,XP,A
    3NGLF(33),P,Z
                   (A, KB), (A3, A1), (S1, S), (U1, U), (XR, XINPUT),
     EQUIVALENCE
    1(xG, xINPUT(12)), (xTB, XINPUT(23)), (XSL, XINPUT(34)),
    2(XST, XINPUT(45)),(XVX, XINPUT(56)),(XUA, XINPUT(67)),
    3(XTZ, XIMPUT(78))
     90 3ŭ
            N=1,20
     SUG=FLCAT(N) *DFLT
     PHI(N+21)=8UG
     HOUSE = 21-N
     PHI(MOUSL) =-BUG
     SINI(N+21)=SIN(BUG)
     SINI (HCUSE) =-SINI (N+21)
     COSI (N+21) = COS (BUG)
30
     COSI(MOUSE)=COSI(N+21)
     PHI(21)=0.0
     SIMI(21)=0.0
     COSI(21)=1.0
     DO 1 M=1,MIN
     ROUT = SORT (R(M) ++2+GLR(M) ++2)
     D=DELT*ROOT
     SLH=SL(H)/ROOT-0.25*DELT
     STM=ST(M)/ROOT+0.25*DELT
     00 2 N=1,41
     NLFH=N
     IF (PHI(N)-SLM)2,2,4
   2 CONTINUE
     DO 5 N=NLEM,41
     NTEH= N-1
     IF (STM-PHI(N))3,3,5
   5 CONTINUE
   3 NVV=NTEH-NLEM+1
     XL=-SL(H)+ROOT+PHI(NLEM)
     CHOR=ST(H)-SL(M)
     IF(NVV-1)
                  99,33,34
33
     G4A(1)=1.0
     SMA(1)=0.9
     GO TO 35
     CALL CHORD
34
```

35

NLE(M) = NLEM

```
NTE (M) =NTEM
      K=1
      00 t
           N=NLEM, NTEM
      G7 (H, N) = G (H) + GHA (K)
      S3 (M, N) = STAR (N) + SMA (K)
      X=K+1
1
      9UG=8, A
     00 17 N=1,20
      CT(1,N) = -GB(1,N) + BUG
      BUG=GT(1,N)
17
      BUG=BUG+G(1)
      GTL(1) = -G(1)
      NTFM= MAXO(21, NTF(1)-1).
     PO 16 N=21, NTEN
      GT (1, N) =-GB (1, N) +8(IG
15
     BUG=GT (1,N)
      20 21 H=2.HIN
      RIJG= C.A
     00 °0 N=1,20
      GT (M, N) = GB (M-1, N) - GB (M, N) + BUG
20
      RUG=GT (M,N)
      GTL(H) = 6 (H-1) - 6 (H)
      BUG=BUG-GTL (H)
     NT_4=MAXS(21,NTE(M-1)-1,NTE(W)-1)
     90 21 N=21,N7FM
      GT (M, N) = GB (H-1, N) - GB (M, N) + BUG
21
      3US=GT(H.N)
     3UG=0.3
      00 22 N=1,28
      GT (MAX, N) = GB (MIN, N) + PUG
22
     BUG=GT (FAX, N)
      RUG=BUG-G(MIN)
     GTL(MAX) = G(MIN)
     NTFM= 46 X3 (21, NTF (MTH) -1)
     DO 23 N=21,NTEH
     GT (HAX, N)=G3(HIN, N) +3UG
23
     BUG=GT (MAX.N)
     RETUPN
  99 STOP
```

ENA

15°.

```
C
       *** CHORD ***
                        FPY-7
                                FIELD POINT VELOCITIES AUG 28,1969
       SUBROUTINE CHORB
      DIMENSION A1(792), K3(20,41),S1(792),U1(792),XR(11),XG(11),XTB(11),
     1XSL(11), XST(11), XVX(11), XUA(11), XTZ(11), Z(36), P(36)
      COMMON A(42,42), A3(24,11,3), S(24,11,3), U(24,11,3), XINPUT(11,16), B(
     142,2),SINKN(20,24),XSTAR(11
     1), COSI(42), COEX(5), COSKN(20,24), GB(20,42), GLR(20), GLRZ(20), G(20), G
     24A(100),GLT(20),GT(20,42),GTL(20),MHUB(17),NLE(20),NTE(20),NUM(41)
     3, PHI(42), REHARK(18), R(20), RVLAH(20,11), RV(11), RVSQ(11), RZLAH(20), R
     329V
     42(20,11),RZRV(28,11),RZ(20),RZSO(20),S8(20,42),SINI(42)
     5,SL(20),SHA(42),SOLAH(20),STAR(20),ST(20),SPACE(42),T(24,2),WEIGHT
     6(5), X(42), XGL(11), XMAP(11), AY, AM, AA, AB, AC, AD, AE, AF, AG, AH, AI
     7, AL, BUG, BLADD, BLADE, BBL, BB, BOG, SUB, CHOR, COSIKN, COSY, CCA, CCL, C, DEGR
     SEE, DELT, DET, D2, D516, D75, D8, DELM, D, DELTA, DU, DV, DW, EX, E, EXGNU, GHU1, G
     9NU, GLHAK, GLHIN, GHU2, H, IHAX, JT, KT, LINE, HAX, HOUSE, HT, HIN
     1, NT, NX2, NSTOP, NTHICK, NX, NIN, NMAX, NHIN, NLEM, NLL, NTEM, NVV, NCOSE, NOGO
     2,PP,QQ,Q,RH,RBASE,PHAP,SLH,STH,SINIKN,SINY,SSL,TTHICK,TP,V,XL,XP,A
     3NGLF(33),P,Z
       EQUIVALENCE
                     (A, KB), (A3, A1), (S1, S), (U1, U), (XR, XINPUT),
     1 (XG, XINPUT (12)), (XTB, XINPUT (23)), (XSL, XINPUT (34)),
     2(XST, XINPUT(45)), (XVX, XINPUT(56)), (XUA, XINPUT(67)),
     3(XTZ, XINPUT(78))
       B(1,1)=1.0
       8(1,2)=0.0
      00 1
                  N=1,NYV
       A(1,N)=1.0
      00 1
                  M=2,NVV
 ī
       A(M,N)=1.0/(FLOAT(N-M)+0.5)
      NMIN=NVV-1
      BU3=100.0/CHOR
                  M=1.NMIN
      X(M) = XL + (FLOAT(M) - 0.5) + D
       AG=X(H) +BUB
 2
       B(4+1,2)=FILLIN(AG,Z,P,NTHICK)
       GO TO (3,5,6), LINE
      IF(AY-0.99 )
 3
                        4,4,17
C
                   CONSTANT LOAD
      CASF 1
 17
      DO 7
                  M=2,NVV
      B(M,1)=0*(ALOG(1.0-X(H-1)/CHOR)-ALOG(X(H-1)/CHOR))/CHOR
      GO TO 11
      CASE 2
                    A SEFIES MEAN LINE
      E=1.0-AY
      DO 8
                 M=2,NVV
      V=1.0-X(M-1)/CHOR
      Q=AY-X(H-1)/CHOR
      IF(ABS(Q)-0.0001) 14,14,15
 14
      QQ=0.0
      GO TO 16
 15
      ng=Q# A LOG (ABS (D))
      PP=V+AL GG(V)
 16
      B(M,1)=2.0*D*((PP-QQ)/E-ALOG(X(M-1)/CHOR)-1.0)/((AY+1.0)*CHOR)
      GO TO 11
C
      CASE 3
                   ELLIPTICAL LOADING
      00 9
                 M=2,NVV
      B(M,1)=4.0+D+(1.0-2.0+X(M-1)/CHOR)/CHOR
```

GO TO 11

```
*** LTRAIL ***
                       FPV-7 FIELD POINT VELOCITIES AUG 20,1969
     SUPROUTINE LIRAIL
     DIMENSION A1(792), KB(20,41), S1(792), U1(792), XR(11) XG(11), XTB(11),
    1 XSL (11), XST (11), XVX(11), XUA(11), XTZ(11), Z(36), P(36)
     COMMON $ (42,42), $3(24,11,3), $ (24,11,3), $ (24,11,3), $ XINPUT(11,16), $ (
    142,2),SINKN(20,24),XSTAR(11
    1), COSI(42), COEX(5), GOSKN(20, 24), GB(2), 42), GLR(20), GLRZ(20), G(20), G
    2MA(100),GLT(20),GT(20,42),GTL(20),HHUB(17),NLE(20),NTE(20),NUH(41)
    3,PHI(47),REMARK(18),R(20),RVLAH(20,11),RV(11),RVSQ(11),RZLAH(20),R
    3 Z R V
    42(20, 11), RZRV(20, 11), RZ(20), RZSQ(20), SB(20, 42), SINI(42)
    5,SL(20),SHA(42),SQLAH(20),STAR(20),ST(20),SPACE(42),T(24,2),HEIGHT
    6 (5),X(42),XGL(11),XMAP(11),AY,AH,AA,AB,AC,AD,AE,AF,AG,AH,AI
    7, AL, BUG, BLADD, BLADE, GBL, BB, BOG, BU3, CHOP, COSIKN, COSY, CCA, CCL, C, DEGR
    8EE, DELT, DFT, D2, D516, D75, D8, DELM, D, DELTA, DU, DV, DW, EX, E, EXGNU, GHU1, G
    9NU, GL HAX, GLHIN, GHU2, H, IMAX, JT, KT, LINE, HAX, HOUSE, HT, HIN
    1,NT,NX2,NSTOP,NTHICK,NX,NIN,NHAX,NHIN,NLEM,NLL,NTEM,NVV,NCOSE,NOGO
    2,PP,QQ,Q,RH,RBASE,RMAP,SLH;STH,SINIKN,SINY,SSL;TTHICK;TP,V;XL;XP,A
    3 NGLF(33),P,Z
                   (A, KB), (A3, A1), (S1, S), (U1, U), (XR, XINPUT),
     EDUIVALENCE
    1(XG, XINPUT(12)), (XTB, XINPUT(23)), (XSL, XINPUT(34)),
    2(XST, XINPUT(45)), (XVX, XINPUT(56)), (XUA, XINPUT(67)),
    3 (XTZ, XINPUT (78))
     00 5 N=1,792
5
     S1(N)=0.0
     BUG=40.9
     00 1
                J=1,JT
                H=1, MAX
     00 1
     POG=ABS (FV(J)-RZ(M))
     IF(80G-8UG) 2,1,1
2
     BUG=BOG
     TP=EX/GLPZ(H)
     CONTINUE
1
     IF(TP-ANGLE(1))
                        3,3,4
     nn 7
                M=1,NOGO
     NLOH= M
     IF (ANGLE (M) +TP) 7,7,8
7
     CONTINUE
R
     IF (NLOH-1)
                 10,10,11
     GMA(1) = TP + ANGLE(1)
10
     GO TO 12
Pi
     G44(1)=0.9
     N=?
12
                M=NLOW, NOGO
     00 9
     GMA(N)=TP+ANGLE(M)
9
     N=N+1
     NCODE = NOGO - NL OW+ 1
                I=1,NCODF
     DO 6
     DELTA = GMA(1+1) - GMA(I)
     COEX(1)=.046910*DELTA
     COEX(2) = . 230765*DELTA
     COEX(3)=.5*DFLTA
     COEX(4)=.769235*DELTA
     COEX(5)=.953090*DELTA
     HEIGHT (1) = . 059232 + DFLTA
     WEIGHT (5) = WFIGHT (1)
     WEIGHT (2) = . 119657*DELTA
```

```
WEIGHT (4) = WEIGHT (2)
     WEIGHT (3) = . 142222 * DELTA
                L=1,5
     GNU=GHA(I)+COEX(L)
     COSY=COS(GNU)
     SINY=SIN(GNU)
     00 6
                K=1,KT
     00 6
               N=1, NT
     COSIKN=COSY+COSKN(K,N)-SINYPSINKN(K,N)
     SINIKH=SINY+COSKN(K,N)+COSY+SINKN(K,N)
                J=1,JT
     00 6
     DO 6
               M= 1, MAX
     BOG=SQRT(((EX-GLP7(H)+GNU)++2+RVSQ(J)+RZSQ(H)-RZRVZ(H,J)+ COSIKN++
    1+3)
     BOG=WEIGHT(L)*GTL(M)/BOG
     EXGNU=(EX-GLRZ(M) +GNU) +RZ(M)
     S(N,J,1)=E.N,J,1)+(RZSQ(M)-RZRV(M,J)+GOSIKN)+BOG
     S(N, J, 2) = S(N, J, 2) + (PZLAM(M) + SINIKN+EXGNU+COSIKA) + BOG
     S(N, J, 3) = S(N, J, 3) + (RVLAH(H, J) -RZLAH(A) + COSIKN+EXGNU+SINIKN) +BOG
     CONTINUE
3
     RETURN
     FNT
```

```
*** VORCES *** FPV-7 FIELD POINT VELOCITIES AUG 20,1969
     SUBROUTINE VORCES
     DIMENSION A1(792), KB(20,41), S1(792), U1(792), XR(11), XG(11), XTB(11),
    1XSL(11), XST(11), XVX(11), XUA(11), XTZ(11), Z(36), P(36)
     COMMON A(42,42),A3(24,11,3),S(24,11,3),U(24,11,3),XINPUT(11,16),B(
    142,2),SINKN(20,24),XSTAR(11
    1),COSI(42),COEX(5),COSKN(20,24),GB(20,42),GLR(20),GLRZ(20),G(20),G
    2M4 (100), GLT (20), GT (20, 42), GTL (20), MHUB (17), NLE (20), NTE (20), NUM (41)
    3,PHI(42),REMARK(18),R(20),RVLAH(20,11),RV(11),RVSQ(11),PZLAH(20),R
    37°V
    42(70,11),RZRV(20,11),RZ(20),RZSO(20),SB(20,42),SINI(42)
    5, SL (20), SMA (42), SQLAM (20), STAR (20), ST (20), SPAGE (42), T (24, 2), WEIGHT
    6(5),X(42),XGL(11),XMAP(11),AY,AM,AA,AB,AC,AD,AE,AF,AG,AH,AI
    7,4L,BUG,BLADD,BLADE,BBL,BB,BOG,BUB,CHOR,COSIKN,COSY,CCA,CCL,C,DEGR
    8EE,DELT,DET,D2,D516,D75,D8,DELM,D,DFLTA,DU,DV,DW,EX,E,EXGNU,GHU1,G
    9NU, GL MAX, GL MIN, GMU2, H, IMAX, JT, KT, LINE, MAX, MOUSE, MT, MIN
    1,NT,NX2,NSTOP,NTHICK,NX,NIN,NMAX,NHIN,NLEM,NLL,NTEM,NVV,NCOSE,NOGO
    2,PP,00,Q,RH,RBASE,RMAP,SLM,STM,SINIKN,SINY,SSL,TTHICK,TF,V,XL,XP,A
    3 NGLE (33), P, Z
     EQUIVALENCE
                   (A, KB), (A3, A1), (S1, S), (U1, U), (XR, XINPUT),
    1(XG, XIMPUT(12)), (XTB, XIMPUT(23)), (XSL, XIMPUT(34)),
    2(XST, XINPUT(45)), (XVX, XINPUT(56)), (XUA, XINPUT(67)),
    3(XTZ, XINPUT(78))
     00 3 N=1,792
     U1(N) = 0.0
     41(N) = 0.0
3
     00 5
           I=1,41
     00.1
           K=1,KT
           N=1,NT
     COSIKN=COSI(I) +COSKN(K,N)-SINI(I) +SINKN(K,N)
     SINIKN=SINI(I) *COSKN(K,N) +COSI(I) *SINKN(K,N)
     00 1 J=1,JT
     33=-2.0+KV(J)+COSIKN
     90 1 MC=1,MIN
     IF(GB(MC,I).EQ.0.0) GO TO 1
     AA=EX-GLR(MC)*PHI(I)
     (L) Q2VS+5 ** AA=EA
     AC=4.0* (AA**2+R¥50(J)*SINIKN**2)
     MD=4C+1
     BUG=-1.0
     AG=0.0
     AH=0.0
     AI=0.9
     DO 8 M=MC,MD
     IF(ABS(AC)-0.00001) 4,4,6
     AE=0.5*BB+RZ(M)
     AD=-0.25/AE##2
     AF =- 0 . 5/AE+0 . 125 * 88/AF ** ?
     GO TO 7
     AE=AC+SQRT (RZSQ(M) +RZ (M)+BB+AB)
     AT=(2.0*RZ(M)+BB)/AE
     AF=-(984RZ(M)+2.0+AB)/AE
     AG=AG+RUG+AD+GB(MC,I)
     AH=AH+RUG+AD+SB(MC,I)
     AI=AI+EUG*AF*S8(MC,I)
     BUG= - BUG
```

κ,

U(N,J,1)=U(N,J,1)-KV(J)\*SINIKN\*AG

U(N,J,2)=U(N,J,2)+AA\*SINIKM\*AG U(N,J,3)=U(N,J,3)-AA\*COSIKM\*AG A3(N,J,1)=A3(N,J,1)+AA\*AH A3(N,J,2)=A3(N,J,2)+(RV(J)\*AH-COSIKM\*AI) A3(N,J,3)=A3(N,J,3)-SINIKM\*AI

1 CONTINUE

1

5 CONTINUE RETURN END

```
*** BTRAIL *** FPV-7 FIELD POINT VELOCITIES AUG 20,1969
 SUPROUTINE BIRAIL
 DIMENSIGN A1(792), KB(20,41), S1(792), U1(792), XR(11), XG(11), XTB(11),
1XSL(11),XST(11),XVX(11),XUA(11),XTZ(11),Z(36),P(36)
COMMON A (42,42) pA3 (24,11,3),5 (24,11,3), U(24,11,3), XINPUT(11,16),8(
142,2),SINKN(20,24),XSTAR(11
1;,COSI(42),COEX(5),COSKN(20,24),GB(20,42),GLR(20),GLRZ(20),G(20),G
2HA(100), GLT(20), GT(20, 42), GTL(20), HHUB(17), NLE(20), NTE(20), NUH(41)
3, PHT (42), REMARK(18), R(20), RVLAH(20,11), RV(11), RVSQ(11), RZLAH(20), R
37RV
42(20,11),RZRV(20,11),RZ(20),RZSO(20),SB(20,42),SINI(42)
5,SL(20),SHA(42),SQLAH(20),STAR(20),ST(20),SPACE(42),T(24,2),WEIGHT
6(5), X(42), XGL(11), XMAP(11), AY, AH, AA, AB, AC, AD, AE, AF, AG, AH, AI
7, AL, BUG, EL ADD, BL ADE, BBL, BB, BOG, BUB, CHOR, COSIKN, COSY, CGA, CCL, C, DEGR
8EE,DELT,DET,D2,D516,D75,D8,DELM,D,DELTA,DU,DV,DW,EX,E,EXGNU,GHU1,G
9NU,GLMAX,GLMIN,GHU2,H,IMAX,JT,KT,LINE,MAX,MOUSE,MT,MIN
1,NT,NX2,NSTOP,NTHICK,NX,NIN,NMAX,NHIN,NLEH,NLL,NTEH,NYV,NCOSE,NOGO
2, PP, QQ, Q, RH, RBASE, PMAP, SLM, STM, SINIKN, SINY, SSL, TTHICK, TP, V, XL, XP, A
3 NGLE (37) .P.Z
 EQUIVALENCE
              (A,KB),(A3,A1),(S1,S),(U1,U),(XR,XINPUT),
1 (XG, XINPUT(12)), (XTB, XINPUT(23)), (XSL, XINPUT(34)),
2(XST, XINPUT(45)), (XYX, XINPUT(56)), (XUA, XINPUT(67)),
3 (XTZ, XINPUT (78))
 00 3 N=1,792
 U1(N) =0.0
 00 1
           L=1,49
 GMU1=PHI(L)
 DELTA=PHI(L+1)-GMU1
 COEX(1)=0.211325*DELTA
 COEX(2)=0.783675*DELTA
 WEIGHT(1)=0.25*DFLTA
 WFIGHT(2) = WEIGHT(1)
 00 4
           I=1.2
 GNU=GMU1+COEX(I)
 COSY=COS (GNU)
 SINY=SIN(GNU)
 DO 4 K=1,KT
 DO 4 N=1,NT
 COSIKN=CUSY+COSKN(K,N)-SINY+SINKN(K,N)
 SINIKN=SINY+COSKN(K,N)+COSY+SINKN(K,N)
 DO 4 J=1,JT
 00 4 M=1, MAX
 IF(GT(M,L).EQ.0.0) GO TO 4
 BUG=SQRT(((EX-GLRZ (H)+GNU)++2+RVSQ(J)+RZSQ(H)-RZRV2(H,J)+ CJSIKN)
1 * + 3)
 BUG=WEIGHT (I) *GT (M, L) /BUG
 EXGNU = (EX-GLRZ (M)+GNU)+RZ(M)
 U(N, J, 1) = U(N, J, 1) + (RZSQ(M) -RZRV(M, J) +COSIKN) +BUG
 U(N,J,2)=U(N,J,2)+(PZLAM(H)*SINIKN+EXGNU*COSIKN)*BUG
 U(N,J,3)=U(N,J,3)+(RVLAM(M,J)-RZLAM(M)+COSIKN+EXGNU*SINIKN)+BUG
 CONTINUE
 CONTINUE
```

\*

٠,٠

ぜかな

大学 ないない

4

RETURN FN1

C

```
*** SUMOUT *** FPY-7 FIELD POINT VELOCITIES AUG 28,1969
     SUBROUTINE SUMOUT(X,R,T,U,S,NT,J,REHARK,KODE,A,B,C,CN)
     DIMENSION T (24,2), U(24,11,3), S (24,11,3), REHARK (18), SN (4,3)
     DIMENSION CN(4,3)
     GO TO (1,2,3,4,5), KODF
   1 GO TO 21
   2 GO TO 28
   3 GO TO 20
   4 GO TO 20
   5 CONTINUE
  28 DO 12 I=1,3
     L=J+I-1
     CALL HARMAN (UE1, J, I), T, CN(1, I), SN(1, I), NT, L)
12
     SP=A+(B+SN(1,1)+R+SN(1,3))
     CP=A*(B*CN(2,1)+R*CN(2,3))
     PH=SQRT (SP##2+CP##2)
     IF (ABS (SP) -0.00001) 13,10,14
     PT=90.0*(1.0-SIGN(1.0,CP))/C
13
     GO TO 15
     IF(ABS(CP)-0.00001) 16,15,17
14
     PT=90.0*(2.0-SIGN(1.0,SP))/C
16
     GO TO 15
     PT=(90.0-ATAN(CP/SF)/.17453293E-01)/C
17
             18,18,15
     IF(SP)
     PT=PT+180.0/C
  15 CONTINUE
     GO TO (9,8,8,8,9),KODE
     DO 7 N=1,NT
ð
            K=1,3
      20 7
      S(N, J, K) = S(N, J, K) + U(N, J, K)
      CONTINUE
9
      RETURN
      ۴N٦
```

```
FPV-7 FIELD POINT VELOCITIES AUG 20,1969
      *** COMAP ***
C
      FUNCTION COMAP(TEMP,RH)
      IF(TEMP-.999) 1,1,2
      COMAP=3.1415926
 2
      GO TO 19
      CN=(1.0+FH-2.0*TEMP)/(1.0~RH)
      IF(ABS(CN)-.00001) 17,17,18
   17 COMAP=1.5707963
      GO TO 19
   14 CTN=SQRT (1.0-CN++2) /CN
      COMAP=ATAN(CTN)
      IF(CTN) 20,19,19
      COMAP=CCMAP+3.1415926
 50
   19 RETURN
              *** COMAP ***
```

ENU OF

END

C

```
C
      *** FILLIN *** FPV-7 FIELD POINT VELOCITIES AUG 20,1969
C
      FIND'S Y(X) FROM TABLE OF
C
      AB(N) AND OR(N) CONTAINING NO POINTS.
      FUNCTION FILLINGX, AB, QOGOFL, NO)
      DIMENSION AB(3), QOOOFL(3)
C
      DIMENSION A8(3), OR(3)
      ANTRA (0901FL, Q002FL, Q003FL, Q004FL, Q005FL, Q006FL, Q007FL) = Q005FL*(Q0
     194FL-Q082FL)*(Q804FL-Q883FL)/((Q801FL-Q802FL)*(Q801FL-Q883FL))+ Q9
     206FL+(Q904FL-Q001FL)+(Q004FL-Q003FL)/((Q002FL-Q001FL)+(Q002FL-Q003
     3FL))+Q067FL+(Q064FL-Q001FL)+(Q004FL-Q002FL)/((Q603FL-Q001FL)+ (Q00
     43FL-Q002FL))
      IF(X-A8(1))
                    1,3,2
      Y=000 8FL(1)
      60 TO 99
      Y=ANTRA (AB(1),AB(2),AB(3),X,2000FL(1),Q000FL(2),Q000FL(3))
      GO TO 99
   2
      IF(X-AP(2))1,6,5
      Y=0000FL(2)
      GO TO 99
      00 7 I=3,NO
      H=I
      IF(X-AB(I))8,9,7
      Y=7000FL'I)
      GO TO 99
      CONTINUE
      Y=ANTRA (AB(H-?), AB(H-1), AB(H); X,QOOOFL(M-2),QOOOFL(H-1),QOOOFL(H))
 99
      FILLIN=Y
      RETURN
      END
```

C \*\*\* HARMAN \*\*\* FPV-7 FIELD POINT VELOCITIES AUG 20,1969 SUBROUTINE HARMAN(X,T,A,B,NT,JUMP) DIMENSION C(24,3), S(24,3), T(24), A(4), B(4), X(24) IF(JUMP) 2,1,2 D=NT 1 DO 3 N=1,NT ANGL=FLCAT (N-1) + 360.0/D 003 K=1,3E=FLOAT (K) \*ANGL \* . 17453293E-01 C(N,K)=2.0\*COS(E)/D S(N,K)=2.0\*SIN(E)/D 90 4 K=1,4 2 A(K) = 0.0 B(K) = 0.0 DO 5 N=1,NT A(1) = A(1) + X(N)D05 K=1,3A(K+1) = A(K+1) + X(N) + C(N-K)5 B(K) = B(K) + X(N) + S(N,K)A(1) = A(1)/DRETURN END

```
HATRIX INVERSION WITH ACCOMPANYING SOLUTION OF LINEAR EQUATIONS
                       S GOOD DAVID TAYLOR HODEL BASIN
      NOVEMBER 1692
C
C
      SUBROUTINE HATINY(A, N1, B, H1, DETERM, 10)
C
      GENERAL FORM OF DIMENSION STATEMENT
C
                    A( , ),8( , ),INDEX(
      DIMENSION
C
C
      DIMENSION A (42,42),8(42,2),INDEX(42,3)
      EQUIVALENCE (IROH, JROH), (ICOLUH, JCOLUH), (AHAX, T, SHAP)
C
      INITIALIZATION
C
C
       H=H1
       N=N1
    10 DETERM=1.0
    15 00 20 J=1,N
    20 INDEX (J,3) = 0
    30 00 550 I=1,N
C
       SEARCH FOR PIVET ELEMENT
C
    40 A4AX=0.0
    45 DO 185 J=1,N
       IF (INDEX (J, 3)-1) 60, 105, 60
    60 no 100 K=1,N
       IF(INDEX(K,3)-1) 50, 100, 715
                 AMAX -ABS (A(J,K))) 85, 100, 100
    89 IF (
    85 IRON=J
    90 ICOLUH=K
          AMAX = ABS (A(J,K))
   100 CONTINUE
   105 CONTINUE
        INDEX (ICOLUM, 3) = INDEX (ICOLUM, 3) +1
   260 INDEX (T,1)=IROW
    270 INDEX (I,2) = ICOLUM
        INTERCHANGE ROWS TO PUT PIVOT ELEMENT ON DIAGONAL
 C
    130 IF (IRCH-ICOLUM) 140, 310, 140
    140 DETERM=-DETERM
    150 DO 200 L=1,N
    160 SHAP=A(IROW,L)
    170 A(IROW,L) = A(ICOLUM,L)
    200 A(ICOLUM,L)=SWAP
        IF(M) 310, 310, 210
    210 00 250 L=1, M
    220 SHAP=B(IROW,L)
    230 B(IROH,L)=B(ICOLUH,L)
    250 B(ICOLUN, L) =SHAP
  C
        DIVIDE PIVOT RON BY PIVOT ELEMENT
  C
  C
                 =A(ICOLUM, ICOLUM)
        PIVOT
   310
        DETERM=DETERM*PIVOT
    330 A(ICOLUM, ICOLUM) =1.7
    340 00 350 L=1,N
```

```
350 A(ICOLUH, L) = A(ICOLUH, L) .PIVOT
  355 IF(M) 380, 380, 360
  360 DO 370 L=1,H
  370 B(ICOLUM,L)=B(ICOLUM,L)/PIVOT
C
C
      REDUCE NON-PIVOT ROWS
C
  380 00 550 L1=1,N
  390 IF(L1-ICOLUM) 400, 550, 400
  400 T=A(L1, ICOLUM)
  420 A(L1, ICOLUM) = 0.0
  430 DO 450 L=1,N
  450 A(L1, L) = A(L1, L) ~ A(ICOLUM, L) * T
  455 IF(H) 550, 550, 460
  460 DO 500 L=1,H
  500 B(L1,L)=B(L1,L)-8(ICOLUM,L)+T
  550 CONTINUE
C
      INTERCHANGE COLUMNS
  600 00 710 I=1,N
  610 L=N+1-I
  620 IF (INDEX(L,1)-INDEX(L,2)) 630, 710, 630
  630 JROH= INDEX(L,1)
  640 JCOLUM=INDEX(L,2)
  650 DO 705 K=1,N
  669 SWAP= A(K, JROW)
  670 A(K, JROW) = A(K, JCCLUM)
  709 A(K, JCOLUM) =SWAP
  705 CONTINUE
  719 CONTINUE
      00730 K = 1,N
      IF(INOEX(K,3) -1) 715,720,715
  720 CONTINUE
  739 CONTINUE
      ID =1
  749 PETURN
  715 IC =2
      GO TO 740
      FNI
```

65°3

```
SUBROUTINE OLD (BZ. IPO)
   DIMENSION AZZ(38,38)
   DIMENSION BZ(111)
   DIHENSTON CZ(108), TL(12), B(99), AP(9, 3), AQ(9, 9), AU(9, 9), AU(9, 9), AX(
  19,91, AY (9,9), QA(9,91,FT(9), CG(9,1)
   DIMENSION EA(9,8), FB(9,8), EC(9,8), ED(9,8), PA(8), PE(3,3), PG(3,3), PN
  1(3,1),PI(3,1),PF(3),XZ(9,9);HA(9,9),XA(9,9)
   DIHENSICH FLD(9), ALD(9), FDCT(9), ADCT(9), FDCP(9), ADCP(9), FDPT(9), AD
  1PT(9), FOHT(36), AGHT(36), FOMQ(36), ADMQ(36), FHTB(9), AMTD(9), FHQB(9),
  2AH08(9),FMX0(9),AMX0(9),FHY0(9),AMY0(9)
    COMMON /HRT/ JPR
   DIMENSION INDEX(3,3)
                                                           , AU
                    , TL
                              , 6
                                         AP
                                                   AQ
   COMMON CZ
                                                           , CG
                              , AY
                                         QA
                                                   FT
            AH
                      AX
   COMMON
                                         H3
                                                   CMP , WA, XA
                      BY
                                KO
   COHMON BO
   90 30 I=1.12
39 TL(I)=8Z(I+99)
   K9=1
 1 KOUNT=9
   KT=9
   C4P = 0.0
   CA = 0.0
   00 5
           I=1.9
    3(I+60) =8Z(I+61)
 5 B(I+90)=BZ(I+90)
    GO TO 5
 6 00 7
            I=1,9
    B(I+80) = 9Z(15)
 7 9(I+90)=8Z(15)
  8 DO 9
           I=1,14
  9 B(I)=8Z(I)
    00 10
           T=1,45
10 3(I+14)=EZ(I+18)
    B(60) = 22(15)
    00 11
           I=1,9
    B(I+60)=BZ(I+63)
 11 9(I+70)=BZ(I+72)
    0900FL=8(10)
     IF(JPP.NE.2) GO TO
                             100
    HRITE (6,12)
 12 FORMAT (1H1, 44X, 32HCONTRA-ROTATING PROPELLER DESIGN//)
    WRITE (6,13)KO
 13 FORMAT (110X, 5HPAGE I2)
    WRITE (6,14)
 14 FORMAT(55%, 10HINPUT DATA///)
    WRITE (6, 15) (BZ(I), I=1,81)
 15 FORMAT (6X,9F12.4)
    IF (8Z(15))17,16,17
 16 HRITE (6, 15) (BZ(I), I=82,99)
    K9=K0+1
100
 17 ECC=B(10)
    8(12) = . 95
    B(13) = 1.0
    B(14)=1.05
    PM=9(12)
    KK=0
    BI=3.0
```

```
BJ=0.0
      931=0.0
      BJ2=0.0
      J1=7
      RSL=B(7)/(3.1415927*8(4)*8(2))
      NZ1=8 (18)
      HZ2=B (11)
      90 380 KI=1,2
      IF(XI-2)201,202,202
201
      KJ=3
      GO TO 203
      KJ≆1
202
      CONTINUE
203
        70 208 KC=1,KJ
      ECC=NZ1
      8(10) =NZ1
      CALL SUB1
   19 DO 20 MO=1,9
         HA (HO, 1) = AH (MO, 1)
       XA(MO,1)=AX(MO,1)
   20 QA(MO,1)=CG(HO,1)
   21 K2=MB
       GO TO (25,22),K2
   22 N=3
       JP=9
   23 FORMAT(I1)
       K1=JP-N
       IF(K1)1,24,1
   24 GO TO *2
    25 DO 26J=1,9
       KK=4
       EA(J,KK)=AU(J,1)
       FB(J, KK) = AH(J, 1)
       FC(J,KK)=AX(J,1)
    26 ED(J, KK) = AY(J, 1)
       B(10)=NZ?
       CALL SUB1
       KK=5
       00 226 J=1,9
       EA(J,KK)=AU(J,1)
       EB(J, KK) = AH(J, 1)
       EC(J, KK) = AX(J, 1)
       ED(J, KK) = AY(J, 1)
 226
    57 CALL SUB2 (ECC, EB, EC, ED, HR, IPO)
       BZ(16)=HR
       PAT=PA(4)+(1.0-FT(9)) +*2+PA(8)
       00 58 I=1,9
       IF(I~1) 400,400,401
       IF(I-9) 402,400,402
 461
       FLD(I) = .0
 400
        AL7(I)=.0
        GO TO 403
        CONTINUE
 402
        FLO(I)=CZ(I+9)/8(I+60)
        FLD(I)=0(I+80)/FLD(I)
        ALD(1)=CZ(1+63)/B(1+70)
        ALD(I)=B(I+90)/ALD(I)
```

```
483
      CONTINUE
      FDCT(I) = (1.0-FLD(I) +CZ(I)) +CZ(I+18)
      ADCT(I)=(1.8-ALB(I)+GZ(I+54))+CZ(I+72)
      FDCP(I)=(1.0+FLD(I)/CZ(I)) +CZ(I+27)
      ADCF(I)=(1.0+ALD(I)/CZ(I+54))+CZ(I+81)
      FDPT(1) = R(1+28) = FDCT(1)
   58 ADPT(I)=P(I+32) *ADCT(1)
      FCT=SIMPUN(S(15),FDCT,9)
      ACT=SIMPUN(CZ(46), ADCT,9)
      FCP=SIMPUN(B(15) ,FDCP,9)
      ACP=SIMPUN(CZ(46), ADCP,9)
      FCPT=SIMPUN(8(15),FDPT,9)
      ACPT=SIMPUN(GZ(46),ADPT,9)
      FFE=FUPT/FCP
      AFE=ACPT/ACP
      FCOC=FCT/FCP
      ACOC=ACT/ACP
      TFCT=FCT+(1.0-FT(9))++2*ACT
      J1=J1+1
      K=J1+12
      B(12) = P(K)
      BY=TFCT
200
      PA(KC)=3Y
      IF(XI-2)234,67,67
204
      CONTINUE
      0031J=1,3
      PE(J, 1) = 1.0
   31 PG(J,1)=1.0
      00 32J=1,3
      PH(J, 1) =PA(J) ++2
      PE(J, 3) = PN(J, 1)
      PG(J,3) = PE(J,3)
      PE(J,2)=PA(J)
   32 PG(J, 2) =PE(J, 2)
      PI(1,1)=FH
      PI(2,1)=9(13)
      PI(3,1)=B(14)
      CALL MATINS(PE, 3, 3, PI, 1, 1, DETERM, ID, INDEX)
      IF(ID-1)33,35,33
   33 PRINT 34
      GO TO 82
   34 FORMAT(18H CTS1* IS SINGULAR)
   35 PK=8Q
      PL=PK##2
      PR=PI(1,1)+PK*PI(2,1)+PL*PI(3,1)
      IF(CA)37,36,37
   36 A4=PR
      CA=1.0
   37 B(12) =PR
   60 CMP=1.0
      00 61 I=1,9
      B(I+23)=BZ(I+27)
   61 B(I+60) =BZ(I+63)
   62 00 63 I=1,9
   63 B(I+50)=A4*B(I+50)
   64 CMP=1.0
      8(12)=1.
```

```
300
      CONTINUE
   67 TFCP =FCP+(1.0-FT(9)) **2*ACP
      TCTP = FCPT + (1.0-FT(9))**2*ACPT
      IFFE = ICTP/IFCP
      TCOC = TFCT/TFCP
      FNHT=8(8) +8(2) ++3+3,14159265+8(7) ++2/(16,8+8(10))
      ANMT=FNMT#8(10)/8(11)
      FNMQ=(R(8)+B(2)++2+B(7)++3)/(16.0+B(4)+B(10))
      ANMO=FNMO+8(10)/8(11)
      H=0
      DO 68 J=1,4
      00 68 7=1,9
      M=4+1
      K=J+2
      FOMT(M)=(8(I*14)-8(K+13))+FOCT(I)
      FOMO(M)=(B(I+14)-B(K+13))/B(I+14) *FDCP(I)
   68 ADMQ(M)=(CZ(I+45)-CZ(K+44))/CZ(I+45)+ADCP(I)
      DO 69 I=1,9
      FHT9(1)=0.0
      A4T9(I)=0.0
      F498(I)=0.0
   69 AMQB(I)=0.0
      F4T3(1)=SIMPUN(B(15),FDMT(1),9)
      A4TB(1) = SIHPUN(CZ(46), ADMT(1), 9)
      F408(1) = SIMPUN(8(15), FDHQ(1), 9)
      A4C3(1)=SIMPUN(CZ(46),ADMQ(1),9)
      F4T9(3) = SIMPUN(B(17), FGMT(12), 7)
      A4T3(3)=SIPPUN(CZ(46),ADHT(12),7)
      FH09(3)=SIMPUN(B(17),FOMO(12),7)
      AMOB(3) = SIMPUN(CZ(48), ADMQ(12),7)
      F4TB(5)=SIMPUN(8(19),FDMT(23),5)
      AMT8(5)=SIMPUN(CZ(50), ADMT(23),5)
      F408(5)=SIMPUN(B(19),FOMQ(23),5)
      AMCB(5) = SIMPUN(CZ(50), AEMQ(23), 5)
      F4T8(7)=SIMPUN(8(21),FDMT(34),3)
      AMTB(7) = SIMPUN(CZ(52), A (MT(34),3)
      FM08(7) = SIMPUN(B(21), FDM0(34), 3)
      AMCB(7) = SIMPUN(CZ(52), ADMO(34), 3)
      00 70 I=1,9
      FMT9(I)=FNHT*FMT8(I)
      AMT9(I)=ANMT#AMTB(I)
      FNQ8(I)=FNMQ*FMQ8(I)
   70 AHOS(I)=ANHQ*AHQE(I)
      99 71 I=1,9
      fmxo(1) = fmTB(1) * COS(CZ(1+35)) + fmQB(1) * SIN(CZ(1+36))
      AMXO(I) = AMTB(I) + COS(CZ(I+90)) + AMQB(I) + SIN(CZ(I+90))
      F4YO(I)=FMTB(I)+SIN(CZ(I+36))-FMQB(I)+COS(CZ(I+36))
   71 AMYO(I)=AMTB(I)+SIN(CZ(I+90))-AMQB(I)+COS(CZ(I+90))
       IF(JPR.NE.2) GO TO
                              91
      HRITE (6,12)
      WRITE (6,13)KO
      HRITE (6,72)
   72 FORMAT (52X, 14HFORE PROPELLER//)
      WRITE (6,73 ) FCT, FCP, FCFT, FFE, FCOC
   73 FORHAT (9H
                     CTS=1PE10.4,9H
                                        CPS=1PE10.4,9H
                                                             CTP=1PE10.4,9H
                                CTS/CPS=1PE10.4)
     1
            LF=1PE10.4,13H
```

3

```
WRITE (6,74)
74 FORMAT(1H )
   WRITE (6,74)
   MRITE (6,75)
75 FORMAT {17x,2HXI,8x,7HEPSILON,7X,3HMTB,9X,3HHQB,9X,3HHXG,9X,3HHYO,
  110X,1HM,9X,4HG(H)}
   WRITE (6,74)
91 K0=K0+1
    00 92 I=1,9
92 QA(1,1)=QA(1,1)/0000FL
    IF(JPR.NE.2) GG TO
   DO 76 I=1,9
76 WRITE (6,77 ) B(I+14), FLC(I), FMTB(I), FMQB(I), FMXO(I), FMYO(I), I,QA(I
  1:13
77 FORMAT(12X, 1P6E12. 4, 6X, I1, 5X, E12. 4)
   WRITE (6,74)
   HRITE (8,74)
   HRITE (6,74)
   MRITE (6,78)
78 FORMAT (53X,13HAFT PROPELLER//)
   WRITE (6,73 ) ACT, ACP, ACPT, AFE, ACOC
   WRITE (6,74)
   HRITE (6,75)
   HRITE (6,74)
94 DO 93 I=1,9
93 CG(I,1)=CG(I,1)/E(11)
                            25
    IF(JPR.NE.2) GO TO
   DO 79 I=1,9
79 HRITE (6,77 )CZ(1+45),ALD(1),AMTB(1),AMQB(1),AMXO(1),AMYO(1),I,CG(
  1I,1)
   WRITE (6,80)
30 FORMAT(1H /////)
   WRITE (6,81)
81 FORMAT (57X,5HTOTAL///)
   WRITE (6,73 ) TFCT, TFCP, TCTP, TFFE, TCOC
82 CONTINUE
   RETURN
    END
```

```
SUBROUTINE SUB1
  DIMENSION CZ(108), TL(12), 8(99), AP(9,9), AQ(9,9), AU(9,9), AH(9,9), AX(
 19,9), AY(9,9), QA(9,9), FT(9), CG(9,1)
  DIMENSION P(81), AH(10,9)
  DIMENSION AJ(9,9), AL(9), AO(9,9), AR(9,9), AS(9,9), AT(9,9), AV(9,9), AZ
 1(9,9),C(9),E(9),F(9),G(9),H(81),BA(9,9),BB(9,9),BC(9,9),BD(9,9),BE
 2(9,9),BF(9,9),BG(9,9),BH(9,9),WA(9,9),XA(9,9)
  DIMENSION CF(9,1), CH(9,9), CI(9,1)
  DIMENSION BK(9), BS(9), CD(10,9),Q(9),O(81)
  DIMENSION INDEX(9,3)
                                        AP
                                                 , AQ
                                                           , AU
  COMMON
          CZ
                             , 8
                   , TL
                             , AY
                                       g QA
                                                 , FT
                                                           , CG
                     AX
  COMMON
           AH
                   , BY
                             , KO
                                                  CMP
                                                        , HA, XA
  COHMON
           BQ
                                         M3 .
   C4=4.0
  00 4 I=1,9
  C(I) = ((1.0+B(15))-2.0+B(I+14))/(1.0+B(15))
   AH(2, I) = C(I)
   Cr=C(I) ++2
   A3C=(1.0-CE)
   IF (ABC) 1,2,3
 1 A3C=-A8C
   GO TO 3
 2 ABC=. 0001
 3 C7(2, I) = SQRT (ABC)
   AH(1, I) =1.0
 4 CD(1, I)=0.0
   AH(2,1)=1.0
   A4(2,9)=-1.0
   CO(2,1)=0.0
   CD (2, 9) =0.0
   00 5 J=3/10
   L= J-1
   70 5 K=1,9
   AH(J,K) = (AH(L,K) + AH(2,K)) - (CD(L,K) + CD(2,K))
 5 CO(J, K) = (CO(L, K) *AH(2, K)) + (AH(L, K) *CO(2, K))
   00 6 I=2,8
 6 E(I) = 3.1415927/CD(2,I)
   RSL=B(7)/(3.1415927+R(4)+B(2))
   IF (9(51)-0.0) 9,7,9
 7 00 8 J=1,9
 8 B(J+50) = RSL/(B(J+14)*B(5)) *SQRT(B(9)*B(J+23))
 9 DO 10 J=1,9
1C F(J)=B(12)+B(J+50)
11 00 12 J=1,9
12 G(J) = 1.0/F(J)
   90 13 I=1,9
   JN0=I-1
   00 13 J=1,9
   K=94 JNO+J
13 H(K)=B(I+14)/B(J+14)*G(J)
   DO 14 J=1,9
14 Q(J)=ATAN(F(J))
   DO 25 N=1,9
   KN0=N-1
   LNO=N-1
   MN0=N-1
```

65.

```
DO 25 I=1,9
   I+OMM*P=L
   IF(H(J)-G(I)) 16,15,16
15 K=9*KNO+I
   L=9*LNO+I
   O(K) = COS (Q(I))
   P(L)=SIN(Q(I))
   GO TO 25
16 S=1.0+H(J)**2
   T=SQRT(S)
   V=1.0+G(I) **2
   W=SORT(W)
   AE=T-W
   U=FXP (AE)
   R=(((T-1.0)/H(J)+(G(I)/(W-1.0)))+U)++B(10)
   AC=1.5
   AD=+25
   X=(1.0/(2.0+8(10)+G(I)))+((V/S)++AD)
   Y=((9.0+G(I)++2)+2.0)/(V++AC)+((3.0+H(J)++2-2.0)/(S++AC))
   Z=1.0/(24.0+8(10))+Y
   IF(H(J)-G(I)) 21,21,17
17 AF=1.0+1.0/(R-1.0)
   IF(AF)18,19,20
18 AF=-AF
   GO TO 23
19 AF=.0001
20 AA=X+(1.0/(R-1.0)-Z+ALOG(AF))
   K=9*KNO+I
   L=9*LNO+I
   O(K)=2.4+B(10)++2+G(I)+H(J)+(1.0-G(I)/H(J))+AA
   P(L) = B(10) + (1.n - G(I) / H(J)) + (1.0 + 2.0 + 3(10) + G(I) + AA)
   GO TO 25
21 AG=1.0+1.0/(1.0/R-1.0)
   IF (AG) 22, 23, 24
22 AG=-AG
   GO TO 24
23 AG=. 0011
24 A3=-X+(1.0/(1.0/R-1.0)+Z+ALOG(AG))
   K=9*KNO+I
   L=9*LNC+I
   O(K) = B(10) + G(I) + (1.0 - H(J) / G(I)) + (1.0 - 2.0 + B(10) + G(I) + AB)
   P(L)=2.0+B(10) ++2+G(I)+(1.0-G(I)/H(J))+AB
25 CONTINUE
   DO 26 I=1,9
   IMO=I-1
   00 26 L=1,9
   K=9FIHO+L
26 AP(L, I) =0(K)
   00 27 I=1,9
   J40=I-1
   DO 27 L=1.9
   K=9*JM0+L
27 AQ(L, I)=P(K)
   DO 28 I=1,9
   DO 28 L=1,9
28 AJ(L,I)=AH(I,L)
   00 29 I=1,9
```

```
DO 29 L=1,9
29 A0(L, I) = AH(I, L)
   CALL HATINS (AJ, 9, 9, AP, 9, 9, DETERM, IO, INDEX)
   IF(ID-1)30,32,30
30 PRINT 31
   GO TO 119
31 FORMAT (26H I(A) IS SINGULAR FOR Z(F))
32 CALL MATINS (AO, 9, 9, AO, 9, 9, OETERM, ID, INDEX)
   IF(ID-1)33,35,33
33 PRINT 34
   GO TO 110
34 FORMAT (25H I(T) IS SINGULAR OF Z(F))
35 AS(1,1)=AP(1,1)+AP(2,1)
   DO 36 J=2,8
3E AS(J,1) = AS(J-1,1) + AP(J+1,1)
    AS(9,1) = AS(8,1)
   00 37 L=1,9
37 AH(L, 1) = FLOAT(L) *AS(L, 1)
    00 38 L=2,9
    K=L-1
38 AU(K, 1) = AP(L, 1) * FLOAT(K)
    AU(9,1)=0.0
    AV(9, 1) = 0.0
    DO 39 L=2,9
    J=19-L
39 \Delta V(J, 1) = \Delta V(J+1, 1) + \Delta U(J+1, 1)
    00 40 L=1,9
40 AZ(L,1)=(AH(L:1)+AV(L,1))+3.1415927
    00 41 I=2,8
    D7 41 L=2,9
    K≈L-1
41 AR(K, I) = AP(L, I) + AH(L, I)
    DO 43 I=2,8
    AS(1, I) = AP(1, I) + AH(1, I) + AR(1, I)
    90 42 J=2,9
    K=J-1
42 AS(J, I) #AS(K, I) +AR(J, I)
43 AS(9, I) = AS(8, I)
    D9 44 I=2,8
    DO 44 L=1,9
    J=L+1
 44 AH(L, I)=CD(J, I) +AS(L, I)
    00 46 I=2,8
    00 45 L=2,9
    K=L-1
 45 AU(K, I) = AP(L, I) + CD(L, I)
 46 AU(9, I) = 0.0
    DO 47 I=2,8
    AV(9, I)=0.0
    DO 47 L=2,9
    J=19-L
 47 AV(J, I) = AV(J+1, I) + AU(J+1, I)
    00 48 I=2,8
    00 48 L=1,9
    J=L+1
 48 AX(L, I) = AH(J, I) * AV(L, I)
    DO 49 I=2,8
```

**E** 

44.0

```
DO 49 L=1,9
49 AZ(L,I)=(AH(L,I)+AX(L,Y))+F(I)
   DO 50 L=1,4
   J=2*L
50 AP(J,9)=-1.0*AP(J,9)
   AR(1,9) = AP(1,9) + AP(2,9)
   00 51 L=2,6
51 AR(L,9)=AR(L-1,9)+AP(L+1,9)
   AR(9,9) = AR(8,9)
   00 52 L=1,9
52 AS(L,9)=FLOAT(L)+AR(L,9)
   00 53 L=2,9
   K=L-1
53 AU(K, 9) = FLOAT(K) *AP(L, 9)
   AU(9,9)=0.0
   AV(9,9)=0.0
   DO 54 L=2,9
   J=10-L
54 \text{ AV}(J,9) = \text{AV}(J+1,9) + \text{AU}(J+1,9)
   DO 55 L=1,9
55 AZ(L,9)=(AS(L,9)+AV(L,9))+3.1415927
   00 56
         L=1,4
   J=2*L
56 AZ(J,9)=-1.0+AZ(J,9)
   9A(1,1) = AQ(1,1) + AQ(2,1)
   00 57 J=2,8
57 BA(J,1)=BA(J-1,1)+AQ(J+1,1)
   BA(9,1)=BA(8,1)
   DO 58 L=1,9
58 99(L, 1) = FLOAT(L) * BA(L, 1)
   DO 59
          £=2,9
   K=L-1
59 BC(K,1)=AQ(L,1)*FLOAT(K)
   9C(9,1)=0.0
   80 (9,1)=0.0
   00 60 L=2,9
   J=19-L
60 BD(J,1)=BD(J+1,1)+BC(J+1,1)
   00 61 L=1,9
51 BH(L,1)=(88(L,1)+80(L,1))+3.1415927
   DO 62 I=2,8
   DO 62 L=2,9
   K=L-1
62 BA(K,I)=AQ(L,I)+AH(L,I)
   50 64
          1=2,8
   B8(1,1)=AQ(1,1)+AH(1,1)+BA(1,1)
   DO 63
           J=2,9
   K=J-1
63 BB(J, I)=BB(K, I)+BA(J, I)
64 BB(9,I) = BB(8,I)
   00 65
          I=2,8
   00 65
          L=1,9
   ジ=L+1
65 BC(L, I) = CO(J, I) *BB(L, I)
   00 67
          I=2,8
   DO 66
          L=2,9
   K=L-1
```

. . .

```
66 SD(X, I) = AQ(L, I) * CD(L, I)
67 BD (9, I) =0.0
   00 68
          I=2.8
   8E (9. I) = 0.0
   83 00
          L=2.9
   J=10-L
68 8E(J, I) = BE(J+1, I) + BD(J+ 5, I)
   00 69
          I=2,8
   00 69
          L=1,9
   J=L+1
69 BF(L, I) = AH(J, I) + BE(L, I)
   00 70
          I=2.6
   00 70
          L=1,9
70 BH(L, I) = (BC(L, I) +8F(L, I)) *E(I)
   00 71
          £=1.4
   J=2*L
71 A0(J,9)=-1.0*AQ(J,9)
   BA(1,9) = AG(1,9) + AO(2,9)
   DO 72 L=2,8
72 B4(L,9)=BA(L-1,9)+AQ(L+1,9)
   BA(9,9)=6A(8,9)
   00 73 L=1,9
73 89(L,9)=FLOAT(L) *BA(L,9)
   00 74 L=2,9
   K=L-1
74 BC(K, 9) = FLOAT(K) *AO(L, 9)
   BC(9,9)=0.0
   30 (9, 9) =0.0
   DO 75 L=2,9
   J=10-L
75 30(J,9)=BD(J+1,9)+BC(J+1,9)
   00 76 L=1,9
76 BH(L,9)=(BB(L,9)+BD(L,9))+3.1415927
   NO 77
          L=1,4
   J=2*L
77 8H(J,9)=-1.0*9H(J,9)
   T=3.0
   no 78 J=1.9
75 CF(J_1) = (B(J+23) - (B(J+14)/RSL\Phi F(J))) + (1.0-B(15))
   DO 79 J≈1,9
79 H(J)=CF(J,1)+RSL/((1.0-B(15))+B(J+14))-F(J)
   DO 80 M=1,9
   00 80 I=1,9
85 AT(I, 4)=(H(I)*8H(M, I)-AZ(M, I))*(FLOAT(M)/8(10))
81 DO 82 J=1,9
82 Q(J) = (G(J) + H(J)) / B(J + 14) * ((1.0 - B(15)) / 2.0)
   DO 83
           J=1,9
83 CG(J,1)=CF(J,1)
   DO 84 M=1,9
   L=M+1
   DO 84 I=1,9
84 AP(I, H) = CD(L, I) + O(I)
   00 85 I=1,9
   DO 85 J=1,9
85 AQ(J,I) = AT(J,I) - AP(J,I)
   DO 56
           J=1,9
   DO 86
           K=1,9
```

**!** 

```
SE CH(K, J) = AQ(K, J)
      CALL MATINS (AQ, 9, 9, CG, 1, 1, DETERM, ID, INDEX)
      IF(ID-1)87,89,87
  87 PRINT 68
      GO TO 110
  88 FORMAT (27H G(MX) IS SINGULAR FOR Z(F))
  89 DO 91 J=1,9
      SUMUA = 0.0
      SUMAU=0.0
      00 98 L=1,9
      SUMUA=SUMUA+FLOAT(L)+CG(L,1)+AZ(L,J)
  90 SUMAU=SUMAU+FLOAT(L)*CG(L,1)*BH(L,J)
   91 AU(J, 1)=SUMUA/SUMAU
      5=.905
      DO 94 J=1,9
      CI(J, 1) = AU(J, 1) - G(J)
      IF(CI(J,1))92,93,93
   92 CI(J,1) =-1.0°CI(J,1)
   93 BW=S-CI(J,1)
      IF(BH)95,94,94
   94 CONTINUE
      GO TO 181
   95 T=T-1.0
      IF(T) 98,96,96
   96 00 97 J=1,9
   97 G(J) = AU(J, 1)
      GO TO 41
98
      CONTINUE
      FORMAT (9F12.4)
200
   99 FORMAT (20H TOO MANY ITERATIONS)
  100 FORMAT (12A6)
  101 00 103 J=1,9
      SUMUT = 0 . 0
      DO 102 K=1,9
  102 SUNUT=SUMUT+FLOAT(K)*CG(K,1)*BH(K,J)
  103 AW(J,1)=SUMUT/(8(10)+(1,0-8(15)))
      DO 105 J=1,9
      SUMUA = 0 . 0
      00 104 K=1,9
  104 SUMUA = SUMUA+FLOAT(K) +CG(K, 1) +AZ(K, J)
  105 AX(J, 1)=SUMUA/(B(10)+(1.0-B(15)))
      DO 107 J=1,9
      SUMG= 0.0
      00 106 K=1.9
      L=K+1
  106 SUMG=SUNG+CG(K,1)*CD(L,J)
  107 AY (J, 1) = SUMG
      AY(1,1)=0.0
      AY (9, 1) = 0.0
      00 108 I=1,9
      80=AY (1,1) ++2/(2.0+8(1+14))
      BY=B(I+14)/RSL
  108 BK(I)=((BV-AH(I,1))*AY(I,1)+30)*8.0
      BL=SIMPUN(B(15), BK(1),9)
       BY=9L
      BM=8(2) ## 2
       BP=8(7)**2
```

٠,٠

6.

```
SUBROUTINE SUB2(CC, FB, FC, FD, HR, IPO)
  DIMENSION CZ(108), TL(12), B(99), AP(9,9), AQ(9,9), AU(9,9), AH(9,9), AX(
 19,9), AY(9,9), OA(9,9), FT(9), CG(9,1)
  DIHENSIGN TABX(9), TABY(4), FB(9,8), FC(9,8), FD(9,8), FU(9), FV(9), FW(9
 1), HA (9, 9), XA (9, 9)
  DIMENSION FE(9), FF(9), F1(9), FP(9), FQ(9), FR(9), FS(9)
   DIMENSION FX(9), FY(9), GA(9), GB(9), GC(9), GD(9), GF(9), GG(9), GH(9), HV
  1 (9),GI(9),GK(9),GL(9),GH(9),GN(9),HE(9),HK(9),HL(9),HP(9),HQ(9),HS
    COMMON /WRT/ JPR
   DIMFNSION HE1(9),GC1(9)
                   , TL
                                         AP
                                                             AU
           CZ
                                В
                                                   AQ
   COMMON
                                                           , CG
                                                   FT
   COMMON
           AH
                   , AX
                               AY
                                         QA
                   . BY
           80
                             . KO
                                         M9
                                                 . CMP
                                                        , HA, XA
   HONHOS
 1 RSL=8(7)/(3.1415927+8(4)+8(2))
 2 GU=3.0
   00 4
         J=1,9
 4 FE(J) =FD(J,4)/(2.0+8(J+14)+FB(J,4))
         J=1,9
   00 6
 6 FF(J)=FD(J,8)/(2.0*B(J+14)*F8(J,8))
   FI=0.0
   FJ=0.0
   FK=1.0
 7 00 12 J=1,9
 9 FG=FC(J,4)*FE(J)
 9 FH=FC(J,8)*FF(J)
10 FL=(FH*(1.0-B(J+41)))*F*
12 F4(J) = B(J+23) + FG+FL
   DO 16 J=1.9
13 FN=FK+FC(J,8)+FF(J)
14 FO=FC (J, 4) *FE(J) *(1.0+B(J+41))
16 FP(J) = B(J+32) +FN+FO
   DO 18 J=2,9
15 FQ(J) = 1.0 - (FM(J) / FP(J))
   F9(1) = 0.0
19 GO=(B(16)-B(15))/2.0
   FR(1) = 0.0
   00 ?1 J=2,9
   GO=(B(J+14)-B(J+13))/2.0
21 FR(J) = (FQ(J-1) + FQ(J)) + B(J+14) + GQ
   FS(1) = 0.0
   00 23 J=2,9
23 FS(J) = FS(J-1) + FR(J)
   FT(1) = 0.0
   DO 25 J=2.9
25 FT(J)=FS(J)/(B(J+14)++2)
   GV=0.0
   DO 27 J=2,9
27 GV=GV+FT(J)
   FI=GV/9.0
28 FK=(1.0+FI)*(1.0+FJ)
   DO 30 J=1,9
30 FU(J) = FX+FC(J, 0) +FF(J) +(1.0-B(J+41))
   D0 32 J=1,9
32 FV(J) =B(J+23)+FC(J,4)+FU(J)
   00 34 J=1,9
```

```
GQ=FK+FC(J,8)
   GR=FC (J,4) *FE (J) * (1.0+B(J+41))
34 FH(J) =8 (J+32) +GQ+GR
   00 37 J=1.9
35 GS=FH(J)/FP(J)
37 FX(J) = (FV(J)/(F%(J)+GS))-1.0
   GT=0.0
   DO 39 J=1,9
39 GT=GT+FX(J)
   FJ=GT/9.0
   GU=GU-1.0
40 IF (GU) 42,41,41
41 FK=(1.0+FI) =(1.8+FJ)
   GO TO 7
42 DO 46 J=1.9
47 FY(J)=9(J+14)/RSL
44 F7=FV(J)-FC(J,4)
46 GA(J)=F2/FY(J)
   00 48 J=1,9
48 GB(J) = FV(J)/(FY(J) - FB(J,4))
   00 50 J=1,9
49 GC(J) = ATAN(GB(J))
50 GC1(J) = ATAN(GB(J)) *57.2957795
   00 53 J=1,9
51 H9=2.0 *3.1415927/CC
53 GD(J)=HO*(FD(J,4)/FV(J))*SIN(GC(J))
   DO 55 J=1,9
55 GF(J)=F0(J,4)/CC
   99 60 J=1,9
56 GH=(FV(J)/SIN(GC(J))) **2
57 GY=2.0*CC/3.1415927
58 GG(J) = GY+GD(J) +GH+COS(GC(J))
69 GH(J)=GY/RSL*GD(J)*GH*SIN(GC(J))*B(J+14)
   90 64 J=1,9
61 HU=9(3)-(8(J+14)*8(2)/2.0)
62 HW=(SIN(GC(J))/(9(7)*FV(J)))**2
64 HV(J)=64.31+HU+HH
   00 66 J=1,9
66 GI(J)=((1.0-FT(J))/(1.0-FT(9)))*8(J+14)
   00 58 J=1,9
65 GK(J)=GI(J)*(1.0-FT(9))/RSL
         J=1,9
   DO 72
69 GL(J) =2.0*FB(J,4)*FE(J)*(1.0+FT(J))
70 GZ=R(J+32)+FC(J,4)*FE(J)*(1.0+B(J+41))
72 G4(J)=GZ/(GK(J)+GL(J))
   DO 74 J=1,9
74 GN(J) = FH(J)/(GK(J) - FK4F8(J,8) + GL(J))
   no 76 J=1,9
75 HE(J) = ATAN(GN(J))
76 HE1(J) = ATAN(GN(J)) +57.2957795 **
   00 81 J=1,9
77 HF=2.0+3.1415927/B(11)
78 HI=FD(J,8)/FW(J)
79 HJ=(1.0+FX(J))/(1.0-FT(9))
81 HK(J) =HF+HI+HJ+SIN(HE(J))
   DO 84 J=1,9
82 HM=8(11) +B(J+32) +(1.0-FT(9))
```

٠,٠

```
84 HL(J) = (FD(J,8) + (1.04FX(J)))/HH+B(J+32)
   00 85 J=1,9
   HN=2.0+8(11)/3.1415927
   HO=(FH(J)/SIN(HE(J)))442
   HP(J)=HN+HK(J)+HO+COS(HE(J))
85 HQ(J)=HN/RSL*HK(J)*HO*SIN(HE(J))*GI(J)*(1.0-FT(9))
66 HR=(1.0-FT(9))*8(2)
   00 90 J=1,9
87 HT=8(3)-GI(J)*HR/2.0
88 HW=(SIN(HE(J))/(B(7)*FH(J))***2
   CTSIF=SIMPUN(B(15),GG,9)
   CPSIF=SIMPUN(B(15),GH,9)
   CTSIA=SIMPUN(GI, HP, 9)
   CPSIA=SIMPUN(GI, HQ, 9)
   B(80) = CTSIF+(1.0-FT(9)) ++2+GTSIA
95 HS(J)=64.31*HT*HH
     IF(JPR.NE.2) GO TO
                            120
   IF (CMP) 107, 107, 91
91 WRITE (6,92)
92 FORMAT (1H1)
   HRITE (6, 93)TL
93 FORMAT (22A6)
   WRITE (6, 94)KO
94 FORMAT (110x, 5HPAGE I2)
   WRITE (6, 951HR
                                                                      D-A
95 FORMAT (60H
        1PE12.4)
   HRITE (6, 96) FI
                                                                    DELTA
96 FORMAT (60H
  184R 1PE12.4)
   HRITE (6, 97) FT(9)
                                                                  DELTA X
97 FORMAT (60H
  10F 11PE12.4)
   WRITE (6, 98) FJ
                                                                     ZETA
98 FORMAT (60H
  184R 1PE12.4)
    WRITE (6, 99)
    WRITE (6, 99)
99 FORMAT (5HO
    WRITE (6, 100)
100 FORMAT (53X, 13HFWD FROPELLER//)
    WRITE (6, 101) B(70), CTSIF, CPSIF
                                                       CPSI=1PE10.41
                                  CTSI=1PE10.4,8H
101 FORMAT (8H
                    K=1PE10.4,8H
    WRITE (6, 99)
    WRITE (6,102)
102 FORMAT (5X,4HX(F),5X,10HTAN BETA-I,3X,8HTAN BETA,5X,5HCLL/D,8X,4HG(
   15),6x,6HUT/2VS,6X,6HUA/2VS,7X,5HDCTSI,7X,5HDCPSI,6X,7HSIGMA X//)
    00\ 103J=1,9
103 WRITE (6,104) B(J+14), GB(J), GA(J), GD(J), GF(J), FB(J,4), FC(J,4), GG(J)
   1,GH(J),HV(J)
104 FORMAT(10(1PE12.4))
    WRITE (6, 99)
    WRITE (6, 99)
    WRITE (6, 105)
    WRITE (6, 101) CZ (100), CTSIA, CPSIA
    WRITE (6, 99)
105 FORMAT (53X, 13HAFT PROPELLER//)
```

```
WRITE (6,102)
      DO 106 J=1,9
106
      WRITE (6,104)GI(J),GN(J),GH(J),HK(J),HL(J),FB(J,8),FC(J,8),HP(J),H
     10(J), HS(J)
  120 KO=KO+1
  107 00 1081=1,9
      CZ(I) =GB(I)
      CZ(I+9)=GD(I)
      CZ(I+18) = GG(I)
      CZ(I+27)=GH(I)
      CZ(I+36)=GC1(I)
      CZ(I+45)=GI(I)
      CZ(I+54)=GN(I)
      CZ(I+63)=HK(I)
      CZ(I+72)=HP(I)
      CZ(I+81)=HO(I)
  195 CZ(I+90)=HE1(I)
      DO 109I=1.9
      TA3X(I)=B(I+14)
  109 TABY(I)=8(I+70)
      0º 110I=1,9
      X=GI(I)
      CALL DISCOT (X,X,TAPX,TABY,TABY,30,9,0,Y)
  110 B(I+70)=Y
      GO TO 111
  111 RETURN
       END
```

(%)

717

をからいというないのではないというというないのできない。

```
SUBROUTINE MATINS (A, NR, N1, B, NC, M1, DETERH, ID, INDEX)
      EQUIVALENCE (IROH, JROH), (ICOLUM, JCOLUM), (AMRX, T, SHAP)
                             DIMENSION A(NR, NR), B(NR, NC),
                                                                INDEX (NR, 3)
C
       INITIALIZATION
C
       N=N1
      M=Mi
       DETERM = 1.0
       00 20 J=1,N
   20 \text{ INDEX}(J_*3) = 0
       00 550 I=i,N
C
      SEARCH FOR PIVOT ELEMENT
      AMAX = Q.G
      DO 105 J=1,N
      IF(INDFX(J,3)-1) 60, 105, 60
   60 DO 190 K=1,N
      IF(INDEX(K,3)-1) 80, 100, 715
   89 IF (
                AHAX -ABS (A(J,K))) 65, 100, 100
   85 IROW=J
      ICOLUH =K
      AMAX = A3S (A(J,K))
      CONTINUE
 100
 105
      CONTINUE
      INDEX(ICOLUM, 3) = INDFX(ICOLUM, 3) +1
      INDEX (I,1) = IROW
      INDEX (T.2) = ICOLUM
C
C
      INTERCHANGE ROWS TO PUT PIVOT ELEMENT ON DIAGONAL
C
      IF (IRON-ICOLUM) 140, 310, 140
  140 DETERM=-DETERM
      DO 200 L=1,N
      SWAP=A(IROW,L)
      A(IROW, L) = A(ICOLUM, L)
  200 A(ICOLUM, L) = SHAP
      IF(M) 310, 310, 210
  210 00 250 L=1. M
      SHAP=8(IROW,L)
      B(IROW,L)=B(ICOLUM,L)
  250 B(ICOLUN,L)=SHAP
C
C
      DIVIDE PLYOT ROW BY PIVOT ELEMENT
  310 PIVOT
               =A(ICOLUM.ICOLUM)
      DETERM=DETERM*PIVOT
  330 A(ICOLUM, ICOLUM) = 1.0
      DO 350 L=1,N
  350 A(ICOLUM, L) = A(ICOLUM, L)/PIVOT
      IF(M) 380, 380, 360
  360 00 370 L=1,M
  370 B(ICOLUN, L) = B(ICOLUM, L)/PIVOT
C
      REDUCE NON-PIVOT ROWS
```

```
380 00 550 £1=1,N
      IF(L1-ICOLUM) 400, 550, 400
  409 T=A(L1, ICOLUM)
      A(L1, ICOLUM) = 8.0
      DO 450 L=1,N
  450 A(L1, L) = A(L1, L) - A(ICOLUM, L) = Y
      IF(M) 550, 550, 460
  469 90 500 L=1,H
  500 B(L1,L)=B(L1,L)-B(ICOLUP,L)*T
  550 CONTINUE
C
      INTERCHANGE COLUMNS
C
      00 710 I=1,N
      L=N+1-I
      IF (INDEX(L,1)-INDEX(L,2)) 630, 710, 630
  630 JROW=INDEX(L,1)
      JCOLUM=INDEX(L,2)
      00 705 K=1,N
      SHAP=A(K, JROW)
      A(K, JROW) = A(K, JCOLUM)
      A(K, JCOLUM) =SHAP
  705 CONTINUE
  710 CONTINUE
      00 730 K = 1,N
      IF(INDEX(K,3) -1) 715,720,715
 720
       CONTINUF
       CONTINUE
 730
       I3 = 1
      RETURN
 810
      ID = 2
 715
       GO TO 810
       END
```

りないとのないないのできれているというないのでは、

```
SUBROUTINE GHHAS (NP, NH, Y, R)
C
     GMHAS, A FORTRAN IV VERSION OF SHARE SUBROUTINE AN GMHAS,
Ç
      PROGRAPMED FOR ISM 360 CONVERSION.
C
C
     PROGRAPMER - M. GOLDEN, CODE 892, 8-20-68.
   ----- ALGORITHM --------
     FOR A SET OF Y(I) FOINTS (0.LE.I.LE.K-1), WHICH CORRESPOND TO A
     SFT OF EQUALLY SPACED X(I) POINTS, COMPUTE THE A(J), 9(J), C(J),
C
     AND PHI(J) TERMS OF THE FOLLOWING SERIES, WHERE H IS THE NUMBER
C
      OF HARMCHICS DESIRED.
C
C
             Н
C
      Y = A(0) + SUM(A(J) + COS(J + X) + B(J) + SIN(J + X))
C
C
        08
C
C
      Y=1(0)+SUM(C(J)*SIN(J*X+PHI(J)))
C
            J=1
C
     WHERE C(J) IS THE AMPLITUDE AND PHI(J) IS THE PHASE ANGLE OF THE
C
      JTH. HARMONIC. THE FUNCTION IS ASSUMED PERIODIC WITH Y(0)=Y(K).
  ----- ARGUMENT DEFINITION -----
     1. NP - THE NUMBER OF INPUT POINTS ( K ABOVE ).
     2. NH - THE NUMBER OF HARMONICS DESIRED ( H ABOVE ).
     3. Y - THE SET OF IMPUT POINTS DESCRIBED ABOVE.
     4. R - THE OUTPUT ARRAY, WHICH CONTAINS A(0),8(0),C(0),PHI(0),
      C(0)/C(MAX), A(1), ..., A(NH), B(NH), C(NH), PHI(NH), C(NH)/C(MAX).
C
C----- KESTFICTIONS
C
     1. P MUST BE DIMENSIONED AT LEAST 5*(NH+1)+2 IN THE CALLING
C
C
      PROGRAM.
     2. Y MUST BE CIMENSIONED AT LEAST NP IN THE CALLING PROGRAM.
C----NOTES
     1. P(5+NH+6) CONTAINS THE CHECKSUM
C
               K/2
C
      Y(0) = A(0) + SUM(A(J)) FOR H EVEN
C
               J=1
C
C
        OR
C
C
             (K-1)/2
C
     Y(0)=A(0)+SUM(A(J)) FOR H ODD.
C
               J=1
C
C
     2. R(5*NH+7) CONTAINS THE CHECKSUN
```

```
K/2-1
      Y(1)-Y(K-1)=2+SUM(B(J)+SIN(J+ALPHA(0))) FOR H EVEN
C
                     J=1
C
C
          OR
C
C
                    (K-1)/2
C
      Y(1)-Y(K-1)=2*SUM(8(J)*SIN(J*ALPHA(0))) FOR H ODD
C
                     J=1
C
      3. ALPHA IS DEFINED AS 2*PI/K
C
      4. ALL ARGUMENTS ARE SINGLE-PRECISION, AND ALL COMPUTATIONS ARE
C
C
       DOUBLE-PRECISION.
      5. THE CHECKSUMS WILL NOT BE COMPUTED IF A FULL-POINT ANALYSIS
C
C
       IS NOT MADE.
      5. THE PHI+S ARE IN DEGREES, NOT RADIANS.
C
      7. THE SIGN OF PHI(0) (AND PHI(K/2) IF COMPUTED) IS MADE TO AGREE
C
       WITH THE SIGN OF A(0) (AND A(K/2)).
C
C
      8. PHI(I) IS NOT COMPUTED FOR A(I) =B(I) =D; FOR 1.LE.I.LE.NH.
C
C-
C
      DIMENSION Y(1),R(1)
      DOUBLE PRECISION C, C1, C2, S, S1, XNP, ANGLE, ALPHA
      EQUIVALENCE (S,C)
C
C
C
      ZFPO THE OUTPUT ARRAY.
      NH1=5*NH+7
      DO 10 I=1,NH1
   10 R(I)=0.
C
      COMPUTE AL! CONSTANTS
ĺ
      C1=360./6.2831853
      XNP=NP
      C2=?./XNP
       ALPHA=6.2831853/XNP
C
C
      COMPUTE A(C), 8(0)=0, C(0), AND PHI(9).
      5=0.
      DO 20 I=1,NP
   20 S=S+Y(I)
      R(1) = S/XNP
C
      COMPUTE A(I), B(I), C(I), PHI(I) FOR 1.LE.I.LE.K/2-1
      DO 40 I=1,NH
      S=0.
      S1=0.
      DO 30 J=1,NP
       ANGLE=ALPHA+FLOAT ((J-1)+I)
       S=S+Y(J) +OCOS (ANGLE)
   30 S1=S1+Y(J)*DSIN(ANGLE)
       I1=5* I+1
```

The second of th

```
R(I1) = S * C2
      R(I1+1) = S1 + C2
      C=R(I1) **2+R(I1+1) **2
      R(I1+2) = DSORT(C)
      R(I1+4) = R(I1+2)
C
C
      DO NOT COMPUTE PHI(I) IF A(I)=B(I)=0.
      IF(R(I1).NE.0..OP.R(I1+1).NE.0.)GO TO 32
      WRITE (6,31) I, I
   31 FORMAT (///16H TO COMPUTE PHIC 14,46H), IT WOULD BE NECESSARY TO COM
     1PUTE ATAN2(0,0)./48H THESE ARGUMENTS WILL NOT BE ACCEPTABLE, SO PH
     2I( I4,23H) HILL NOT BE COMPUTEC.///)
      60 TO 48
   32 R(I1 + 3) = C1 + ATAN2(R(I1), R(I1+1))
   40 CONTINUE
      COMPUTE A(K/2), 6(K/2)=0, C(K/2), PHI(K/2) IF H IS EVEN.
C
      DO NOT COMPUTE THEM IF H IS ODD OR A FULL-POINT ANALYSIS IS
C
С
      NOT COMPUTED.
      IF (MOD (NP, 2) . NE. C) GO TO 60
      IF((2*NH).NE.(2*(NP/2)))GO TO 60
      AI =- 1.
      S=1.
      DO 50 I=1,NP
      AI=-AI
   5C S=S+AI*Y(I)
      NH1=5*NH+1
      R(NH1)=S/XNP
      R(NH1+2) = ABS(R(NH1))
      R(NH1+4)=R(NH1+2)
      R(NH1+1)=0.
      R(NH1+3)=SIGN(90.,R(NH1))
C
      COMPUTE CMAX.
   60 C=0.
      NH1=NH+1
      00 70 I=1,NH1
   70 C=JMAX1(C,DBLE(R(5*I)))
C
C
      COMPUTE C(I)/CHAX FOR B.LE.I.LE.NH.
C
      DO 80 I=1,NH1
      I1=5*I
   89 R(I1) = P(I1)/C
C
      COMPUTE THE CHECKSUMS IF A FULL-POINT ANALYSIS WAS COMPUTED.
C
      IF((2*NH).NE.(2*(NP/2)))RETURN
      I1=5* NH1+1
      DO 90 T=1,NH1
   90 R(I1) = R(I1) + R(5 + I - 4)
      I1=I1+1
      IF (NOO (NP,2) .EQ. 0) NH1=NH1-1
      DO 100 I=2,NH1
```

100 R(I1) =R(I1) +R(5\*I-3) + DSIN(FLOAT(I=1) + ALPHA) R(I1) = 2. \*R(I1) RETURN END

T

これからなること いっとうないない かいかい かいかい かいかい

## REFERENCES

- Lerbs, H.W., "Contra-Rotating Optimum Propellers Operating in a Radially Non-Uniform Wake," David Taylor Model Basin Report 941, May 1955
- Morgan, William B. and Wrench, J.W., Jr., "Some Computational Aspects of Propeller design," Methods in Computational Physics, Vol. 4, Academic Press Inc., New York, p 301-331, 1965
- Morgan, W.B., "The Design of Contrarotating Propellers Using Lerbs' Theory," Transactions of the Society of Naval Architects and Marine Engineers, Vol. 68, p 6-38, 1960
- 4. Nelson, D.M., "A computer Program Package for Designing Wake-adapted counterrotating Propellers: A Users Manual," Naval Undersea Center, Fleet Engineering Department Report NUC-TP-494, December 1975
- 5. Lerbs, H.W., "Moderately Loaded Propellers with a Finite Number of Blades and an Arbitrary Distribution of Circulation," Transactions of the Society of Naval Architects and Marine Engineers, Vol. 60, p 73-117, 1952
- 6. Hough, G.R. and Ordway, D.E., "The Generalized Actuator Disk," Advanced Research Report TAR-TR-6401, Therm, Inc., January 1964
- Caster, E.B., Diskin, J.A., and LaFone, T.A., "A Lifting Line Computer Program for the Preliminary Design of Propellers," David Taylor Naval Ship Research and Development Center, Ship Performance Department Report SPD-595-01, November 1975
- Denny, Stephen B., "Comparisons of Experimentally Determined and Theoretically Predicted Pressures in the Vicinity of a Marine Propeller," Naval Ship Research and Development Center Report 2349, May 1967
- Morgan, W.B., Silovic, Vladimir, and Denny, S.B., "Propeller Lifting Surface corrections," transactions of the Society of Naval Architects and Marine Engineers, Vol. 76, p 309-347, 1968

- Eckhart, M.K. and Morgan, W.B., "A Propeller Design Method," Transactions of the Society of Naval Architects and Marine engineers, Vol. 63, p 305-370, 1955
- Keller, J. Auf'm, "Enige aspecten bij het ontwerpen van Scheepsschroeven," Schip en werf, No. 24, p 658-662, 1966
- 12. Burrill, L.C. and Emerson, A., "Propeller Cavitation: Further Tests on 16-Inch Propeller Models in the Kings college Cavitation Tunnel," Transactions of the North East Coast Institution of Engineers and Ship Builders, Vol. 78, p 295-320, 1963-64
- 13. Brockett, Terry, "Minimum Pressure Envelopes for Modified NACA 66 Sections with NACA a=0.8 Camber and BUSHIPS Type I and Type II Sections," David Taylor Model Basin Report 1780, 1966
- 14. Cumming, R.A., <u>Dictionary of Ship Hydrodynamics</u> ~ <u>Propeller Section</u>, 14th International Towing Tank Conference 1975, Report of Presentation Committee, Appendix VII, 1975
- 15. Tsakonas, J. and Jacobs, W.R., "Counterrotating and Tandem Propellers Operating in Spacially Varying, Three-Dimensional Flow fields," Davidson Laboratory, Stevens Institute of Technology, Report 1335, September 1968
- 16. Abbot, Ira H. and Von Doehoff, Albert E., "Theory of Wing Sections Including a Summary of Airfoil Data," Dover Publications, Inc., New York, Library of Congress Catalog Card No. 60-1601
- 17. Hoerner, S.F., "Fluid-Dynamic Drag," Published by the author, Midland Park, New Jersey, 1965
- Lerbs, H.W. and Rader, H.P., "Uber der Auftriebsgradienten von Profilen im Propeller Verband," Schiffstechnik, Vol. 9, No. 48, p 178-180, 1962
- 19. Kerwin, J.E., "The Solution of Propeller Lifting-Surface Problems by Vortex Lattice Methods," Department of Naval Architecture and Marine Engineering, Massachusetts Institute of Technology, Cambridge, Massachusetts, 1961

こうものかとうなどのできることができるというないないかられている

- 20. Kerwin, J.E. and Leopold, R., "Propeller Incidence Correction Due to Blade Thickness," Journal of Ship Research, Vol. 7, No. 2, p 1-6, 1963
- 21. Cheng, H.M., "Hydorydnamic Aspects of Propeller Design Based On Lifting-Surface Theory: Part I - Uniform Chordwise Load Distribution," David Taylor Model Basin Report 1802, 1964
- 22. Cheng, H.M., "Hydrodynamic Aspects of Propeller Design Based On Lifting-Surface Theory: Part II - Arbitrary chordwise Load Distribution," David Taylor Model Basin Report 1803, 1965
- 23. Hill, J.G., "The Design of Propellers," Transactions of the Society of Naval Architects and Marine Engineers, Vol. 57, 1949

## DTNSRDC ISSUES THREE TYPES OF REPORTS

- (1) DTNSRDC REPORTS, A FORMAL SERIES PUBLISHING INFORMATION OF PERMANENT TECHNICAL VALUE, DESIGNATED BY A SERIAL REPORT NUMBER.
- (2) DEPARTMENTAL REPORTS, A SEMIFORMAL SERIES, RECORDING INFORMATION OF A PRELIMINARY OR TEMPORARY NATURE, OR OF LIMITED INTEREST OR SIGNIFICANCE, CARRYING A DEPARTMENTAL ALPHANUMERIC IDENTIFICATION.
- (3) TECHNICAL MEMORANDA, AN INFORMAL SERIES, USUALLY INTERNAL WORKING PAPERS OR DIRECT REPORTS TO SPONSORS, NUMBERED AS TM SERIES REPORTS, NOT FOR GENERAL DISTRIBUTION.